CHESS PROBLEMS

BY DR IAN SHANAHAN



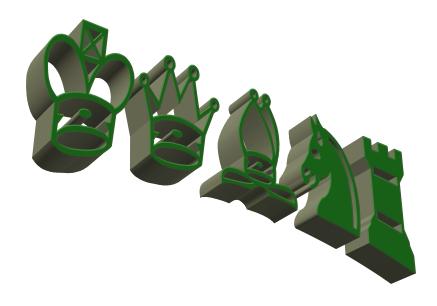
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INTRODUCTION

I was taught chess by my older brother Chris in 1972 or 1973, and soon began to solve on a weekly basis the "White to play and mate in two" chess problems then republished within Sydney's Sunday newspaper, **The Sun-Herald**. The chess column therein was the crucible for firing enthusiasm in chess problems not only for me, but for Peter Wong and Geoff Foster as well; all three names regularly appeared among the weekly lists of prize-winning solvers. However, I did not start composing problems myself until 1977 (having acquired Brian Harley's book **Mate in Two Moves** and Kenneth S. Howard's various textbooks devoted to chess problems); apart from this – and the situation was exactly the same for Wong and Foster – I had no expert 'problem mentor' to guide my early compositional attempts. My first original problem was published in 1979, the year after I joined the British Chess Problem Society on the recommendation of Bob Meadley (then editor of the Problem Corner in **Chess in Australia**), whose magazine **The Problemist** thus became, and still remains, my primary guide in the problem art and my main compositional outlet. I also edited the "Problem Billabong" column in **Australian Chess** (later known as **Australasian Chess**) from 2003 to 2007.

My favourite problem genres are the orthodox two-mover and series-movers (the latter often combined with other unorthodox [or 'Fairy'] elements), although nowadays I focus mainly upon the latter.

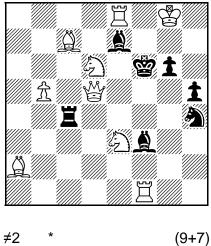
Dr Ian Shanahan, 13 April 2017.



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Two-movers (#2)

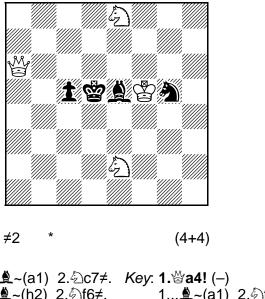
1 Ian Shanahan: The Problemist, September 1979, {C6260}. C+



Set. 1...**≜**×d6 2.\(\mathbb{E}\)e6≠. Key: 1. ₩c6! (>2. 2e4) 1...**曾**g5 2.**②**f7≠. 1...**©**e5 2.**②**f5≠. 1...**७**e6, **≝**×c6 2.2e4≠. 1...**≜**×d6 2.**≜**d8≠.

• My FIRST PUBLISHED PROBLEM, in the time-honoured Good Companions style! A lovely sacrificial flightgiving battery-forming key proffers three flights to the @ and leads to intricate line-play, battery-openings, pin-mates and one changed mate. However, the unprovided-for 1... 1g5 does telegraph the key somewhat; and ∄b5 is a *plug* that stops a *dual* after 1... **2**e5.

2 Ian Shanahan (after K. Arnstam): Chess in Australia, April 1981. C+



 Set. 1... ♠~(a1)
 2.♠c7≠.
 Key: 1.♣a4! (-)

 1... ♠~(h2)
 2.♠f6≠.
 1...♠~(a1)
 2.♠f4≠.

 1...♠~(b2)
 2.♠c3≠.
 1...♠~(b2)
 2.♠c3≠.

 1...♠~(b2)
 2.♠c3≠.
 1...♠~(b2)
 2.♠c4≠.

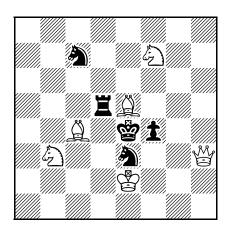
 1...♠~(b2)
 2.♠c3≠.
 1...♠~(b2)
 2.♠c3≠.

 1...♠~(b2)
 2.♠c3≠.
 1...♠~(b2)
 2.♠c3≠.

 1...♠~(b2)
 2.♠c3≠.
 1...♠~(b2)
 2.♠c3≠.

[•] An symmetrical *Meredith Mutate* with three *Changed Mates* (*Pendulum Changes*), the driving mechanism of which is the *Focal Theme*. Rather hackneyed, but acceptable from a novice.

3 Ian Shanahan: 1st Honourable Mention, 2nd B.C.P.S. Under-21 International Tourney, January 1982. C+



*≠*2 * (6+5)

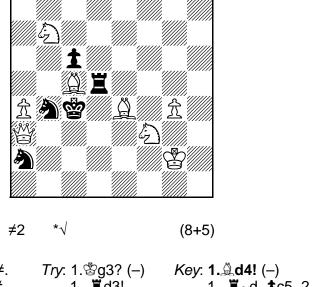
 Set: 1... \(\bar{\mathbb{Z}} \) \(\cdot \) 2. \(\bar{\mathbb{Q}} \) d3!
 1... \(\bar{\mathbb{Z}} \) < 5 2. \(\bar{\mathbb{Q}} \) d2≠.</td>
 1... \(\bar{\mathbb{Z}} \) < 6 2. \(\bar{\mathbb{Q}} \) 5≠.</td>

 1... \(\bar{\mathbb{Z}} \) × c4 2. \(\bar{\mathbb{Q}} \) h7≠.
 1... \(\bar{\mathbb{Z}} \) × c4 2. \(\bar{\mathbb{Q}} \) d3≠.

 1... \(\bar{\mathbb{Z}} \) f5!? 2. \(\bar{\mathbb{Q}} \) f3≠.
 1... \(\bar{\mathbb{Z}} \) f3≠.

• A sweet *Meredith* exhibiting three *Changed Mates* (*Pendulum Changes*) and *Mate Transferences*, the driving mechanism of which is the *Focal Theme* accompanied by *Secondary Black Corrections*. *ac7 is necessary to prevent the cook 1.\(\frac{1}{2}\)g5+! \(\frac{1}{2}\)xe5 2.\(\frac{1}{2}\)e6\(\neq \); a \(\frac{1}{2}\)d7 would suffice in this regard, but unsatisfactorily occludes the d-file after the key.

[4] Ian Shanahan & Tony Lewis: British Chess Magazine, May 1983, {No.11852}. C+



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      Set: 1... ■ ~d 2. ② e5≠.
      Try: 1. ③ g3? (-)
      Key: 1. ② d4! (-)

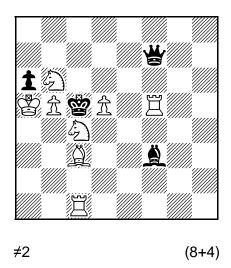
      1... ■ ~5 2. ② d2≠.
      1... ■ d3!
      1... ■ ~d, ★c5 2. ② a5≠.

      1... ■ d2+!? 2. ② xd2≠.
      1... ■ xd4!? 2. ② e5≠.
      1... ■ xd4!? 2. ② e5≠.

      1... a ~ 2. ③ xb5≠.
      1... a ~ 2. ⑤ (x)c3≠.
      1... b ~ 2. ⑥ (x)d3≠.
```

[•] An economical *Mutate* exhibiting four *Changed Mates* (*Pendulum Changes*) and *Mate Transferences*, the driving mechanism of which is the *Focal Theme* accompanied by *Secondary Black Corrections*; a reinterpretation of my 1st Honourable Mention, 2nd B.C.P.S. Under-21 International Tourney award-winner, 3.

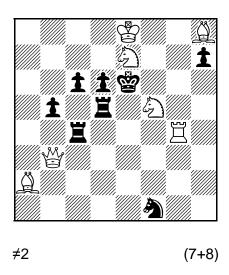
5 Ian Shanahan: Chess in Australia, September 1987, {No.34v}. C+



Key: 1. **2d6!** (>2. **2**e5) 1... ***** ×d5 2. **2**b7≠. 1... **2**×d5 2. **2**e4≠. 1... **2**×d6 2. **2**b4≠.

• Schiffmann 1 Defence ×2, with a fine sacrificial flight-giving key, in Meredith. ≜f3 – it was originally sited on h1, mistakenly – stops a cook by 1. \(\mathbb{H}\)d1!, but now generates three unwanted "Black duals" after its moves to the d- and e-files.

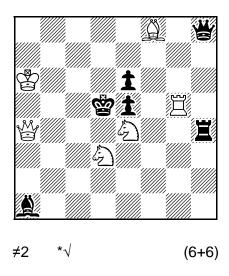
6 Ian Shanahan: Chess in Australia, May 1988, {No.58}. C+ ~ In Memory of Brian Tomson: "Hanged Man" ~



Key: 1.營h3! (>2.營h6) 1...萬×f5 2.萬e4≠. 1...萬×g4 2.②d4≠. 1...**1**h5 2.爲g6≠.

- * According to the *Encyclopedia of Chess Problems: Themes and Terms*, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), p.197: "**HAGEMANN THEME**: In two thematic variations[,] one of the halfpinned black pieces captures a piece from [the] white *half-battery*. Then the remaining half-battery piece mates utilizing [the] pins of both black pieces".

7 Ian Shanahan: Chess in Australia, July 1988, {No.62}. C+



Set. 1...**ਡ~**h 2.**②**f4≠.

 Try:
 1. 월 5? (>2. 월 c4)
 Key:
 1. ② xe5! (>2. 월 c4)

 1... 월 d4
 2. 월 a8≠.
 1... 월 xe5
 2. ② c6≠.

 1... 월 d4
 2. 월 c6≠.
 1... 월 d4
 2. 월 c6≠.

1...**萬×**e4 2.營d7≠.

• A self-pinning sacrificial key is followed by two **Black** self-pins through capture – leading to (symmetrical) pin-mates – along with two self-blocks in **Meredith**. This two-mover is a significantly improved version of the very first chess problem that I ever composed (aged 14, in 1977):

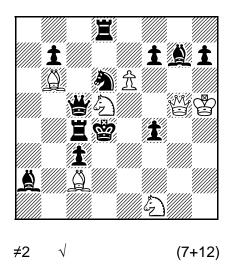
7A Ian Shanahan (aged 14): FIRST COMPOSITION (1977, unpublished) C+



Try: 1. <u>4</u>d6+? 1... **1**xd5!

Key: 1. 2g3+! 1... 4s6/2e5/2xd5/2e5/2xd5/2e6 2. 2g7/2d4/2g4/2c82/2f4(set)/2e5≠. At the too-high price of a **checking try** and **-key**, we have **Holzhausen interferences** in a two-mover! It was sent to **The Problemist** with great youthful enthusiasm, but was rightly – yet very sympathetically – rejected by Barry Barnes.

8 Ian Shanahan: Chess in Australia, January 1989, {No.80}. C+

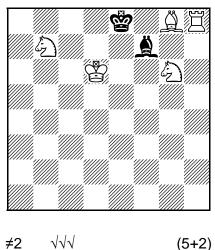


Try: 1.ᡚ×f4? (>2.營d5, ᡚe2) 1...**ৡ**f5!

- **★** = Unguard;
- ♣ = Unpin of White;
- ♥ = Self-block.
- Theme Progression: three unguards linked to three unpins of the $\mbox{$\stackrel{\square}{\cong}$}$ via Secondary Black Correction! (Notice the self-block within the final variation.)

9 Ian Shanahan: 4th Commendation, **The Problemist**, 1992–I. **C+**[**The Problemist**, May 1992, {C8161}.]

~ To Gerhard Maleika ~



Try: 1.ᡚe5? (>2.Д×f7)

1...**≜**×g8 2.□×g8≠. 1...**ቄ**f8!

Try: 1.\(\mathbb{I}\)h7? (>2.\(\mathbb{A}\)×f7)

1...**≜**×g8, **≜**~ 2.**⊑**e7≠. 1...**≜**×g6!

Try: 1.ᢡc7? (>2.ᡚd6)

1...**≜**×g8 2.**⁄**2d6≠. 1...**≜**×g6!

Key: 1. 2d8! (>2. 4xf7)

1...**≜**×g6 2.**△**f7[**Á**], **△**e6[**B**], **△**d5[**C**], **△**c4[**D**], **△**b3[**E**], **△**a2[**F**], **△**h7[**G**]≠.

1... **≜**a2 2. **♣**f7[**A**], **♣**e6[**B**], **♣**d5[**C**], **♣**c4[**D**], **♣**b3[**E**], **♣**×a2[**F**]≠.

1...**②**b3 2.**△**f7[**A**], **△**e6[**B**], **△**d5[**C**], **△**c4[**D**], **△**×b3[**E**]≠.

1...**②**c4 2.**②**f7[**A**], **②**e6[**B**], **②**d5[**C**], **②**×c4[**D**]≠.

1...**≜**d5 2.**≜**f7[**A**], **≜**e6[**B**], **≜**×d5[**C**]≠.

1...**≜**e6 2.**⊈**f7[**A**], **⊈**×e6[**B**]≠.

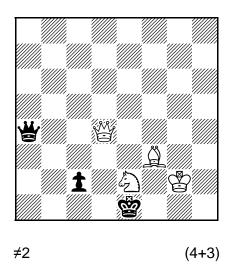
1...**७**×d8 2.**△**×f7[**A**]≠.

1...**≜**×g8 2.****×g8≠.

THEMATIC CONTENT

Total Secondary Progressive Separation [p.s.] of seven moves (one of them being the **primary threat**, unfortunately) forced by the ≜, leading to an **elimination mate**, in **miniature**; **changed mates** after 1...≜×g8 across three phases.

10 Ian Shanahan: The Problemist, September 1992, {C8267}. C+



Key: **1.**≌**e3!** (>2.ᡚ~, ≌c1)

1...**⊌**g4+ 2.**②**g3≠.

1...**쌀**f4 2.**②**×f4≠.

1...**≝**e4, **≝**e8 (etc.) 2.**≝**c1≠.

1...**쌀**d4, **쌀**a7 2.②(**x**)d4≠.

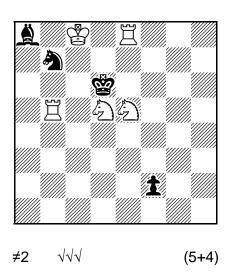
1...**⊌**a3, **⊌**b3 2.**②**c3≠.

1...**±**c1**\mathred{\mtx}}}}}}}}}}}}}}}}}}}}}}}}**

[•] Partial Primary Fleck Theme involving six threats – with a flight-giving key, shutoffs, a cross-check and line-play in miniature; it is regrettable that the threat 2. 2g1 is never forced as a mate and that there are many "Black duals" by the ...

11 Ian Shanahan: 4th Honourable Mention, **The Problemist**, 1993–I. **C+**[The Problemist, March 1993, {C8331}.] FIDE Album 1992–1994

~ To Robert Lincoln ~



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Try: 1.�f6? (>2.�e4, ♯d5[C])
                                                    Key: 1.②b4! (>2.□d5[C], ②f7[D], [e]②c4[E])
                                                         1...1f1 2. □d5[C], ②f7[D], [e] ②c4[E]≠.
    1...ac5[a], ad8[b], aa5[c]!
                                                         1...1 1...1 1...1 2.□d5[C], ②f7[D]≠.
Try: 1. ②f4? (>2. □d5[C], □e6)
                                                         1...1 2.\(\beta\)d5[\(\beta\)], [e]\(\Delta\)c4[\(\beta\)]≠.
    1...ac5[a], ad8[b]!
                                                         1...3c5 2.2f7[D], [e]2c4[E] (□b6?)≠.
                                                         1...1 ± f1 2 ± 2. □ d5 [C] ≠.
Try: 1. 2e3? (>2. 2f5[A], 32c4[B], □d5[C])
                                                         1...aa5 2.af7[D]≠.
    1...1 1 1 2. 2 f 5 [A], 3 2 c 4 [B], □ d 5 [C] ≠.
                                                         1...ad8 2.[e]ac4[E]≠.
    1...3d8 2.2f5[A], 32c4[B]≠.
    1...1f1 2. 2.2f5[A], 3d5[C]≠.
    1...1 1...1 2.3 2 c4 [B], □ d5 [C]≠.
    1...ਐa5 2.②f5[A]≠.
    1...1f12 2.□d5[C]≠.
    1...\trianglec5[a]! (2.3\trianglec4[B], \squareb6?)
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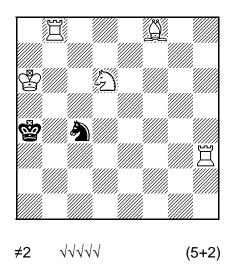
THEMATIC CONTENT

Total Primary Combinative Separation of three (primary) threats in the main virtual phase – albeit paraded incompletely ('imperfectly'), since 2.**B**≠ is never forced (this is a great pity) – which evolves into complete ('perfect') **Total Primary Combinative Separation** of three threats after the key, entailing numerous **changed mates** relative to the try play (i.e., '**Changed Primary Combinative Separation**', in **Meredith!**); **Progressive Separation of Refutations** (to three tries – also known as the **Savournin Theme**); **Black Allumwandlung** [AUW] ×2 (the thematic moves are **coloured**); **Total dual-avoidance** (2. □ b6≠?).

CONSTRUCTIONAL NOTES

The *progressive separation of refutations* (*Savournin Theme*) is utterly serendipitous and incidental – alas, accompanied by some extraneous tries by the 2d5 [not listed above] that blur its pattern; but the 'authentic' try 1.2e3? is a genuinely valuable windfall! The then two-move sub-editor of *The Problemist*, IM Barry Barnes, described this nine-man gem within his editorial comments as "almost a miracle". Indeed, it was even selected for the 1992–1994 FIDE Album!

12 Ian Shanahan: Commendation, The Problemist, 1993-II. C+ [The Problemist, July 1993, {C8416}.]



Try: 1.**②**×c4? Stalemate!

Try: 1.h\\(\mathbar{a}\) b3? (>2.8\(\mathbar{a}\) b4[\(\mathbar{a}\)])

1...**a**b6[**a**]!

Try: 1.ᡚ~? (>2.8∐b4[**A**])

1...**a**b6 2.≌a3≠. 1... **a**d6[**b**], **a**e3[**c**]!

Try: 1.42b5? (>2.42c3[**C**])

Try: 1.42b7? (>2.42c5[**B**])

1...**a**b6[**a**] 2.\(\mathbb{\matha\mode\and\max\mode\and\max\\mode\and\and\max\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\

1...**a**b6[**a**] 2.\(\mathbb{A}\)a3≠.

1...**a**d6[**b**]!

1...**∕**ae3[**c**]!

Key: 1.**②e4!** (>2.8\B\b4[A], **②**c5[B], **②**c3[C])

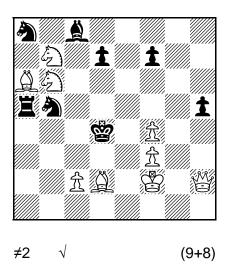
1...**a**b6[**a**] 2.\(\mathbb{Z}\)a3≠.

1...**№**e3[**c**] 2.**c**3[**C**](**c**5[**B**]?)≠.

THEMATIC CONTENT

Hannelius Theme; Java Theme; (Partial) Fleck Theme; in miniature!

13 Ian Shanahan: **Die Schwalbe**, April 1994, {No.8444**v**}. **C+** ~ To Gerhard Maleika ~



Try: 1.營g1? (>2.營~) 1...**୬**×b6!

Key: 1. ₩xh5! (>2. ₩c5[A], ₩d5[B], ₩e5[C])

- **1**...**ℤ**~ 2.營c5[**A**], 營d5[**B**], 營e5[**C**]≠.
- **2** 1...**1**f6 2.₩c5[**A**], ₩d5[**B**]≠.
- **2** 1...a**3**c7 2.₩c5[**A**], ₩e5[**C**]≠.
- **2** 1...**1**d5 2.\(\delta\) ×d5[**B**], \(\delta\) e5[**C**]≠.
- **3** 1...**3**×b6 2.₩c5[**A**]≠.
- **3** 1...**1**d6 2.\(\delta\)d5[**B**]≠.
- **3** 1...**≜**×b7 2.\dig e5[**C**]≠.
- **4** 1...b**3**~ 2.\(\pext{\perp}\)c3≠. †
- **6** 1...**3**c3!? 2.**3**e3≠. *†*

† = Karlström-Fleck Theme;

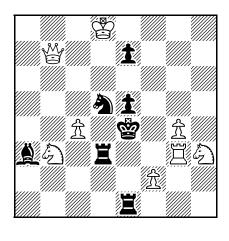
- The PIONEER of a new thematic mixture (of 'old' with 'traditional'): the **Shanahan Blend** (i.e., **Total Primary Combinative Separation** of three threats [here with three **Karlström-Fleck** variations] leading to **Secondary Black Correction**).

CONSTRUCTIONAL NOTES

The given is mirrored. A 1a4 and 1a3 were originally present, but these are unnecessary plugs.

14 Ian Shanahan: 1st Commendation, Problem Observer, 1994. C+ [Problem Observer, May 1994, {D1141}.]

~ In Memory of Arthur R. Gooderson ~



*≠*2 * (8+7)

Set: 1...**罩~**3 2.營×d5≠.

Key: 1. \(\perp \d7! \times (>2. \(\perp \f5)\)
1... \(\perp \times \times 2. \(\perp \times \d3\neq \tau \)
1... \(\perp \d5! \times 2. \(\perp \d5 \neq \d5 \neq \tau \tau \d5 \neq \d5 \neq

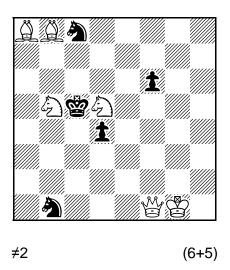
1...**≝**f3, **≝**×b3 2.**≝**×d5≠.

- *= **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly**!); †= **Valve**.
- Dalton 2 Theme with three Secondary Corrections by the unpinned that increase in strategic complexity: 1... f4!? has two line-openings [d3-d8, d7-d3] with a self-block; 1... b4!? involves two line-openings as before and a line-closure (Black Interference) [a3-c5]; 1... a2!? entails two line-openings as previously and two line-closures [d3-f3, g3-d3: four-line play] with a self-block + white interference mate.

CONSTRUCTIONAL NOTES

Ie1 prevents 1. Ie3+! from cooking the problem.

15 Ian Shanahan: The Problemist, July 1994, {C8672v}. C+



Key: 1. 2d6! (>2. 2c4[A], 2b5[B], 2e4[C]) 1... 2e7 2. 2c4[A], 2b5[B], 2e4[C]≠.

1...**1**f5 2.\(\delta\)c4[**A**], \(\delta\)b5[**B**]≠.

1...**ਐ**a7 2.營c4[**A**], ᡚe4[**C**]≠.

1...**ਐ**b6 2.∜b5[**B**], **②**e4[**C**]≠.

1...**୬**c3 2.₩c4[**A**](₩c1?)≠.

1...**a**d2 2.₩b5[**B**](₩c1?)≠.

1...**♠**a3 2.**િ**e4[**C**](營c1?)≠.

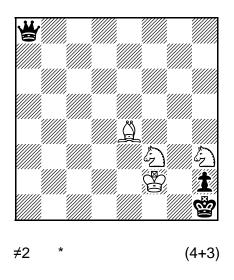
1...**1**d3 2.\dightarrow f2≠.

1...**୬**×d6 2.**△**a7≠.

THEMATIC CONTENT

Total Primary Combinative Separation of three threats, with a **sacrificial key** and a pair of **elimination mates** in a **Meredith** setting; **total dual-avoidance**. Not bad for 11 men – and no **plugs**! (The original version had the diagram as above shifted one square to the right thence reflected left-to-right, thereby allowing 1...♠ 12.**ABC** ≥ 2.**ABC** ≥ 1 = 1 insinuating a **Split Progressive Separation** pattern as well; however, this additional variation militates against 'algebraic clarity', so I decided in the end to drop it.)

16 Ian Shanahan, The Problemist Supplement, July 1994, {PS226}. C+



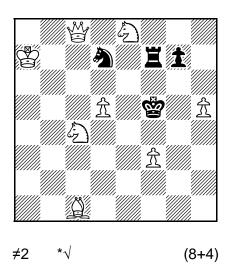
 Set: 1... ≝a7+ 2. ②d4≠.
 Key: 1. 當g3! (>2. ②f2)

 1... ≝a2+ 2. ②d2≠.
 1... ≝b8+ 2. ②e5≠.

 1... ≝g8+ 2. ②g5≠.

• Four cross-checks in miniature, with total change.

17 Ian Shanahan (after J. Coombe-Tennant): U.S. Problem Bulletin, July 1994, {No.3056}. C+



Set: 1...**ਡ**~f(8) 2.營×d7≠. 1...**ਡ**f6!? 2.ᡚ×g7≠.

- * = **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**); † = **Self-block + White interference mates** with **partial dual-avoidance**.
- A lovely *Meredith* illustrating the *Dalton 2 Theme* with two *Secondary Corrections* by the unpinned (post-key), one by the **\(\mathbb{Z}\)** in the set-play along the f-file (to the only square available, f8), and a *mirrored* (2). Notice the *Total Change* of *Black Correction* systems between set- and actual play!

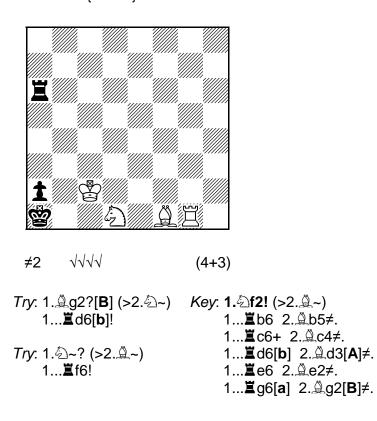
CONSTRUCTIONAL NOTES

A ten-unit version is possible, but it's rather sparse – with only three mates (besides the threat):

17A 4B3 / 8 / 4k1r1 / 7S / 4P1s1 / B2S3Q / 8 / 6K1. 1. ₩g3!

17 is a substantial improvement on JC-T1 Dom Joseph Coombe-Tennant: Diagrammes, 1975 − 16 / 2Q2p2 / K2s3r / 8 / 3P1k1S / 2Sp2R1 / 5B2; ≠2. 1. 2e5! (>2. 4f2). Coombe-Tennant's forerunner was found during my search for anticipations. My Meredith adds some set-play (with Black correction!) and a try, as well as strategically unifying the post-key mates; its construction is definitely superior. At that time, I had never before seen a Dalton theme two-mover displaying a thematic try before! (Indeed, this problem stimulated an article by John M. Rice in The Problemist Supplement, with original compositions featuring multi-phase Dalton play.)

18 Ian Shanahan (after J. M. Rice): Australian Chess Problem Magazine, September 1994, {No.95}. C+



THEMATIC CONTENT

Banny Theme; Changed (Partial) Fleck Theme; half-battery in miniature.

CONSTRUCTIONAL NOTES

Try: 1. 4 × a6?

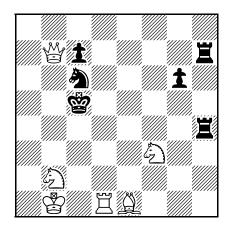
Stalemate!

Try: 1.Ձd3?[**A**] (>2.ᡚ~) 1...**ℤ**b6 2.ᡚb2≠.

1...**≝**c6+ 2.**②**c3≠.

1...**Ĭ**e6 2.�e3≠. 1...**Ĭ**f6 2.�f2≠. 1...**Ĭ**g6[**a**]!

I composed this problem before uncovering **JMR1** John M. Rice, **Miniature Chess Problems from Many Countries**, 1981, {No.100} – 3RS1Sk / 5K1p / 40 / 7r. Rice's miniature has only five mates, whereas mine has a total of *nine* – and there is no mention whatsoever of the Banny theme within Rice's solution. Also, in my **18**, between the main try- and actual phases, there are three *changed mates*.



≠2 (6+6)

Key: **1.②e5!** (>2.**쌀**×c6)

1...**a**e7!? 2.**a**d7≠.

1...**a**b4!? 2.**a**4≠.

1...**୬**d4!!? 2.⊈b4(ᡚa4? ≌b4?)≠.

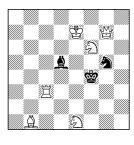
THEMATIC CONTENT

Tertiary Black Correction with two Secondary Black Corrections and Black Interferences in Meredith.

CONSTRUCTIONAL NOTES

This two-mover is the only Meredith I am cognizant of that exhibits tertiary Black correction with two secondary corrections. 1g6 prevents unthematic by-play (i.e., "Black duals") in which thematic mates would be merely repeated – e.g. 1...7閨h6 2.ᡚd7≠. – and so is present for the sake of *clarity*. Notice that, apart from the 螢, *all* White officers deliver mate! At first, I was searching for the lightest possible setting of tertiary Black correction, finding the following ten-unit version of the diagram: |19A| B1Q5/8/5p2/3s4/3k4/7r/1KP5/2S1R3. I then unearthed some lighter – nine-unit! – positions, by Cor Goldschmeding, in The Problemist, September 1973 [see the diagrams below]. (Goldschmeding had encapsulated tertiary Black correction with only eight units therein, CG3 – albeit with a flight-taking key.)

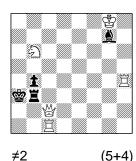




≠2 (6+3)

Set: 1...**©**e5 2.4 h5≠. *Key*: **1.②h7!** (>2.**營**×g5) 1...**⁄a**~ 2.營g3≠. 1...**∕**af3!? 2.**∕**2g2≠. 1...**.a**e4!!? 2.□f3≠. 1...**'**g4 2.' xg5≠.

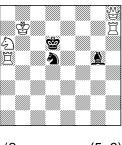
CG2 Cor Goldschmeding, The Problemist, September 1973.



(5+4)

Key: 1.\□h7! (-) 1...**≜**~ 2.\(\exists a7≠. 1...**Ĭ**~ 2.**②**c4≠. 1...**罩**c3!? 2.≌a1≠. 1...**罩**b2!!? 2.營a4≠.

CG3 Cor Goldschmeding, The Problemist, September 1973.



≠2 (5+3)

Kev: **1.②c7**! (>2.**□**×d5)

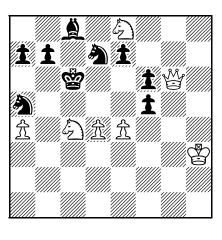
1...**⁄a**~ 2.\degree e5≠.

1...**1**f6!? 2.**1**f8≠.

1...**a**e7!!? 2.**b**d8≠.

Simply beautiful! Give-and-take key.

20 Ian Shanahan: **The Problemist**, September 1994, {C8700}. **C+** ~ To Barry P. Barnes ~



*≠*2 * (7+9)

Set. 1...**1**xe4 2.營xe4≠. 1...**3**b6 2.②e5≠.*

Key: **1. \('\x \) f5!** (>2. **\('\)** b5[**A**], **\('\)** d5[**B**], **\('\)** e6[**C**])

- **1**...**3**b3 2.₩b5[**A**], ₩d5[**B**], ₩e6[**C**]≠.
- **2** 1...**1**b5 2.**[®]**×b5[**A**], [®]d5[**B**]≠.
- **2** 1...**1**e6 2.\displayb5[A], \displayxe6[C]≠.
- **2** 1...**1**a6 2.\daggedd5[**B**], \daggedege6[**C**]≠.
- **3** 1...**3**×c4 2.**8**b5[**A**]≠.
- **❸** 1...**1**b6 2.\(\delta\)d5[**B**]≠.
- **❸** 1...**1**e5 2.營e6[**C**]≠.
- **④** 1...d**④**~ 2.營×c8≠.
- **⑤** 1...**3**b6!? 2.**3**×a5≠.

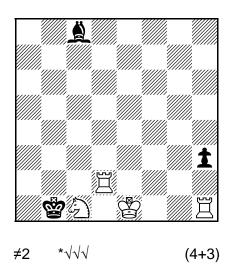
- A new thematic mix (of 'old' with 'older' themes): the **Shanahan Blend** (i.e., **Total Primary Combinative Separation** of three threats leading to **Secondary Black Correction**) only my second setting of this blend; and a **changed mate** after 1... **a** b6.

CONSTRUCTIONAL NOTES

This problem has a weird *give-and-take key*: it 'unpins' **1**f6 for an *anticipatory pin* of the $\mbox{$\stackrel{\square}{\cong}$}$, while capturing **1**f5 and furnishing three threats. There are no *plugs* at all!

^{* =} pin-mate:

21 Ian Shanahan: Problem Observer, January 1995, {D1186}. C+



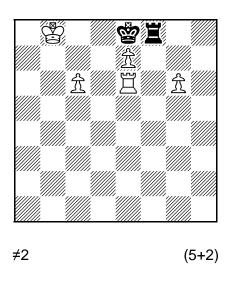
THEMATIC CONTENT

Banny Theme; (Partial) Fleck Theme; half-battery with White Castling in miniature; Total Change (set-and try play disappears).

CONSTRUCTIONAL NOTES

This problem was composed independently of John M. Rice's researches into $\neq 2$ miniatures featuring White castling, published in **The Problemist** during the early 1990s. I was trying to find new $\neq 2$ miniatures with half-battery! The *flight-taking* tries and key are unfortunate, but at least the flight-capture has a mate set for it.

22 Ian Shanahan: **The Problemist**, January 1995, p.7, {No.3}. **C+** ~ New Year Greeting Problem ~



Key: 1.☆c7! (>2.☆c8營) 1...ঔd7+ 2.☆×f8ᡚ≠. †

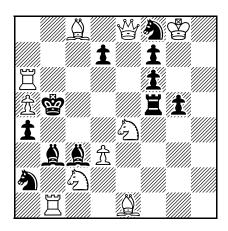
- *†* = *Model mate* with *battery-opening* and *promotion*.
- Two **\(\frac{1}{2}\)-promotions** in **miniature**; **check-provocation**; **battery-play**. A simple miniature, with a pleasant **flight-giving** key; I hope it's not anticipated.

CONSTRUCTIONAL NOTES

The aggressive-looking 1.∄g7? fails, despite its double threat. It needs to be appreciated that **\(\beta\)**f8 cannot be replaced by a **\(\beta\)**, since then 1...**\(\beta\)**d7 2.\(\beta\)c8\(\beta\)≠ would also work (i.e., a ruinous **dual**). So the **Black check by Royal battery** is in no way 'artificial'.

[Problem Observer, 1995. C+ [Problem Observer, March 1995, {D1197v}.]

~ To John F. Ling ~



*≠*2 (10+11)

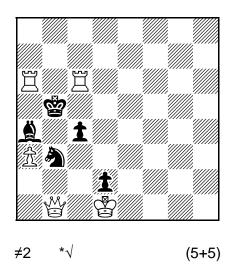
Key: 1.營×f7! * (>2.營c4) †
1...1d5 * 2.營b7≠. ♠
1...1b4 2.營a3≠. ♠
1...1b4 2.營d4≠. ♠
1...1b2 2.ৣb6≠. ♥
1...1b5 2.營xd5≠.
1...1bc5 2.營d6(⑤xc3?)≠.

- *†* = **Pelle threat** (i.e., by movement along a **pin-line**);
- ♠ = Black unpins White [protoform];
- **♣** = **Black unpins Black** [i.e., the antiform of **♠**] with **self-block**;
- **♥** = **Black unpins Black** [i.e., the antiform of ♠] with **line-opening**;
- *= **Schór Theme** (i.e., White directly unpins a Black unit [i.e., the inverted form of ♠] whilst simultaneously pinning the key piece; the unpinned Black unit then unpins the key piece, which mates accordingly).
- This **Good-Companions**-style problem was composed in response to a short article, by John Ling, entitled *Pin and Unpin*, in **Problem Observer**, November 1994. The unifying strategic element is *unpin*: White unpins Black; Black unpins White; Black unpins Black. Notice that the *Schór Theme* is highlighted. I do hope that my composition escapes anticipation!

CONSTRUCTIONAL NOTES

Within my original setting — **23A** KsQB2B1 / 1p1p4 / 1p4pb / pr3k1S / 2S3p1 / 3P1b2 / 6s1 / 5R2 — the **1**g4 is a pity, and **6**g1 is **obtrusive** (a fact overlooked entirely by the editor and all of the solvers!). I do not regard obtrusive force as in any way constituting a flaw — not even a minor flaw! — although throughout the early 20th century it was widely looked upon as such. There is indeed absolutely no logical basis for this prejudice, which still manifests itself even today! Whilst the (White) economy in D1197v is undeniably less good than in **23A**, I still managed to incorporate an extra thematic variation, which I consider to be well worth the additional White force.

24 Ian Shanahan, The Problemist Supplement, March 1995, {PS317}. C+



Set. 1...**1**c3 2. \ddd d3≠.

- * = **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**).
- A very pretty *Meredith* illustrating the *Dalton 2 Theme* with two *Secondary Corrections* by the unpinned in *block-threat* guise (the *only* Dalton block-threat?). Ever since I fell under the spell of two-move chess problems as a teenager, I've been enchanted by the Dalton 2 theme, and in late 1994 was searching for a diagonal aspect of my 14 1st Commendation, **Problem Observer**, 1994.

CONSTRUCTIONAL NOTES

Firstly, I composed this 17-unit setting with a \(\begin{align*} & -\text{flight} and three Black corrections: \)

24A 1s6 / b4K1p / 3Q4 / 3sP3 / 2b3S1 / 1S1k1p2 / 1pR3p1 / 1B4B1. 1. 6(> 2. f5)

Unsatisfied with its poor economy, I then reduced this to two 12-man settings with three Black corrections:

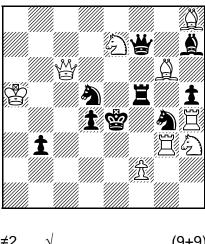
24B 1b6/8/4b1R1/1SQs1k2/3P2R1/1K1p1P2/16;

24C 8 / 1K6 / 4p1R1 / 1Q1s1k2 / 1p1Pb1R1 / 1r6 / 2S5 / 8.

But neither of these are 'organic', in that one of the corrections is 'tacked on' merely by adding material not inherent to the scheme; there is a certain artificiality. So I resolved to jettison the interloping correction, and was fortunate enough to find the position diagrammed – a (unique?) block-threat! This is now quite natural. \$\ddot\$d2 stops a **dual** after 1...\$\ddot\$c3 post-key, as well as cooks by the \$\frac{\text{w}}{2}\$ and \$\frac{\text{c}}{2}\$. Observe that this position cannot be shifted up one square: 1.\$\frac{\text{w}}{2}b1! would cook (a mutate!). Also, whilst the set-play variation remains unchanged, after the key it is enriched strategically – now incorporating a **valve**. Note that the threat posed by the key is never realized, a slight flaw?

[25] Ian Shanahan: 3rd Honourable Mention, Problem Observer, 1995. C+ [Problem Observer, September 1995, {D1223}.]

~ To Denis M. Saunders ~



≠2 (9+9)

Try: 1.營c5? (>2.營×d4) 1...**∕a**e3!

Key: **1. \begin{aligned} b5!** * (>2. **\begin{aligned} d3**) 1...**⁄a**~ * 2.\degree5≠. † 1...**∕a**e3!? * 2.ቯf3≠. *‡*• 1...**3**f4!? * 2.**4**2q5≠. **4** 1...**3**f6!? * 2.**3** ×f5≠. **4** 1...**⊌**f6, **⊌**g7 2.**≌**×d5≠.

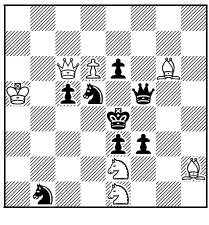
- *†* = **Pelle mate** (i.e., by movement along a **pin-line**);
- ♠ = Three-line play:
- **★** = Four-line play;
- * = **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**).
- Dalton 2 Theme with three Secondary Corrections by the unpinned a companion to my 14 (1st Commendation, **Problem Observer**, 1994). Here (in **25**), there are fewer variations, but the play is even richer strategically! My initial motivation in composing this problem was to compose a rich 'traditional' twomover (with as many secondary accorrections as possible) using the Dalton 2 matrix of my two-mover dedicated to Christopher Reeves, **26** (Commendation, **The Problemist**, 1995–II).

CONSTRUCTIONAL NOTES

A version with **1**b3→c3, +**1**c1 is decidedly inferior: although it makes 1...**3**f4!? into *four-line play*, flaws are introduced: 1... \(e^2 \) is unprovided-for, making the key move more obvious; and there is less thematic clarity, as in the actual play there is now an unwanted "Black dual" – 1... e3 repeats the mate after 1... e3!? (2.ቯf3≠).

26 Ian Shanahan: Commendation, The Problemist, 1995–II. C+ [The Problemist, November 1995, {C8872}.]

~ To Dr A. Christopher Reeves ["Superman"] ~



*≠*2 *√ (7+8)

Set. 1...**1**c4 2.\(\delta\)×c4≠.

Try: 1. ₩b5? (>2. ₩d3[**A**], ₩xb1[**B**], ₩c4[**C**])

- 1...1e5, 1f2 2.\d3[A], \dag{\psi} xb1[B], \dag{\psi} c4[C]≠.
- **2** 1...**≝**×g6 2.營d3[**A**], 營×b1[**B**]≠.
- 2 1...b ac3, 1xe2 2. acd d3[A], acd c4[C]≠.
- **2** 1...**1**c4 2.\(\delta\)×b1[**B**], \(\delta\)×c4[**C**]≠.
- **3** 1...**3**d2, **3**b6 2. [™]d3[**A**]≠.
- **3** 1...**3**b4 2.\(\overline{\psi}\)c4[**C**]≠.
- **④** 1...**♠**f4!

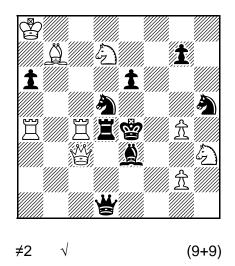
Key: 1. ₩xc5! * (>2. ₩c4[C], ₩c2[D], ₩d4[E])

- **1**...**1**f2 2.\(\delta\)c4[C], \(\delta\)c2[D], \(\delta\)d4[E]≠.
- 2 1... **1** ±e5 2. [™] ±c4[C], [™] ±c2[D]≠.
- **2** 1...b**3**c3 2.₩c4[**C**], ₩d4[**E**]≠.
- 2 1... d2 2. d2 (D), d4 (E)≠.
- **❸** 1...**1**×e2 2.\(\delta\)c4[**C**]≠.
- **❸** 1...**增**×g6 2.增c2[**D**]≠.
- **3** 1...**3**a3 2.\d4[**E**]≠.
- **4** 1...d**3**~ * 2.\dday e5≠. *t*
- **⑤** 1…**ቇ**f4!? * 2.፟ᡚg3≠. *‡*
- *†* = **Pelle mate** (i.e., by movement along a **pin-line**; also, a **secondary threat**);
- *t* = Self-block + White interference mate;
- * = **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**);
- Possibly my best two-mover yet [to 1995], and the third rendering of a new thematic mixture (of 'modern' with 'traditional'): the **Shanahan Blend** (i.e., **Total Primary Combinative Separation** of three threats [two of which are **changed**!] leading to **Secondary Black Correction**), combined for the very first time! with the **Dalton 2 Theme**; the try play parades **Partial Primary Combinative Separation** of three threats albeit incompletely ('imperfectly'), as 2.**B**≠ is never forced (a great pity) which progresses to complete ('perfect') **Total Primary Combinative Separation** post-key, with numerous **changed mates** relative to the virtual play (i.e., '**Changed Primary Combinative Separation**'); the set-mate is **transferred**.

CONSTRUCTIONAL NOTES

This problem is my answer to Gerhard Maleika's famous 1st Prize, **Probleemblad**, 1992, which showed total primary *and* total secondary combinative separation (i.e., the *Maleika Blend*) together with the Dalton 2 theme – it appears to be the PIONEER of Dalton 2 + c.s.; at least I originated this blend with Black correction. In my own problem, savour the absence of *plugs*! Its construction, economy and content are excellent – including a logical evolution from formal 'imperfection' to 'perfection'.

[27] Ian Shanahan & Denis Saunders: The Problemist, January 1996, {C8900}. C+

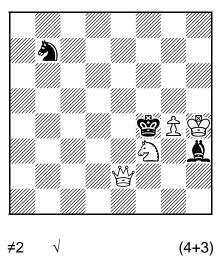


Try: 1.≝×a6? (>2.≝×e6) 1...**≝**a4!

Key: 1.월c6! (>2.월×e6) 1...ਐb6+ 2.월×b6≠. 1...ਐc7+ 2.월×c7≠. 1...ਐ×c3 2.월×c3≠. 1...월×g4 2.월c2≠. 1...負f4 2.월f2≠. 1...♠f4 2.월g5≠. 1...♣e5 2.월c5≠.

• An earlier version, without the try but retaining a *changed mate* after 1... \$\frac{1}{2}\$ e5 between the set- and actual play, was: \$\frac{27A}{4}\$ K7 / 1B1S2p1 / 4p3 / p1Rs3s / 1R1rk1P1 / 2Q1b2S / 6P1 / 3Q4. This problem was developed, with a tiny amount of assistance provided by Denis Saunders, from an unpublished original, \$\frac{77}{77}\$ – (a solo effort by Ian Shanahan, and a 'refugee' from the 1st Theme Tourney of **Australian Chess Problem Magazine**, 1995, that was rejected by that magazine's editor, Arthur Willmott [who proposed the theme of sacrificing the key-piece], on the grounds that the \$\frac{1}{2}\$ was already *en prise* therein!).





Try: 1.ᡚe5? (>2.ᡚd3, ᡚg6) 1...**魚**×q4!

Key: 1. 2g5! (>2. 2xh3[A], 2e6[B], 2e4[C])
1... 3a5 2. 2xh3[A], 2e6[B], 2e4[C]≠.
1... 3d6 2. 2xh3[A], 2e6[B]≠.
1... 3d8 2. 2xh3[A], 2e4[C]≠.
1... 2f1 2. 2e6[B], 2e4[C]≠.
1... 3c5 2. 2xh3[A]≠.
1... 2g2 2. 2e6[B]≠.
1... 2xq4 2. 2e4[C]≠.

THEMATIC CONTENT

A rare task: **Total Primary Combinative Separation** of three threats, in **miniature** (as far as I can ascertain, this is only the 7th setting), with a passable – even reasonable – key, given the theme.

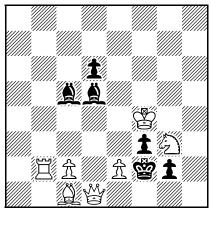
CONSTRUCTIONAL NOTES

The six earlier examples are:

- Gerhard Maleika: 3rd HM, Deutsche Schachzeitung, 1982 b2k2s1 / 1B3p2 / 3K4 / 24 / 4Q3 / 8;
- 2. Gerhard Maleika: Deutsche Schachzeitung, 1985 8 / 3s4 / 6S1 / 5R2 / 1K1k4 / 3p4 / 8 / 4R3;
- 3. Gerhard Maleika: The Problemist, November 1989, {C7773} 6R1 / 8 / p7 / 4Q3 / 3p4 / 8 / 6p1 / 1K1k4;
- **4.** Michael McDowell: **The Problemist**, November 1992, {C8297} 16 / p7 / 2pR4 / 7K / 4k2s / 8 / 5Q2;
- 5. Robert Lincoln: The Problemist, September 1995, {C8847} 1R6 / 3s4 / 7B / 4p3 / 16 / 2B2K2 / 7k;
- **6.** Alexandre Zarhs: **Smena**, 1995 8 / 3p4 / 1S2k1K1 / s7 / 8 / Q3S3 / 16.

Gerhard Maleika's No.1 (with its try, set-play and *flight-giving key*) is still the best; his No.3 also displays a *Black Allumwandlung* [AUW]! Michael McDowell has since composed an improved version of his No.4 (see MM1 The Problemist, May 1996, {C8947} – 8/5p2/8/1R4p1/4k2s/6Q1/8/3K4, flanking my own miniature, 28!) incorporating an *elimination mate*! But *all* of these miniatures – including mine – suffer from strong unprovided-for Black defences (e.g. a flight or flight-acquiring moves) which seem to be an integral part of the separation mechanism, or instead thwart cooks (as in my miniature's 'try'). Unity in my problem is achieved through the fact that *all* of Black's moves utilize the simple strategic element of *guard* to generate each specific combination of the seven mates. It took me nearly four years of hard work to attain the goal of combinative separation of three primary threats *in miniature*. Be aware that Gerhard Maleika has composed around a dozen miniatures showing combinative separation of two primary threats and one secondary threat. This is, of course, much easier to realize than when all three of the threats are primary.

[29] Ian Shanahan: 2nd Prize, Australian Chess Problem Magazine Theme Tourney No.2, 1996. [Australian Chess Problem Magazine, November 1996, {No.21}.] C+



*≠*2 √√√√√ (7+6)

Try: 1.Ձd2? (>2.營e1) 1...**1**g1**쌀**!

Try: 1.âe4? (>2.câ~) 1...≜e3+ 2.â×e3≠. 1...≜d4 2.âc3≠.

1...**≜**×e4 2.**⑤**×e4≠. 1...**≜**b3 2.**∄**×b3≠.

1...**≜**c4!

Try: 1.党e3? (>2.c兌~) 1...≜a3!

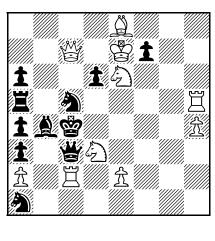
Try: 1.☆×f3? (>2.c☆~) 1...♠×f3!

Try: 1.☆c4? (>2.e☆~) 1...♣d4!

Key: 1.☆c3! (>2.e☆~) 1...♠e3+, ♠a3 2.♠(x)e3≠. 1...♠e4 (etc.) 2.♠(x)e4≠. 1...★xe2 2.爲xe2≠.

• The theme was "the key move is made by a $\hat{\mathbb{Z}}$ ". The *half-battery* yields four $\hat{\mathbb{Z}}$ -tries.

30 Ian Shanahan: Mat Plus, Winter 1997 (Volume II, No.16), p.155. C+



*≠*2 * (10+11)

Set: 1...**1**d5 2.4 e5≠.

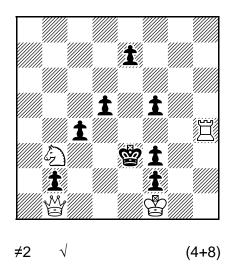
Key: **1.**[⊕]**×d6**! * (>2. [⊕]d4[**A**], [⊕]d5[**B**], [⊕]e5[**C**])

- **1**...**ਡ**b5 2.₩d4[**A**], ₩d5[**B**], ᡚe5[**C**]≠.
- **2** 1...**1**f6 2.₩d4[**A**], ₩d5[**B**]≠.
- **2** 1...**1**f5 2.\ddata{d4[A], \delta]e5[C]≠.
- 2 1...a b3 2. d5[B], e5[C]≠.
- **❸** 1...**增**×c2 2.**ਊ**d4[**A**]≠.
- **3** 1...**3**×c2 2. ₩d5[**B**]≠.
- **❸** 1...**1**×e6 2.**②**e5[**C**]≠.
- **4** 1...c**3**~ * 2.≌×b4≠.
- **5** 1...**3**×d3!? * 2.**1**xd3≠.
- *= **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**); **①**-**⑤** = five "levels of intelligence" of Black defences, uniting **Total Primary Combinative Separation** with **Secondary Black Correction** (i.e., the **Shanahan Blend**).
- A new thematic mix (of 'old' with 'new'): the **Shanahan Blend** (i.e., **Total Primary Combinative Separation** of three threats leading to **Secondary Black Correction**), combined with the **Dalton 2 Theme**; the set-mate is **transferred**.

CONSTRUCTIONAL NOTES

This problem was entered in the (formal) **Fleck Memorial Tourney**, 1995, but was unrewarded therein. Unpinning is employed – a little unusually – as a *threat-separation* mechanism (i.e., 1... xc2).

31 Ian Shanahan: U.S. Problem Bulletin, January 1997, {No.3472}. C+



Try: 1.營d1? (>2.營d4[**A**], 營d2[**C**])

1...**1**b1**≜**, **1**d4, **1**e6 2.**\(\delta\)**(**x**)d4[**A**], **\(\delta\)**d2[**C**]≠.

1...**1**b1**3**, c**1**~, **1**f4 2. 🗳 d4[A]≠.

1...**1**e5 2.\d2[**C**]≠.

1...**±**b1**쌀**!

Key: 1. ₩xb2! (>2. ₩d4[A], ₩c3[B], ₩d2[C])

1...**1**e6 2.營d4[**A**], 營c3[**B**], 營d2[**C**]≠.

1...**1**xb3 2.\dda{\bar{a}},\dda{\bar{c}}c3[\bar{b}]≠.

1...**1**e5 2.\degree c3[**B**], \degree d2[**C**]≠.

1...**७**d3 2. ₩d2[**C**]≠.

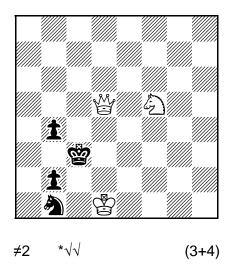
THEMATIC CONTENT

Rudenko Theme; Total Primary Combinative Separation of three threats post-key, with a flight-giving key in a Meredith setting; Partial Primary Combinative Separation of two threats in the try play.

CONSTRUCTIONAL NOTES

My self-imposed task was to show total combinative separation of three primary threats in Meredith (not uncommon), with a flight-giving key (unusual), but with only the and so (unique?). This task was not easily accomplished: I succeeded only at my third attempt! It is likely that this three-fold task is new. Note that there are only three captures in the proof-game to this position. The formal imperfection of Partial Primary Combinative Separation of two threats after the try precedes the formal perfection of Total Primary Combinative Separation of three threats after the key.

32 Ian Shanahan: The Problemist, July 1997, p.171, {No.17}. C+



 Set: 1...**1**b3 2.營d4≠.
 Key: 1.②d6! (>2.②b5[A], ②e4[B], 營c4[C])

 1...**2**d2 2.②b5[A]≠.

 1...**2**b3!
 1...**2**b3 2.營c4[C]≠.

Try: 1.當e2? (>2.營d3) 1...**1**b3 2.營c5≠. 1...**थ**c2!

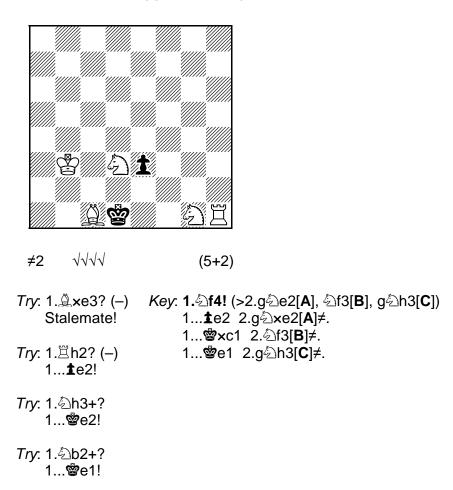
THEMATIC CONTENT

Ideal Primary Fleck Theme, in Miniature, with one set-mate changed twice, by the key and by a try.

CONSTRUCTIONAL NOTES

This problem was entered in the (formal) **Fleck Memorial Tourney**, 1995, but was unrewarded therein and not published – until my earliest article in **The Problemist** about the Ideal Fleck Theme in miniature two-movers. Observe the **duel** and **geometrically corresponding moves** (**echo**) between the **1** and **a** in the set-play!

[33] Ian Shanahan, The Problemist Supplement, July 1997, {PS617}. C+



THEMATIC CONTENT

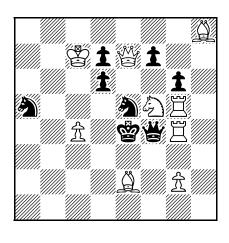
Ideal Primary Fleck Theme, in Miniature, with a key that gives two flights!

CONSTRUCTIONAL NOTES

This problem – composed quite independently – is a vast improvement on a related position by Robert Lincoln (whose miniature [see **The Problemist**, July 1997, p.171, {No.18}] is not an anticipation, since his separation mechanism is quite different to mine). It is nice that three White units are on their game-array squares! The play is unified by the fact that all threats and mates involve firing of the same White **battery**. (Notice that with ②d3→f3, the key 1. ②d4! is now less generous, but yields a kind of "**dual transference**": Set: 1...a 2.AB; Key: 1.X! 1...a/b/c 2.C/A/B≠.)

34 Ian Shanahan: The Problemist, July 1998, {C9252}. C+

~ To Michael Lipton ~



*≠*2 * (9+8)

Key: 1. ₩xd6! (>2. ₩d4[A], ₩d5[B], ₩xe5[C])

- **1**...**3**b7 2. ₩d4[**A**], ₩d5[**B**], ₩xe5[**C**]≠.
- **2** 1...**1**f6 2.\dday{d4[A], \dday{d5[B]≠.
- **②** 1...**⊌**×q4 2.₩d4[**A**], ₩×e5[**C**]≠.
- **②** 1...**③**b3 2.營d5[**B**], 營×e5[**C**]≠.
- **3** 1...a**3**×c4 2.\d4[**A**]≠.
- **3** 1...a**3**c6 2.\d5[**B**]≠.

- 1...**ଛ**f3 2.Ձd3[**D**], Ձf3[**E**], ≅xf4[**F**], 營xf4[**G**], ੈxf3[**H**]≠.
- 1...e**୬**c6 2.Ձd3[**D**], Ձf3[**E**], ཐ×f4[**F**], ♚×f4[**G**]≠.
- 1...e**3**×c4 2. **2** d3[**D**], **2** f3[**E**], **2**×f4[**F**]≠.
- - 1...**୬**×g4 2.Ձd3[**D**]≠.

①-③ = eight "levels of intelligence" of Black defences – a kind of "octary correction" – uniting **Total Primary Combinative Separation** [c.s.] with **Total Secondary Progressive Separation** [p.s.].

6

6

• **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**); **Total Primary Combinative Separation** of three threats; **Total Secondary Progressive Separation** of five moves (only *four* of them being **secondary threats** [not 2.☆xf3]!) forced by the unpinned ♠; **Mate Transference** from set- to actual play.

CONSTRUCTIONAL NOTES

As far as I am aware, this problem is the PIONEER (and still, in 2013, the ONLY) example of an original idea: blending primary combinative separation with secondary progressive separation; this is something I have *never* seen before within the same composition, let alone during a single phase! (The dedicatee, British IM Michael Lipton, expressed in an e-mail to me that it deserved a 1st Prize – so I was truly dismayed to learn that it received *absolutely nothing* in **The Problemist**'s 1998 \neq 2 award!) Observe the unified strategy behind the c.s. mechanism: *guard* and/or *elimination of control* of a square in the $rac{1}{2}$'s *field*. Also, there is only one *plug* ($rac{1}{2}$ d7) – a small price to pay! – but, unfortunately, three strong unprovided-for defences: 1...a $rac{1}{2}$ xc4 / $rac{1}{2}$ xf5. "Stepping stones" (all $rac{1}{2}$ 2, $rac{1}{2}$ 4, the first three with secondary p.s. of just three mates, are:

34A 8 / 2pQpK1B / Sp2pS2 / 1P1s4 / 1Rqk1P2 / 2p1r3 / 8 / 6Bs.

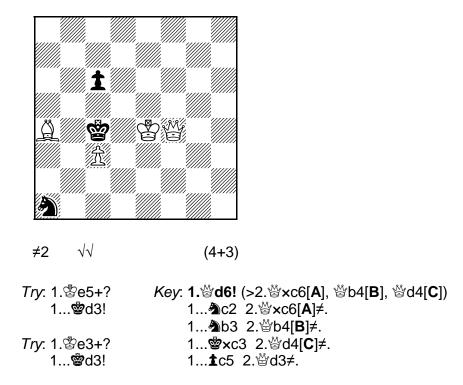
8 / 3pQpK1 / 2p2pSp / R2Ss1PP / 1R1bk1P1 / 3p1p2 / 8 / 3B4. A rejected alternative was $2d1 \rightarrow h1$, -2h5: there is now a loss of a valuable set-mate (after 1...1d2), an underemployed 2h, and 1d20 becomes a mere plug.

34C 8 / 1pQpK3 / p2pS3 / RSs5 / Rbk1P3 / 1p1r4 / 7s / 5B2. The alternative version ♠h2→g1 was discarded: the 🗵 is therein slightly lazier.

34D 8 / 3pQpK1 / 2p2pS1 / R2Ps1P1 / 2Rqk1Pb / 4p1P1 / 2P1B3 / 8. I thought this version was unimprovable – until I discovered a way of saving three units at the cost of there being a third strong unprovided-for defence (i.e., in 34 itself). Notice that ♠g8, –♣g5 in 34D yields an extra variation with set-play and no plugs!

Gerhard Maleika's illustrious 1st Prize, **Probleemblad**, 1992 (parading total primary *and* total secondary c.s. [i.e., the **Maleika Blend**] with the Dalton 2 Theme), is not unrelated. It has 23 units, 14 variations, six mates, four *plugs*, three unprovided-for defences (one of them being a flight!). Instead, my composition, 14 variations, 15 relations, 16 relations, 17 units, 18 variations, 19 relations, 19 relatio

35 Gianni Donati & Ian Shanahan: The Problemist, November 1998, p.467, {No.37}. C+

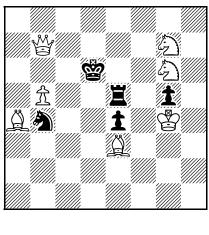


THEMATIC CONTENT

Ideal Primary Fleck Theme, in Miniature; battery-destruction of a Royal battery.

CONSTRUCTIONAL NOTES

The two *unprovided flights* and the poor *flight-taking key* are ameliorated somewhat by the (paradoxical?) destruction of a Royal battery, (checking) tries by the 🕏, unity of White play (i.e., all mates are by the 🔄), and the presence of one *elimination mate*: 1...**1**c5 2. 💆 d3≠. An earlier version (unpublished) was 35A − 4B2s / 8 / 2p1kP2 / 2Q5 / 8 / 5K2 / 16 (C+) — which has a superior key (1. 💆 e4!), but neither tries nor the additional variation.



*≠*2 (7+5)

Key: 1. 4b3! (-)

1...**≝**f5 2.**②**e8[**A**], **ঔ**e7[**B**], **②**×f5[**C**]≠.

1...**里**c5 2.**②**e8[**A**], **쌀**e7[**B**]≠.

1...**Ĭ**e8 2.**②**×e8[**A**], **②**f5[**C**]≠.

1...**里**e7 2.營×e7[**B**], ⑤f5[**C**]≠.

1...**≝**b5 2.**②**e8[**A**]≠.

1...**ਡ**d5 2.**७**e7[**B**]≠.

1...**里**e6 2.**②**f5[**C**]≠.

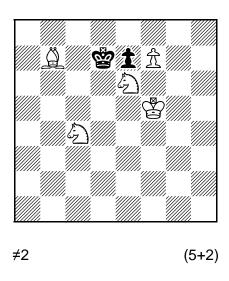
1...**୬**~ 2.\boxode{\omega}(\times)c6≠.

THEMATIC CONTENT

CONSTRUCTIONAL NOTES

This problem – my 13th combinative separator – is the (somewhat inferior) precursor to **StrateGems**, January 2000, {T0150}, and a companion to **The Problemist**, November 1999, {C9428}. All three compositions use a focal mechanism rather than the usual **ambush** (waiting) key in conjunction with various **line-openings**. Here, the thematic piece is a **I**. This was really tough to compose, taking much effort: the diagram is approximately my 30th version! 1.\$\textit{\tex

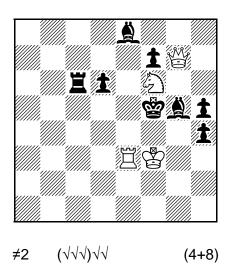
37 Ian Shanahan: Ideal-Mate Review No.76, October 1999, {No.10364}. C+ ~ "Ideals" ~



Key: **1.**當**g6!** (–) 1...♚×e6 2.ቯf8ᡚ≠.

• The initial position – i.e., the diagram itself – is an *Ideal Stalemate*; the mate after the key is an *Ideal Mate*. 37 illustrates the *Phoenix Theme* (in its most basic form). <u>NB</u>: the captured ② could have reached the mating square, f8, in just one single move anyway! Eugene Albert, editor of **Ideal-Mate Review**: "Phenix, in simplest form. [The] Initial position is ideal stalemate!".

38 Ian Shanahan: **The Problemist**, November 1999, {C9428}. **C+** ~ To Robert Lincoln ~



{*Try*: 1.ᡚd7? (>2.營h7) 1...負d8[**a**], 負e7[**b**], **1**f6[**c**], ♠×d7[**d**]!}

{*Try*: 1.♠h7? (>2.營×g5) 1...♠d8[a], ♠e7[b], **1**f6[c]!}

{*Try*: 1.ᡚxe8? (>2.∰h7) 1...Ձd8[**a**], Ձe7[**b**]!}

Try: 1.ᡚd5? (>2.∰h7) 1...**⊉**d8[**a**]!

Try: 1.ᡚxh5? (>2.營h7) 1...g奠~(d8) 2.營g4≠. 1...奠xe3!? 2.營f6≠. 1...**1**d5 2.ቯe5≠. 1...**1**f6[**c**]! *Key*: **1.∆g8!** (>2.**∀**h7)

1...**≜**h6 2.**②e7[A]**, **쌀**f6[**B**], **②×**h6[**C**]≠.

1...**≜**f4 2.**②**e7[**A**], **쌀**f6[**B**]≠.

1...**≜**e7 2.**②**×e7[**A**], **②**h6[**C**]≠.

1...**≜**f6 2.**\(\delta\)**×f6[**B**], \(\delta\)h6[**C**]≠.

1...**1**f6 2.**②**e7[**A**]≠.

1...**≜**×e3 2.\degree f6[**B**]≠.

1...**≜**d8 2.**②**h6[**C**]≠.

1...**1**d5 2.□e5≠.

THEMATIC CONTENT

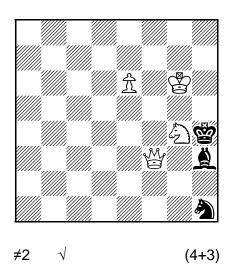
Progressive Separation of Refutations (to four tries – also called the **Savournin Theme**); **Total Secondary Combinative Separation** of three moves (all **secondary threats**), with six of the combinations forced by the **g**5 using a **focal mechanism** – and there is a single **elimination mate**, after 1...**1**d5; **Secondary Black Correction** in the try play.

CONSTRUCTIONAL NOTES

This problem is the final evolutionary step in a chain that started with a Robert Lincoln *miniature* showing a **1**-bivalve, as here, after 1...**1**f6. Observe that in the tries 1. d5? d5? d8! and 1. xh5? **1**f6!, their refutations are activated by the tries themselves! h4 is not merely a *plug*: it guards g3 so that 1. xh5! is not a cook. There are seven mates in all across the six phases, five after the key. The *progressive separation of refutations* (*Savournin Theme*) is fortuitous and incidental, but the two 'real' tries are certainly a very nice bonus! Besides my own two-movers, the only other *Meredith* I knew [in 1999] that parades total secondary combinative separation by a is JMR2: John M. Rice, 2nd Honourable Mention, British Chess Magazine, 1965 – 4Q3 / 6p1 / 2p1R1K1 / 2Rpb3 / 8 / 3k2S1 / 1B6 / 5S2 (C+) Set: 1... x 2 2. Z e3≠; 1. Zd6! (-). John Rice's problem is quite different to mine: his has set-play changed after the key, whereas mine instead has tries; moreover, the *mechanisms* are utterly distinct.

39 Ian Shanahan: More Fun with Chess Miniatures, Robert Lincoln (U.S. Chess Federation), 2000, {No.173}. C+

~ To Bob Lincoln (a "five-bagger"!) ~



Try: 1.♠h6? (–) 1...♠×e6!

Key: **1.⊴e3!** (−)

1...**△**~(**△**f2) 2.**∀**×f2[**D**]≠.

1...**≜**×e6 2.**.2**g2[**A**]≠.

1...**≜**g4 2.**﴿**g2[**A**], **∰**×g4[**B**]≠.

1... $\mathbf{Q} \sim (\mathbf{Q} \mathbf{g} \mathbf{g}) \ 2.\mathbf{Q} \times \mathbf{g} \mathbf{g} \mathbf{a}, \ \mathbf{g} \mathbf{g} \mathbf{a}, \ \mathbf{g} \mathbf{f} \mathbf{b}, \ \mathbf{g} \mathbf{f} \mathbf{f} \mathbf{c} \mathbf{f} \mathbf{f}$

1...**≜**f1 2.\deg4[**B**], \delta\f5[**C**]≠.

1...**≜**f5+ 2.**②**×f5[**C**]≠.

1...**∄**g3!? 2.f6[**E**]≠.

THEMATIC CONTENT

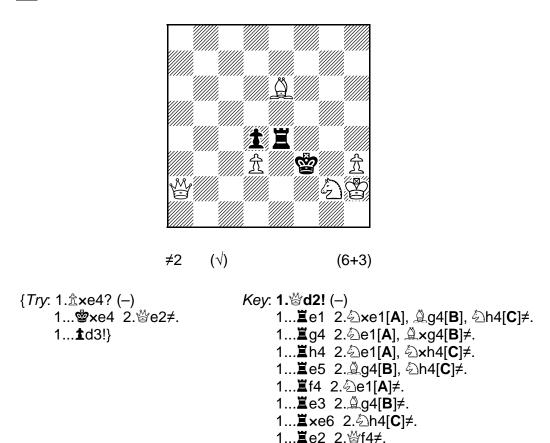
Secondary Black Correction; **Total Secondary Split Progressive Separation** of three moves (**secondary threats**), with a pair of **elimination mates**, using a **focal mechanism** and **Secondary Black Correction**: the PIONEER.

CONSTRUCTIONAL NOTES

The pioneer illustration of a new mate-separation pattern: **split progressive separation** (which might also be dubbed the *Rzewski Theme* – after Fred. Rzewski's musical composition Les Moutons des Panurge, whose note-order exhibits the same basic idea or filtering pattern; or, instead, the **Knife Theme**, since if the mates are written out in the order as above, but with each variation's letters being listed vertically, the resulting shape of letters resembles a knife blade!). Here, the pattern of mates is as follows: D, A, AB, ABC; BC, C, E – i.e., a progressive accumulation series followed by a progressive reduction pattern, based upon the same set of mates (ABC), each sequence here beginning or terminating with an elimination mate, D or E; D follows a random move by a piece (the a), while E follows a **Secondary Correction** by it. (Note that the three mates ABC do not need to arise twice during the same phase, although this might be desirable!) This 'split' pattern is a blend of - or an intermediary between - and exhibits characteristics of both progressive and combinative separation. My ground-breaking miniature evolved from a defective (unpublished) secondary combinative separation miniature, a "stepping stone": 39A 8/3p4/6K1/8/6Sk/5Q1b/16 (C+) - with just the five variation-mates {ABC, AB, BC, A, C} ≡ {A, AB, ABC, BC, C} (with AC and B being absent, and no elimination mate[s] in sight). Notice that h1 could just as easily be placed on e4 instead (C+); but the problem seems to me to be 'tighter', or 'more accurate', with the 최 on h1; either way, 1... 🗗 f2 is a genuine random move (indeed, the only one available!), and so 1...ag3!? is still a Black correction move. Bob Lincoln wrote (p.45 [op cit.]):

[This] segment [**DEGREES OF SEPARATION**] concludes with **173**, a consciously offbeat slant on separation. 1.Sh6? is snubbed because an intrepid 1...Bxe6! succours. 1.Se3! complaisantly takes the bishop gremlin in tow through 2.S(x)g2 **A**, 2.Q(x)g4 **B**, or 2.S(x)f5 **C** which all swipe 1...Bg2. Sequels then dwindle with 1...Bg4 **AB**, 1...Bf1 **BC**, 1...Bxe6 **A**, and 1...Bf5+ **C**. This madcap scattering is yclept "split progressive separation" by lan Shanahan. 2.Qxf2 exterminates 1...Sf2 and 1...Sg3 grimly despairs to 2.Qf6. Such an unorthodox scenario definitively breaks the mould and may inspire future cultivation.

40 Ian Shanahan & Tony Lewis: StrateGems, January 2000, {T0150}. C+



THEMATIC CONTENT

Total Secondary Combinative Separation of three moves (**secondary threats**), with all eight possible combinations (i.e., the seven combinations of the three mates plus an **elimination mate**) forced by the **E**, using a **focal mechanism**: the ECONOMY RECORD.

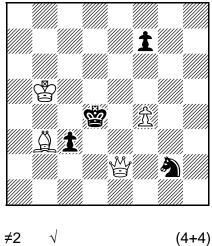
CONSTRUCTIONAL NOTES

A vast improvement on my 12-unit setting of the theme, 36 – in **Die Schwalbe**, October 1999. Here, the is utilized, hence the superior economy. NB: the focal matrix is different to that of the abovementioned problem; but the *mechanism* is identical (indeed, unique!). I sited the in on a2 (rather than on b2 or c2) because of 1. 10 d7? (-) 10 2 2. 11 is a very slight pity that the defence in the elimination-mate variation of 40 is doubly motivated: pinning the 10 and shutting off the 11 secondary combinative separator from the 1950s (Honourable Mention, American Chess Bulletin, 1954) – both have nine units and eight variations! In an e-mail to me, the English problemist IM Barry P. Barnes wrote that he absolutely *loves* 40! Other versions of it (by the same two authors) – but *not* for publication! – (C+) are:

40A 8 / 2p1p1Q1 / 2B1r3 / 5k2 / 6S1 / 3S2PP / 4p3 / 4K3. This version has a legitimate try: 1. 全c4? **以**f6!; 1.全c5!.

40B 16 / 4p1S1 / 8 / 2Bpr3 / 3p1k1p / 3Q1S1K / 8. 1.Д×d3? **Ξ**e3!; 1.Д×e6!.

41 Ian Shanahan, The Problemist Supplement, January 2000, {PS959}. C+



Try: 1.Ձc4? (>2.營d3[**A**], 營e5[**C**])

1... **1**h4, **1**c2, **1**f5 2. **2**d3[**A**], **2**e5[**C**]≠.

1...**a**e3, **1**f6 2. add d3[A]≠.

1...**a**e1 2.**b**e5[**C**]≠.

1...**∕≥**×f4!

Key: **1.ଛc2!** (>2.**७**d3[**A**], **७**e4[**B**], **७**e5[**C**])

1...**ਐ**h4 2.₩d3[**A**], ₩e4[**B**], ₩e5[**C**]≠.

1...**1**f6 2.\d3[A], \delta e4[B]≠.

1...**1**f5 2. ₩d3[A], ₩e5[C]≠.

1...**№**e1 2.₩e4[**B**], ₩e5[**C**]≠.

1...**a**e3 2.**a**d3[**A**]≠.

1...**୬**×f4 2.\georetic e4[**B**]≠.

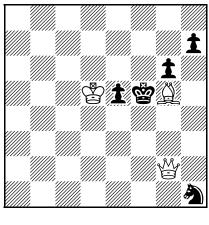
1...**७**d5 2.₩e5[**C**]≠.

THEMATIC CONTENT

Rudenko Theme: Total Primary Combinative Separation of three threats post-key, with a fine flight-giving key in a (nearly miniature) Meredith setting; Partial Primary Combinative Separation of two threats in the try play.

CONSTRUCTIONAL NOTES

This problem is a very economical – it deploys only eight units! – rendering of this theme-blend, with a lovely flight-giving key to boot. The formal imperfection of Partial Primary Combinative Separation of two threats after the try is converted into the formal perfection of Total Primary Combinative Separation of three threats after the key. 41 was developed from a [then unpublished] Ideal Fleck miniature, 74: i.e., simply remove the \pm f7, thence shift every unit one square South-East (i.e., g2 \rightarrow h1), and one brings to light this miniature.



*≠*2 √√ (3+5)

Try: 1.♠h6? (>2.ਊf3[**B**], ਊg5[**C**])

1...**୬**f2 2.**४**f3[**B**], **४**g5[**C**]≠.

1...**a**g3 2.**b**f3[**B**]≠.

1...**±**g5, **±**e4 2.'\(\frac{1}{2}\)(x)g5[**C**]≠.

1...**' g** f6!

Try: 1.Д~(d8)? (>2.營e4[**A**], 營f3[**B**], 營g5[**C**]) 1...**營**f4!

Key: 1.♣h4! (>2.₩e4[A], ₩f3[B], ₩g5[C])

1...**1**h5 2. ₩e4[A], ₩f3[B], ₩g5[C]≠.

1...**1** th6 2. the 4 [A], the f3 [B]≠.

1...**№**f2 2.\(\delta\)f3[**B**], \(\delta\)g5[**C**]≠.

1...**增**f4 2.**增**e4[**A**]≠.

1...**a**g3 2.**b**f3[**B**]≠.

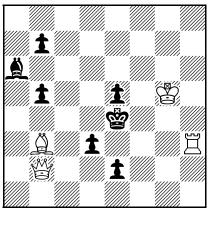
1...**1**g5 2.\digg5[**C**]≠.

THEMATIC CONTENT

Rudenko Theme; Total Primary Combinative Separation of three threats (post-key), with a satisfying flight-giving key in a (nearly miniature) Meredith setting; Partial Primary Combinative Separation of two threats in the try play.

CONSTRUCTIONAL NOTES

Composed 26.ii.2000 (very late at night: between midnight and 5.00 am!), this problem is a very economical – it deploys only eight units! – rendering of this theme-blend. The lovely, hard-to-see flight-giving key also liberates £g6; moreover, it both allows and yet provides for 1... f4, by guarding g3. Notice that the two tries are 'real', in that they activate their own refutations! The formal imperfection of Partial Primary Combinative Separation of two threats after the first try is converted into the formal perfection of *Total* Primary Combinative Separation of three threats after the key. All Black units move! With even better construction and White economy, as well as the presence of two tries, this problem is something of an improvement on my PS959 from **The Problemist Supplement**, [41]:1... f33 is the only strong unprovided-for defence.



*≠*2 √ (4+7)

Try: 1. ₩c3? (>2. ₩b4[**A**], ₩xd3[**B**])

1...**1**e1**Ⅱ**, **1**b6 2.營b4[**A**], 營×d3[**B**]≠.

1...**1**e1**2** 2.₩b4[**A**]≠.

1...**1**e1**≜**, **1**e1**⊌** 2.**∀**×d3[**B**]≠.

1...**±**b4!

Key: 1. ₩d2! (>2. ₩b4[A], ₩xd3[B], ₩e3[C])

1...**1**b6 2.營b4[**A**], 營×d3[**B**], 營e3[**C**]≠.

1...**1**e1**I** 2.營b4[**A**], 營**x**d3[**B**]≠.

1...**1**e1 **2**. **b**4[**A**], **b**e3[**C**]≠.

1...**1**e1 **≜** 2.**\begin{align*}** 2.**\begin{align*}** ×d3[**B**], \begin{align*} \begin{align*} \begin{align*} e3[**C**]≠.

1...**७**d4 2.⊌b4[**A**]≠.

1...**1**e1**⊌** 2.**⊌**xd3[**B**]≠.

1...**1**b4 2.\degree e3[**C**]≠.

THEMATIC CONTENT

Rudenko Theme; Total Primary Combinative Separation of three threats post-key, with a fine flight-giving key in a Meredith setting; Partial Primary Combinative Separation of two threats in the try play; Black Allumwandlung [AUW] (the thematic moves are coloured). Definitely solver-friendly!

CONSTRUCTIONAL NOTES

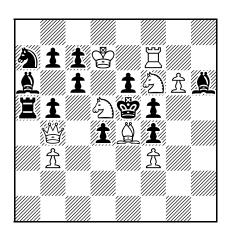
Composed 29.vi.2000. The formal imperfection of Partial Primary Combinative Separation of two threats after the try is converted into the formal perfection of *Total* Primary Combinative Separation of three threats after the key. Although not astonishingly original, this is technically flawless, with a good key. Most units have more than one function (e.g. the 2e3 also prevents 1.2664)! 43 is a slightly more economical counterpart to RL1 – Robert Lincoln, 4th Honourable Mention, **The Problemist**, 1991–I: 24 / S4S2 / 6B1 / 1p1k1P2 / 1K1p2p1 / 3Q3s, \neq 2, 1.264! Neither composition has *any* strong (e.g. flight-giving) unprovided-for defences! "Stepping stones" (all \neq 2, C+), all less good, were:

43A 16 / 5pK1 / 4S3 / 4kP2 / 1B1p4 / 1Q2p3 / 2B5;

43B 6K1 / 8 / 4p3 / 3Spp2 / 3kP3 / B1p5 / Q2p4 / 1B6; This version has an *elimination mate*;

43C 16 / 4p3 / 8 / 4SpK1 / 4kpS1 / 3p1p2 / B4Q2;

43D 16 / 1p6 / b4K2 / 1p1SS3 / 4kp2 / 1B1p1p2 / 1Q6.



*≠*2 *√√√√√√√√√ (9+13)

```
Set: 1...1d3 2.\dig c3≠.
                                 Try: 1.ຝົb6[B]? (>2.營c5)
                                                             Try: 1. ②c2[C]? (>2. □ e1)
    1...e1×d5 2.\degree e7(\quad e7?)≠.
                                      1...1xb6 2.\d6≠.
                                                                 1...≝a1[c]!
                                      1...≜f8[b]!
Try: 1. a×c7? (>2. ad7, ad6)
                                                             Try: 1.Ձb1[D]? (>2.營e1)
                                 Try: 1.♠xf4? (>2.♠d3)
    1...1xe4!
                                                                 1...ℤa2[d]!
                                      1...≜×f4 2.\degree c5≠.
Try: 1.□e7? (>2.□×e6)
                                      1...1×e4 2.②q4≠.
                                                             Key: 1. ₩e1! (>2. ♠c2[C], ♠b1[D], ♠d3)
    1...1×e4!
                                      1...曾xf4!
                                                                  1...\a1[c] 2.\a2b1[D]≠.
                                                                  1...\a2[d] 2.\a2c2[C]≠.
Try: 1. ₩e7? (>2. ₩xe6)
                                 Try: 1.營c5? (>2.dᡚ~)
                                                                  1...1b4 2.⊈d3≠.
                                                                  1...±d3!
                                      1...1b6[a] 2.②×b6[B]≠.
                                                                  1...1d3 2.\dig c3≠.
                                      1...≜f8[b] 2.4e7[A]≠.
Try: 1.句c3? (>2.ਊc5)
                                      1...e1×d5 2.\degree e7(\quad e7?)≠.
    1...1b6[a], ≜f8[b]!
                                      1...c1×d5 2.\(\delta\)×c7≠.
                                      1...1b4!
Try: 1. ②e7[A]? (>2. 營c5)
    1...1b6[a]!
                                 Try: 1. Qd3? (>2. \dig e1)
                                      1...\a1[c], \a2[d]!
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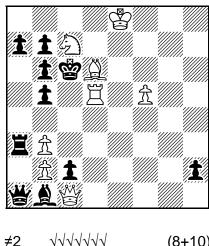
• Banny Theme ×2, the vehicle being battery-formation and -play; try/key + threat Sequence-Reversal ×2; Urania Theme ×2 (\$\text{G} \cdot 5, \text{ }\text{ }\text{d} \text{3}); Threat Correction (after 1. \text{ }\text{x} \text{4}?); (Partial) Fleck Theme; Total Change; total dual-avoidance by elimination of a guard; Fedorovich Theme (after the key, each of the five Black defence is a refutation to some try!).

CONSTRUCTIONAL NOTES

Composed 24.vii.2000. Bob Meadley described the position as "a cramped elevator" (hence the motto); he supplied a proof-game of it demonstrating its legality (notice that the eight \$\mathbf{1}\$s have made seven captures, with nine White units being present in the diagram). Including every threat, there are 17 mates in total! Also, many refutations either have a set-mate or are activated by the very try they refute! Within the Banny sequences, I consider those tries with dual refutations to be a valid extension of the Banny pattern — a logical introduction to the Banny tries, in that the sequence of tries increases in intelligence! They are particularly pertinent when there is just one such square for the try-piece available (as with 1.\(\textit{\textit{d}}\)d3?). Preliminary, non-thematic tries grace this problem. From 1.\(\textit{\textit{e}}\)e7? onwards, 1...\(\textit{\textit{x}}\)e4 is dealt with in various ways (after 1.\(\textit{\textit{x}}\)f4? by a thematic indirect battery!). The try 1.\(\textit{\textit{e}}\)c5? forms one battery: it is therefore appropriate that its refutation is by a battery-opening! However, only some of its six primary threats are forced, whereas after the key, all of its three threats manifest themselves as mates — so, there is a progression towards perfection! Observe that the by-play after 1.\(\textit{\textit{e}}\)c5? and 1.\(\textit{\textit{e}}\)e1! is strategically matched.

CRITICISMS: ① 1.②xc7? ♣f8! militates against thematic clarity; ② throughout the ৺/② Banny phases (including the actual play itself), ②d5 has no function – except as a *plug*; ③ and throughout the ৺/② Banny phases, neither ②f6 nor △e4 have any function; ④ 1.②xc7? ❤xf8! is a *very obvious* refutation, despite the lovely variations that occur within this phase; ⑤ the ③s are *all* plugs, though ⑥s stops 2.৺b2≠ from being a dual after 1...♣d3 in the set-play; ⑥ the position is rather ugly – in a rather beautiful sort of way.

45 Ian Shanahan: StrateGems, January 2001, {T0254v}. C+



(8+10)

```
Try: 1.\(\begin{aligned}
\text{d2? (>2.\(\begin{aligned}
\text{b1})}\)
                                Try: 1. ≜g3? (>2. ₩h6)
                                                                  Key: 1. ₩h6! (>2. ♣~(h2))
     1...罩×b3[a], 罩a4[b]!
                                     1...1 th1 世[c], 世×b2[d]!
                                                                         1...±h1쌀[c] 2.△h2[D]≠.
                                                                         1...⊌×b2[d] 2.⊈e5[C]≠.
                                                                         1...1c12 2.2f4≠.
Try: 1.\(\mathbb{I}\)d4[\(\mathbb{A}\)]? (>2.\(\mathbb{B}\)h1)
                               Try: 1. ♠e5[C]? (>2. ₩h6)
     1...≜a2 2.\\\\\\xc2≠.
                                     1...1h1쌀[c]!
     1...基×b3[a]!
                                Try: 1.△×h2[D]? (>2.營h6)
Try: 1.\(\beta\)d3[B]? (>2.\(\beta\)h1)
                                     1...≝×b2[d]!
     1...≝a4[b]!
Try: 1.營h1? (>2.罝~d)
     1...ℤ×b3[a] 2.ℤd3[B]≠.
     1...里a4[b] 2.□d4[A]≠.
     1...≜a2 2.≌d1≠.
```

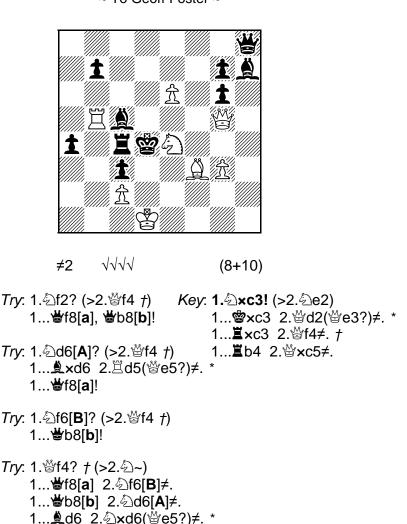
THEMATIC CONTENT

Banny Theme x2, based on battery-formation and -play; try/key + threat Sequence-Reversal x2; (Partial) Fleck Theme; Total Change; changed mates (in the virtual play).

CONSTRUCTIONAL NOTES

1...**±**c1**誉**!

Lovely geometry! This problem inspired Geoff Foster's Brian Harley Award winner, apparently. Apart from 允f5 (a *plug*), *all* White units function in *all* phases! Note that the diagram originally had a 爲c8, but +**1**b7 and +1a6 is preferred (C+), even though the diagram now has one more unit. \$\mathbb{E}\$ e8 avoids the cook 1.\$\mathbb{E}\$ e3! ~ 2. ₩e8≠; **1**b5 and **1**b6 also prevent various other cooks by the ₩. Within the Banny sequences, I consider those tries with dual refutations to be a valid extension of the Banny pattern - a logical introduction to the Banny tries, in that the sequence of tries increases in intelligence! They are particularly pertinent when there is just one such square for the try-piece available (as with 1.\(\mathbb{\pi}\)d2? and 1.\(\mathbb{\pi}\)g3? here). The fact that 1.\(\mathbb{\pi}\)h1? and 1. 6! both entail four primary threats but only three of them are able to be realized as mates in each case is a flaw; and \(\frac{1}{2}\)f5 is something of a pointer to the key. I was rather dissatisfied with the fairly meagre actual play, and in January 2005 created a heavier version (11+9) with extra (thematic) post-key by-play: |45A| Bs2K3/ 1PS5 / 1pkB4 / 1p1R1P2 / 8 / rP6 / PPp4p / qbQ5 (C+). But I'm not sure that the additional force is really worth it.



† = Urania Theme;

1...**g**d5 2. gd6(2g5?, 2xc5?)≠. *

1...**1**g5! (2.**4**)×g5? **1**e4!)

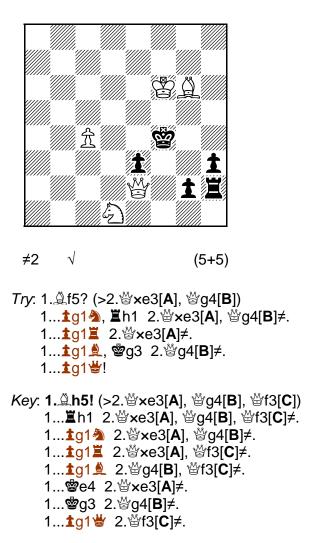
CONSTRUCTIONAL NOTES

Composed 1.ix.2000. Aside from £q3 (a **plug**), all White units function in all phases! There are absolutely no pointers to the key or to its variations – so, very deceptive. Thus we have a lovely concoction of 'very old' and 'new' - "rather like a block-threat in spirit" [David Shire, in personal correspondence]. The problem is unified by the Urania theme and total dual-avoidance spanning all of the phases. The trendiness of sequencereversal – together with the rather quotidian Banny battery-building – may fool solvers into thinking that they have found the key! |46| was developed from a single \(\delta\)/\(\Delta\) Banny (i.e., the first half of |44| above, "The Cramped Elevator" double Banny – |46A| 6q1 / 1p1P1p2 / 1Q3p2 / 3Skr2 / 1P3pP1 / 5Pp1 / B2K4 / 8 (C+)). Then I made a preliminary version of the diagram with a completely virtual Banny and $ilde{f extstyle \left}$ key - Geoff Foster's superb idea! – but with very thin post-key play: 46B q7 / p7 / 2p1P1p1 / 2Q3p1 / 4Skr1 / 2PB2pP / 6P1 / 6K1 (C+). The major breakthrough was using a \(\mathbb{\pi}\)b5 and \(\mathbb{\pi}\)c5 to 'widen' the problem significantly without too much additional force. Note that the single \(\overline{\pi}/\overline{\pi}\) Banny could easily be economized further – if the 🖆×🕯 try were removed; but then it would be utterly hackneyed. In 46, shifting the 🗳 to e1 sadly introduces a post-key *dual*: 1.ᡚxb3! ♣b4 [pinning defence] 2.營e5, 營d2≠; there is no way to eradicate 2.營d2≠ in this rich potential variation. Within the Banny sequences, I consider those tries with dual refutations to be a valid extension of the Banny pattern – a logical introduction to the Banny tries, in that the sequence of tries increases in intelligence!

^{* =} total dual-avoidance.

[•] Banny Theme (entirely within the virtual play!); try/key + threat Sequence-Reversal; Urania Theme (f4); battery-formation and -play (only during the virtual phases); Threat Correction and Radical Change after the sacrificial flight-giving key.

[47] Ian Shanahan: 4th Honourable Mention, **The Problemist**, 2001. **C+** [**The Problemist Supplement**, January 2001, {PS1097}.]



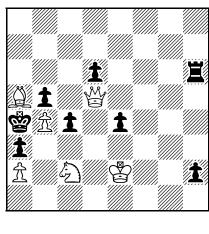
THEMATIC CONTENT

Rudenko Theme; **Total Primary Combinative Separation** of three threats post-key, with a fine **flight-giving key** in a **Meredith** setting; **Partial Primary Combinative Separation** of two threats in the try play; **Black Allumwandlung** [AUW] x2 (the thematic moves are coloured). As far as I am aware, this was the first example of the total combinative separation + Black AUW + <u>two</u> **flights** blend, with one flight being given by the key. A unique, solver-friendly Meredith!

CONSTRUCTIONAL NOTES

Composed 25.vi.2000. The formal imperfection of Partial Primary Combinative Separation of two threats after the try is converted into the formal perfection of *Total* Primary Combinative Separation of three threats after the key. An unprovided flight is unavoidable – a pity, really; and a key giving *both* flights remains elusive. **1**e3 stops the cook 1. \$\text{\textit{\textit{g}}}\$c2+! \$\text{\textit{\textit{g}}}\$d4 2. \$\text{\textit{\textit{2}}}\$e3 to h4 and \$\text{\text{\textit{g}}}\$e6 does not help because of the ruinous *dual* 1... \$\text{\text{\text{g}}}\$e4 2. \$\text{\text{\text{\text{g}}}}\$xe3, \$\text{\text{\text{c}}}\$c4\text{\text{\text{q}}}\$, which could not be worked in as an *elimination mate*, alas. Moreover, the 'outlier' \$\text{\text{\text{c}}}\$c4 really does telegraph the key, but at least the try 1. \$\text{\text{\text{\text{q}}}}\$f5? provides for 1... \$\text{\text{\text{g}}}\$g3 and is ostensibly a stronger move than the key.

48 Ian Shanahan: **The Problemist**, March 2001, {C9623}. **C+**~ To David Shire ~



*≠*2 *√√√√√√ (6+8)

```
Set: 1...1c3 2.\bgreen b3≠.
                            Try: 1. \dd1[X]? (>2.\darkaplap)
                                                        Key: 1. ₩a8![Y] (>2. ♣c7[C], ♣d8[D], ♣b6[E])
                                 1...1 h1≝[a] 2.②e1[B]≠.
                                                              1...嶌h7[d] 2.ଛc7[C]≠.
Try: 1.�d4? (>2.₩xb5)
                                 1...Ľh3[b] 2.②e3[A]≠.
    1...嶌h5! (2.營d1≠?)
                                 1...±c3!
                                                              1...±d5 2.≜b6[E]≠.
Try: 1.ⓐa1? (>2.營d1[X])
                             Try: 1. ♣b6[E]? (>2. ₩a8[Y])
    1...±h1營[a], 崖h3[b]!
                                  1...里h8[c], 里h7[d]!
Try: 1. ②e3[A]? (>2. 營d1[X])
                                  Try: 1.Ձc7[C]? (>2.營a8[Y])
    1...1c3 2.\bdot\bdot\bdot\bdot\bdot\bdot\.
                                       1...里h8[c]!
    1...1h1쌀[a]!
                                  Try: 1.Ձd8[D]? (>2.營a8[Y])
                                       1...黨h7[d]!
Try: 1.4 e1[B]? (>2. d1[X])
    1...嶌h3[b]!
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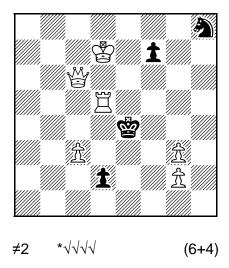
THEMATIC CONTENT

Banny Theme ×2, based on battery-formation and -play; try/key + threat Sequence-Reversal ×2; (Partial) Fleck Theme (post-key); Total Change.

CONSTRUCTIONAL NOTES

Perfect construction, with really lovely geometry! (Indeed, quite a miraculous find!) Numerous lines must not be blocked. The *Letztform* for this theme-combination? In the 2/2 Banny phases, 1/2 Banny phases, 1/that 1...**I**d6 won't ruin the pattern – deceptive? Note that 🕏 to a2 (-**1**a3) cooks: 1.ᡚa3! (>2.ਊd1, ਊ×a5), alas. In 48, after the key, 盆b4 is a plug that prevents further threats, thereby making the (partial) Fleck Theme more accurate. 1e4, in addition to shielding the from the 1, also stops 1...1h1 from attacking a8 in the actual phase. After 1. all of its four primary threats are forced, whereas after the key, all of its three threats manifest as mates - so, there is a progression towards perfection! This problem was developed from a single 🖫 🚊 Banny (i.e., the second half of 44 above, "The Cramped Elevator" double Banny): **|48A|** 16 / 5pr1 / 1pBp1Q2 / 1Pk1p3 / 8 / 2K1S2 / 8 (**C+**). The diagram can even be recast in Meredith, but with idle White units in each phase: e.g. |48B| 16 / 3p3r / Bp1Q4 / kPp5 / P7 / K1S2P2 / 8 (C+). Geoff Foster proposed a two-solution setting with just 11 units: 48C 16/3p3r/BP1Q4/kPP5/8/K1S3P1/ 8 (**C+**). Here is a 13-unit setting, but with 盘c4 and 盘g2 redundant after the key: **|48D|** 16 / 4p2r / pBp1Q3 / SkPp4 / 8 / K2S2P1 / 8 (C+). Within the Banny sequences, I consider those tries with dual refutations to be a valid extension of the Banny pattern – a logical introduction to the Banny tries, in that the sequence of tries increases in intelligence! They are particularly pertinent when there is just one such square for the try-piece available (as with 1. \triangle a1? and 1. \triangle b6? in 48).

49 Ian Shanahan: The Problemist, March 2002, {C9752}. C+



```
Set: 1...f1~ 2.\geq e6≠.
                                                                                                                                                                                                                                                                                                                            Key: 1. \(\poperation{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\paraboldsigned}{\
                                                                                                                                                                                                                                                                                                                                                                             1...1d1 2. 3d4[A], 3e5[B], 3f3[C]≠.
                                                                                                                                                                                                                                                                                                                                                                                                                                            Try: 1. \(\begin{align*}\mathbb{Z}\)c5+?
                                        1...©e3 2.\f3≠.
                                                                                                                                                                                                                                                                                                                                                                             1...2g6 2.\dday{d4[A], \dday{d5[C]≠.
                                        1...曾d3! (2.營f3+ 曾c2!)
                                                                                                                                                                                                                                                                                                                                                                             1...1d12 2.8e5[B], 8f3[C]≠.
                                                                                                                                                                                                                                                                                                                                                                           1...७×d5 2.₩d4[A]≠.
Try: 1.\(\begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Begin{align*}\Beg
                                                                                                                                                                                                                                                                                                                                                                           1...1d12 2.2 e5[B]≠.
                                        1...©e3 2.\degree f3≠.
                                                                                                                                                                                                                                                                                                                                                                             1...७e3 2. ₩f3[C]≠.
                                         1...'e5 2.\begin{aligned} d5≠.
                                         1...७f5! (2.₩d5+ ७g4!)
Try: 1. \\dig c4+?
                                        1...曾e3! (2.營f4+曾e2!; 2.營d3+曾f2!)
Try: 1. ₩c5? (>2. ₩d4[A])
                                         1...1d1\!
```

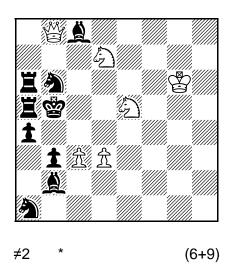
THEMATIC CONTENT

Total Primary Combinative Separation of three threats in the actual play, with a **sacrificial flight-giving battery-destroying key** in a pretty **Meredith** setting; **Black Allumwandlung** [AUW] (the thematic moves are coloured). As far as I am aware, this is only the second example of the total combinative separation + Black AUW + <u>two</u> **flights** blend, with one flight being given by the key. (The pioneer – which is less good – was **47**: PS1097 in **The Problemist Supplement**, January 2001, which gained 4th Honourable Mention!).

CONSTRUCTIONAL NOTES

An unprovided flight seems unavoidable; and a key giving *both* flights remains elusive. 23 is redundant after the key, but the extra try phases do justify it – so this setting is preferable to the single-phase version 36 co to d6, 16 co here does work after 1.26 co +? and stops a cook 1.36 co here as in the single-phase version it does flag the key somewhat. 16 7 prevents an obvious 16 1, as well as being a handy **plug**. But what a nice battery-destroying sacrificial flight-giving key!

50 Ian Shanahan: The Problemist, September 2002, {C9816}. C+



Set. 1...**罩**~ 2.營×b6≠.

Key: 1. ₩d6! * (>2. ₩c6[A], ₩c5[B], ₩b4[C])

- **1**...**≜**c1 2.**७**c6[**A**], **७**c5[**B**], **७**b4[**C**]≠.
- **2** 1...**3**c2 2.₩c6[**A**], ₩c5[**B**]≠.
- **❷** 1...**1**a3 2.營c6[A], 營b4[C]≠.
- **2** 1...**≜**b7 2.**\(\delta\)**c5[**B**], \(\delta\)b4[**C**]≠.
- **3** 1...**≜**a3 2.**\(\beta\)**c6[**A**]≠.
- **❸** 1...**≜**×c3 2.\(\delta\)c5[**B**]≠.
- **3** 1...**≜**×d7 2.\\$b4[**C**]≠.
- **④** 1...**罩**~ 2.營×b6≠. †
- **4** 1...b**3**~ * 2.\(\hat{\pi}\)c4≠. †
- **⑤** 1...**②**c4!? * 2.☆×c4≠. †

† = Karlström-Fleck Theme;

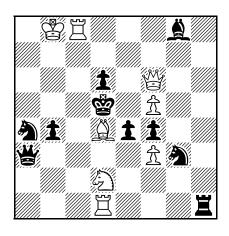
- * = **Dalton 2 Theme** (i.e., White directly unpins a Black unit, which then pins its unpinner **indirectly!**);
- $\mathbf{0}$ — $\mathbf{6}$ = five "levels of intelligence" of Black defences, uniting **Total Primary Combinative Separation** with **Secondary Black Correction** (i.e., the **Shanahan Blend**).
- The **Shanahan Blend** (i.e., **Total Primary Combinative Separation** [of three threats here, and with three **Karlström-Fleck** variations!] leading to **Secondary Black Correction**), combined with the **Dalton 2 Theme** only the third example of this triple mélange to date.

CONSTRUCTIONAL NOTES

"Stepping stones" (all ≠2, **C+**), both less good, were:

50A 8 / 3p1Qp1 / 8 / K4srp / 2S2krp / 7s / 3PP1R1 / 1B5b;

50B 6Q1 / 4S2P / K5sr / 3S2kr / 8 / 4PP1R / 1P6 / b4s2.



*≠*2 *√√ (8+10)

Set. 1...g**3**~ 2.∄×e4≠.

Try: 1.②c4? (>2.營×d6) 1...置h6 2.Qc3≠. * 1...量b3 ‡ 2.Qg1≠. * 1...♠xf5 2.營×f5≠. † 1...♠c5 2.②b6≠. 1...±xf3!

- † = Mäkihovi-Ellerman Theme;
- t = Valve;
- * = Mackenzie Theme via half-battery.
- Half-battery with three changed mates; Mäkihovi-Ellerman Theme*; Mackenzie Theme**; almost a 3x2 Zagoruyko pattern; 12 mates in all (including the threats).
- * The Problemist, July 1979, pp.342–343: "In the virtual play (set or try), a Black defence allows two White mates, which are forced individually in further try- and post-key play".
- ** According to the *Encyclopedia of Chess Problems: Themes and Terms*, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), p.266: "**MACKENZIE THEME**: Two black pieces control a white battery. In two variations one or the other of these pieces abandon or lose the control [of the battery] and the white battery mates by shutting-off or capturing the other piece".

CONSTRUCTIONAL NOTES

"Stepping stones" (all ≠2, **C+**), all less good, were:

51A 3R2K1 / 1(p)6 / 4p1Qb / 4k3 / 2P1Bpp1 / 1r6 / 4S3 / r3R3;

51B 3R3b / 1p5K / 4p1Q1 / 4k1P1 / 4Bpp1 / 1r5p / 1p2S3 / r3R3;

51C 2R3bK / p6p / 3p1Q2 / 3k1P2 / 3Bpp2 / r7 / p2S4 / 3R3r;

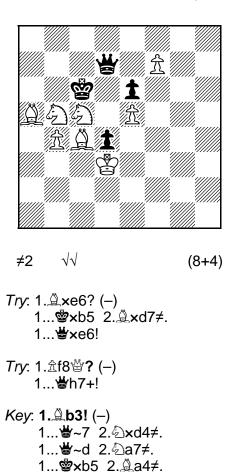
51D 2R3bK / p6p / 3p1Q2 / 3k1P2 / 3Bpp2 / r4Ps1 / p2S4 / 3R3r.

I quickly saw that adding a \$\frac{1}{2}\$f3 and a \$\frac{1}{2}\$g3 gave a third changed-mate readily: it's definitely worth the (minimal) extra material! \$\frac{1}{2}\$f4 merely prevents duals and extraneous threats during the 1.\$\frac{1}{2}\$c4? phase. Otherwise, there are no **camouflage pieces** or **nightwatchmen**. The crudity of the refutation 1...\$\frac{1}{2}\$xc5! after 1.\$\frac{1}{2}\$c5? is a real pity: it is not a good refutation – but it's unavoidable, alas.

PRECURSORS:

- 1. Sergei Shedey, 2nd Prize Konk. Odesskogo Shakh. 1967. [FIDE Album 1964–1967, No.72.]
- Dom Joseph Coombe-Tennant, The Problemist, September-October 1977, {C6002}.

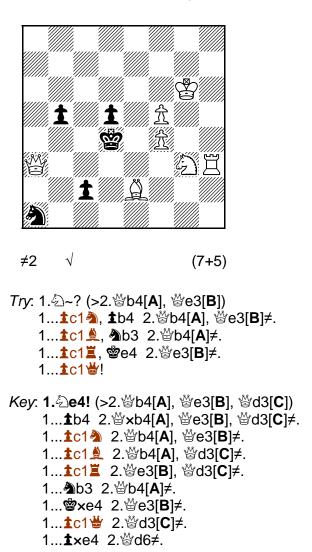
52 Ian Shanahan: Australian Chess, May 2003, {No.8v}. C+



THEMATIC CONTENT

The venerable *Focal Theme* with a waiting key that gives a *flight*.

53 Ian Shanahan: The Problemist, July 2003, {C9926}. C+



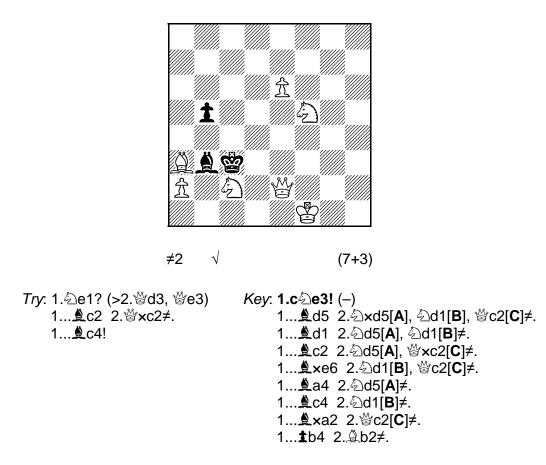
THEMATIC CONTENT

Rudenko Theme; Total Primary Combinative Separation of three threats post-key, with a good sacrificial flight-giving key and an elimination mate in a Meredith setting; Partial Primary Combinative Separation of two threats in the try play; Black Allumwandlung [AUW] ×2 (the thematic moves are coloured). Unique? Definitely solver-friendly!

CONSTRUCTIONAL NOTES

Composed 24.vi.2000. The formal imperfection of Partial Primary Combinative Separation of two threats after the try is converted into the formal perfection of *Total* Primary Combinative Separation of three threats after the key. $\pm f5$ is a cook-stopping plug; $-\pm f4 + 1 = 5$ (C+) is less good, as 1... $\pm f6$ (giving a flight-square at e5) is not provided-for, and in any case leads to a fatal f6 (f6) and f6 (f6) cooks: f6 (f6) cooks: f6 (f6) cooks: f6 (f6) cooks: f6) and f6 (f6) displayed the f6 (potentially allowing the f6) a flight to c5). The key – though lovely – is somewhat obvious: how else is one to activate f6)?

[54] Ian Shanahan & Tony Lewis: The Problemist, September 2003, {C9946}. C+

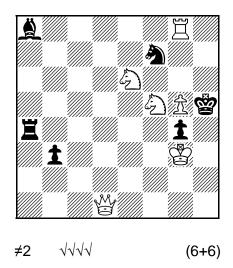


THEMATIC CONTENT

CONSTRUCTIONAL NOTES

Another 'focal' secondary combinative separation accomplished by the \triangle . The focal matrix here, however, is different to its cognates' – although the *mechanism* is identical (indeed, unique!). In this problem, though, there is just one try. I am not fond of the *plug* \triangle 6.

[55] Ian Shanahan, The Problemist Supplement, July 2004, {PS1522}. C+



Key: **1. b1!** (>2.f**2** g7 *z*)

1...**≜**e4 2.**⑤**f4≠. *x* 1...**≝**e4 2.**⑥**h1≠. *x*

1...**୬**×g5 2.≅×g5≠.

Try: 1.營c2? (>2.營h2, fຝg7 *z*) 1...**1**×c2!

Try: 1.營d2, 營e2, 營g1? (>2.營h2 z) 1...≜g2!

Try: 1.營d7? (>2.營**x**f7) 1...**劉**∼ 2.營h7≠.

1...**a**×g5!? *y* 2.≅×g5≠.

1...**a**h6!

Try: 1.營d3? (>2.f分g7) 1...**띨**e4!

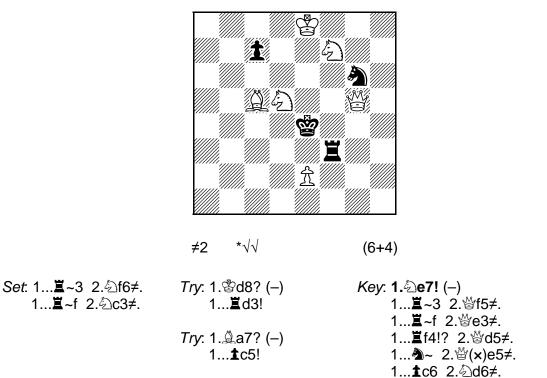
x =Seilberger Interferences (i.e., Levmann defences + Grimshaw Interferences);

y = Secondary Black Correction;

z = Barnes 2 Theme.

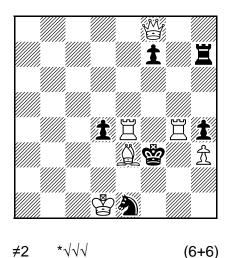
• Composed 16.iv.2003. There are no duplicate variations that merely repeat thematic mates (i.e., so-called "Black duals"). There are also various tries by the "; these more than compensate for a dual in the set-play.

56 J. J. O'Keefe & J. L. Beale (after A. N. Lebedev): **The Problemist**, 1950 – *version* by Ian Shanahan: **The Problemist**, July 2005, p.158, {No.18}. **C+**



[•] An economical *focal mutate* with two changes – as expected – and one added mate (showing a **E Secondary Correction** with a **self-block**). My 2005 version yields two extra tries and is slightly more economical than the original 1950 setting: **JJOK & JLB1** 8 / K2sQ3 / 2S3r1 / 5k1B / 4S3 / 1s2B3 / 16.

[57] Ian Shanahan: Australian Chess, January 2006, {No.67}. C+



Set. 1...**1**×e3 2.e\(\exists f4\neq.

Try: 1.≝e7? (>2.營a8) 1...**≝**h6[**a**], **≝**h5[**b**]!

Try: 1.≝e5?[**A**] (>2.≌a8)

1...**嶌**h8 2.營**x**f7≠.

1...**1**f5 2.\(\delta\)×f5≠.

1...**1**×e3 2.\(\mathbb{I}\)f5≠.

1...**\Z**h6[**a**]!

Try: 1.∐e6[**B**]? (>2.營a8)

1...**1**xe3 2.∐f6≠.

1...**嶌**h5[**b**]!

Key: 1. ₩a8! (>2. Ξe5[A], Ξe6[B], Ξe7[C], Ξe8[D])

1...**ਡ**h6[a] 2.**B**e6[B]≠.

1...**≝**h5[**b**] 2.≝e5[**A**]≠.

1...f**1**~ 2.\(\mathbb{E}\)e7[\(\mathbb{C}\)]≠.

1...**Ĭ**h8 2.Ĭe8[**D**]≠.

1...**1**xe3 2.e\(\begin{align*} \begin{align*} f4\(\neq\end{align*}. \end{align*}

THEMATIC CONTENT

Banny Theme; try/key + threat Sequence-Reversal; (Partial) Fleck Theme; battery-formation and -play; (concurrent) changed mates (after 1... 1xe3).

CONSTRUCTIONAL NOTES

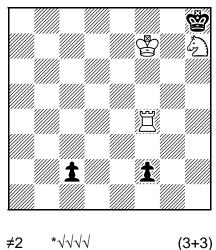
ⓐe1 prevents cooks like 1. ∰d6!. 1. ∰d3 insinuates a *double* Banny, which I achieved in 45 (**StrateGems**, January 2001) and in 48 (**The Problemist**, March 2001). "Stepping stones" (all ≠2, C+), both less good, were:

57A 8 / KpkB1S2 / 3R4 / P7 / p7 / 1rp5 / 2Q5 / 8; Five primary threats, but only four of them are realized;

57B 5Q2 / 5p1r / 16 / 4R2p / 2S1Bk1K / 7s / 4s3; Fine – but the diagram gives an additional battery-mate and change; worth the extra unit.

Within the Banny sequence, I consider the try with dual refutations to be a valid extension of the Banny pattern – a logical introduction to the Banny tries, in that the sequence of tries increases in intelligence! They are particularly pertinent when there is just one such square for the try-piece available (as with 1. △e7?).

58 Ian Shanahan: **The Problemist**, January 2007, {C10374}. **C+** ~ To Michael Lipton ~



> *Try*: 1.ᡚf8? (>2.ቯh4 *) 1...**1**c1營[a], **1**f1營[b]!

1...**1**f1**增**+[**b**] 2.**2**∫6[**A**]≠.

1...**1**f1**≝**[b]!

Try: 1.ᡚf6[**A**]? (>2.띨h4 *) 1...**1**c1**쌀**[**a**]!

Try: 1.ᡚg5[**B**]? (>2.ቯh4 *) 1...**1**f1**쌀**[**b**]!

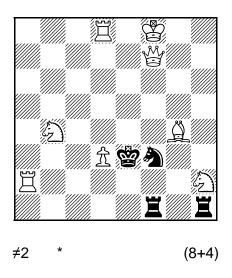
THEMATIC CONTENT

* = Urania Theme (\(\mathrice{\mathr

CONSTRUCTIONAL NOTES

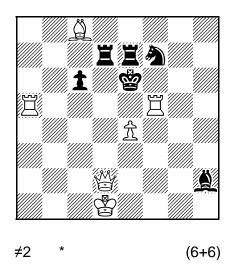
The ECONOMY RECORD for the Banny + Urania Theme-combination? However, post-key, the primary threat 2. \triangle f8 is unwanted. It can be removed by $\textcircled{f}7\rightarrow$ f8 and $\textcircled{f}2c\rightarrow$ g6 (C+): then, only the *two* primary threats are separated; yet the preliminary Banny try and echoed thematic play would be entirely lost, which is even less acceptable. Within the Banny sequence, I consider the try with dual refutations to be a valid extension of the Banny pattern – a logical introduction to the Banny tries, in that the sequence of tries increases in intelligence! They are particularly pertinent when there is just one such square for the try-piece available (as with 1. \triangle f8?).

59 Ian Shanahan: Australasian Chess, September 2008, {No.18}. C+



• An economical *Meredith* with intricate *line-play* and *pinning* involving three *Secondary Corrections* by the (each correction opening two lines whilst closing another). Two of the corrections lead to *self-block* + *white interference* mates, the third correction interfering with \blacksquare h1 (i.e., a *Black Interference*). The aggressive key is by no means optimal. (I was actually trying to show the *Dalton 2 Theme* as well – one of my favourite themes – but, alas, was unable to secure the necessary direct-unpinning key.)

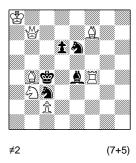
[60] Ian Shanahan: Australasian Chess, September 2011, {No.121}. C+



Set. 1...**1**c5 2.營d5≠. Key: **1.**□**a6!** (>2.營d5) 1...**3**d6 2.份h6(營a2?)≠. 1...**旦**d6 2.營a2(營h6?)≠. 1...**旦**e8 2.營×d7≠.

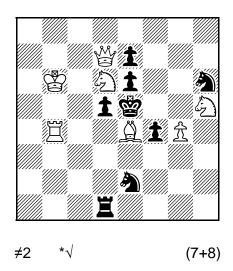
• An economical *Meredith* with two *simultaneous unpins*, *self-blocks* and *dual-avoidance*. The thematic key is just acceptable, but the two long-range mates are geometrically beautiful. I was inspired by the following problem:

WL1 W. Langstaff: The Problemist, 1926. C+



Key: 1. ♣a5! (>2. ♣c6) 1... **1**d5/**a**d5/**a**a4 2. ♣b4/ ♣a6/ ♣xe4≠. No.101 in Barry Barnes's **White to Play and Mate** in **Two**.

61 Geoff Foster & Ian Shanahan: The Problemist, July 2012, {C11019}. C+



 Set: 1...★xe4 2.②c4[A]≠. wxy* Try: 1.ዿf5? (>2.營xe6)
 Key: 1.ዿxd5! (>2.營xe6)

 1...★xd4 2.ৣb5≠. wxz
 1...★xf5 2.營xe7[B]≠.
 1...★xd4 2.②c4[A]≠. wxy**

 1...★xf5 2.營xe7[C]≠. x
 1...★xd5 2.營xe7[C]≠. x
 1...★xd5 2.營xe7[C]≠. wx

 1...★xd5 2.營xe7[C]≠. wx
 1...★xd5 2.營xe7[C]≠. wx

 1...★xd5 2.營xe7[C]≠. wx
 1...★xd5 2.營xe7[C]≠. wx

w = Self-block

x = Line-opening;

y = White self-interference;

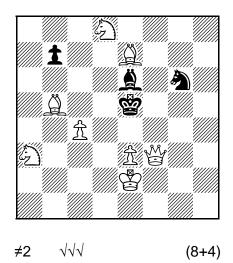
z = Black interference;

* = **Theme B**;

** = mate transferred from set-play;

• A study in *Mate Transference* and *Total Change* – the key of which is *sacrificial* and *flight-giving* – unified by the matching strategy (*sacrifices*, *self-blocks* and *line-openings*) between the phases. I was responsible for creating the try phase and 'polishing' the problem; Geoff did the rest.

^{*** =} mate *transferred* from *try play*.



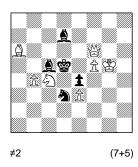
THEMATIC CONTENT

Total Secondary Combinative Separation, in **Meredith**, of three moves (**secondary threats**), with all eight possible combinations (i.e., the seven combinations of the three mates plus an **elimination mate**) forced by the ≜ − FOR THE FIRST TIME EVER! − using a **focal mechanism**; there are also three elimination mates in all, so the problem actually parades **Total Secondary Karlström-Fleck Combinative Separation**!

CONSTRUCTIONAL NOTES

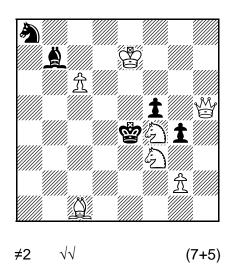
Below is a preliminary version (*not* for publication!) with more economical use of the White force, but with no tries in sight and, worse, an inaccuracy – a *triple* – after 1... **2**c6:

62A Ian Shanahan & Tony Lewis: Original C+



Key: 1. ♣b5! (-) 1... ♣d6 2. ♣b6[A], \(\text{\text{\$\psi}} \) d4[B], \(\text{\text{\$\psi}} \times \text{\$\psi} \) d6[C]≠; ... 1... ♠xe3+ 2. ♠xe3≠; 1... ♠xe3≠; 1... ♠xe5+ 2. ♠xe5+ 2. ♠xe5+; 1... ♠xe5+ 2. ♠xe5

[Springaren, September 2012, {No.12504}.]



Try: 1.இg5+? 1...**ஜ**e5 2.營h8≠. 1...**ஜ**d4!

Try: 1.營h8? (>2.句g5, 營d4, 營e5) 1...**1**×f3!

Key: 1. ∰f7! (>2. ∰c4[A], ∰d5[B], ∰e6[C])
1... 1g3 2. ∰c4[A], ∰d5[B], ∰e6[C]≠.
1... 1c8 2. ∰c4[A], ∰d5[B]≠.
1... 1c6 2. ∰c4[A], ∰e6[C]≠.
1... 1c7 2. ∰c4[A]≠.
1... 1c7 2. ∰c4[B]≠.

1...**1**xf3 2.營d5[**B**]≠. 1...**3**b6 2.營e6[**C**]≠.

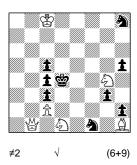
THEMATIC CONTENT

Total Primary Combinative Separation of three threats, but with a rather poor and overly-aggressive key – ameliorated somewhat by the equally aggressive try! – in an economical (**Meredith**) setting showing all seven combinations – but, alas, without any **elimination mate**. At least the separation mechanism is neat (albeit slightly mechanical, with a whiff of symmetry about it).

CONSTRUCTIONAL NOTES

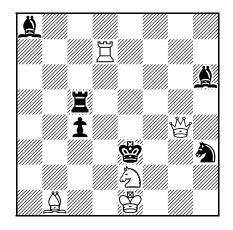
Below is an inferior, much less economical, preliminary version (*not* for publication!) – albeit possessing a far more spectacular key and try:

63A Ian Shanahan: Original C+



Try: 1. ₩b7? (>2. ₩d5, ₩d7, ₩e4, ₩g7) 1...**1**g2!

Key: 1. ₩b8! (>2. ₩d6[A], ₩e5[B], ₩f4[C]) 1... 1h4 2. 2. ₩d6[A], ₩e5[B], ₩f4[C]≠; ... 1... 1f7 2. ₩f4[C]≠.



*≠*2 *√√ (5+6)

Set: 1...**1**c3 2.≌d3≠. 1...**1**g5 2.≌f4≠. Try: 1.ᢓg3? (>2.ᢓf1) 1...≝f5 2.ᢓxf5≠.

1...**≜**g2!

Try: 1.句c3? (>2.句d1) 1...負f3 2.ᇦd4≠.

1...**≝**d5 2.**≝**e4≠.

1...**∕**1111

Key: 1. 2 d4! (>2. 2 c2)

1...**≜**d5 2.**2**f5≠. *x*

1...**Ĭ**d5 2.e4≠. *x*

1...**≜**f4 2.≝e2(≝g1?)≠. *y*

1...**a**f4 2.\g1(\geq e2?)≠. *y*

1...**≜**e4 2.**\begin{align*}**xe4≠.

x =Seilberger Interferences (i.e., Levmann defences + Grimshaw Interferences);

y = Theme A + self-block + dual-avoidance.

• 64 is a truly significant improvement on OS1: Ottavio Stocchi: 2nd Honourable Mention, Western Morning News, 1933 – 4R3 / b2S1bK1 / 5rp1 / 1Q3p2 / s2k4 / 8 / 3P2B1 / 8; \neq 2. 1. 2e5! [No.45 in Selected Stocchi, Volume 1]. Two units are saved in 64 – thereby turning OS1 into a *Meredith* – with extra virtual play and two try phases added! 64 received the world's leading authority on Stocchi, Lu Citeroni's, full imprimatur.

KNOWN PRECURSORS:

PtC1 P. ten Cate, British Chess Magazine, 1947.



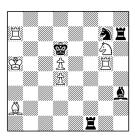
≠2

1.ଛb8! (>2.**ଛ**h3) 1...**ଛ**e5 2.**≅**g6≠.

(9+3)

1...**≝**e5 2.≌a1≠.

DS1 David Shire, **Australian Chess**, Sept. 2003.



≠2

(7+5)

1.2**e5**! (>2.2c4)

1...**黨**f5 2.黨d7≠.

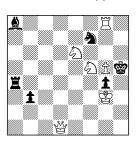
1...**≜**f5 2.**②**f7≠.

1...**∕**f5 2.\(\bar{\pi}\)g6≠.

(1...**≜**d7 2.**≝**×d7≠.)

(1...**≝**c1 2.**②**f7≠.)

55 Ian Shanahan, The Problemist Supplement, July 2004.



≠2 √√√

(6+6)

1. ₩d2, ₩e2, ₩g1? (>2. ₩h2)

1...**≜**g2!

1.\documents'd7? (>2.\documents'xf7)

1...**⁄a**~ 2.\black{\psi}h7≠.

1...**a**h6!

1. \d3? (>2.f\d2g7)

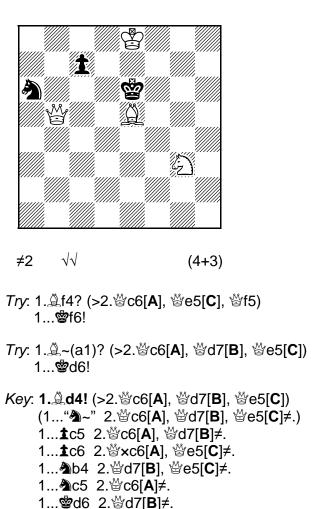
1...**≝**e4!

1. b1! (>2.f**2**g7)

1...**≜**e4 2.**⁄**2f4≠.

1...**≝**e4 2.營h1≠.

1...**୬**×g5 2.≅×g5≠.



THEMATIC CONTENT

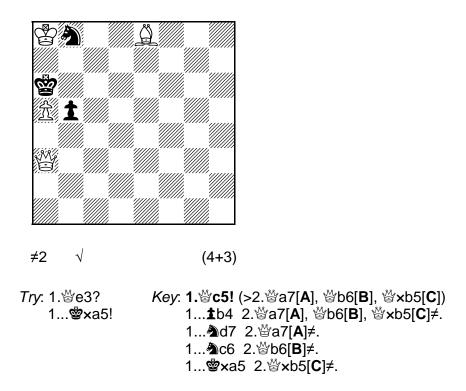
Rudenko Theme; **Total Primary Combinative Separation** of three threats, in **miniature** (to the best of my knowledge, only the 9th example to date!), with an excellent **flight-giving key**, wherein a 'spoof' – imaginary – move allows all three threats to appear as mates; i.e., only six of the seven possible combinations in reality manifest themselves during the post-key play (a weakness?).

1...**№**b8 2.**₩**e5[**C**]≠.

CONSTRUCTIONAL NOTES

The lovely, hard-to-see flight-giving key allows and yet provides for 1...2d6, by guarding c5. Notice that the two tries are 'real', in that they activate their own refutations! If all of the units are shifted one square to the East, then 1...2a – i.e., at to a4 or a8 – actualizes all three threats after the key; but the choice of squares by the at is an inaccuracy, hence a serious flaw. Note that 2g3 may be replaced by a 2g4 (C+): this option is certainly more economical, yet a 2g3 makes the try 1.2g4? appear far more plausible (i.e., with 2g4 instead, why not 1.2g4?). I still wonder which of the four proposed versions is the best?

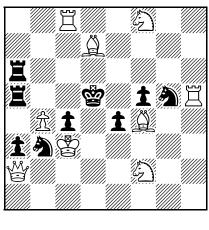
[66] Ian Shanahan: The Problemist Supplement, November 2012, {PS2651}. C+



THEMATIC CONTENT

Sacrificial flight-giving key; **Partial Fleck Theme** (in **miniature**). According to Michael McDowell, a (Partial) Fleck with three threats, plus exactly one Black move which allows all three of the threats to emerge as mates, is known as the **Kuzhaev Theme**. Anyway, the line-closing separation mechanism I find delightful.

67 Ian Shanahan: **Die Schwalbe**, December 2012, {No.15375}. **C+** ~ To Eugene Rosner ~



*≠*2 √√√ (9+9)

Try: 1.≝xc4? (>2.≝d4 †) 1...≝c5 * 2.≝xc5≠. † 1...≝c6 * 2.≜xc6≠. 1...♣e6 2.≅xf5≠. 1...♣f3! Key: 1. ♣xf5! (>2. ♣xe4 †) 1... **≛**e6 2. ♣xe6≠. † 1... **♣**c5 2. ₩xc4(₩d2?)≠. ** 1... **♣**d2 2. ₩xd2(₩xc4?)≠. **

† = *pin-mate* by *masked battery*;

- Masked battery-formation with Total Change involving pin-mates between thematic try- and actual phases (i.e., the Haring 2 Theme*) plus Radical Change between the thematic try- and actual phases (i.e., direct pinning defences in conjunction with unguards by square-occupation become arrival dual-avoidance); reciprocity of captures of the 'half-pinned' \$\ddot\sigma\$s by the rear battery-pieces between thematic phases after moves by the 'half-pinned' \$\ddot\sigma\$s.
- * According to the *Encyclopedia of Chess Problems: Themes and Terms*, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), pp.203–204: "**HARING 2 THEME**: In the try and solution distinct white <u>masked batteries</u> deliver mate. While the <u>front piece</u> gives the mate, the <u>rear piece</u> has to have a pinning function".

CONSTRUCTIONAL NOTES

Good use of most White officers in both the thematic try- and actual phases (apart from \$\hat{\textsupers}\)f2, which is idle during the thematic try – a slight flaw), particularly in the rear battery-pieces' role during their non-masking phases and the key/try-pieces alternately guarding c6 during their passive phase. \$\mathbb{Z}\$ also prevents a dual after the key (1... \$\mathbb{A}\$c5 2.\$\mathbb{Z}\$\times\$c5+?). I very much like the fact that \$\mathbb{Z}\$ a6 yields variations in both thematic phases, enhancing unity. The construction does feel rather 'organic'. David Shire offered the following version (not for publication!), which is more economical but loses valuable content:

67A Ian Shanahan (version by David Shire): Original C+

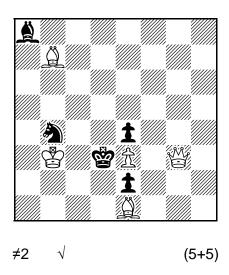


Try: 1.□xf3? (>2.□e3) 1...□g3/♠d5 2.□f4/□xc4≠; 1...♠c2! *Key*: 1.□xc4! (>2.□d3) 1...□a6/♠f4/♠xe1 2.□d5/⊕xf3/⊕xf1(⊕xf3?)≠. Helpmate-like *ortho-diagonal echoed play*.

^{* =} direct pin defence + unguard by square-occupation;

^{** = (}partial) arrival dual-avoidance.

68 Ian Shanahan: **The Problemist**, January 2013, {C11081}. **C+** ~ In Memoriam Tony Lewis ~



Try: 1.營g7? (>2.營c3[**A**], 營d4[**B**]) 1...**營**×e3!

Key: 1. ₩e5! (>2. ₩c3[A], ₩d4[B], ₩xe4[C])
1... ♠a6 2. ₩c3[A], ₩d4[B], ₩xe4[C]≠.
1... ♠xb7 2. ₩c3[A], ₩d4[B]≠.
1... ♠c2 2. ₩c3[A], ₩xe4[C]≠.
1... ♠a2 2. ₩d4[B], ₩xe4[C]≠.
1... ♠a6 2. ₩c3[A]≠.
1... ♠d5 2. ₩d4[B]≠.

THEMATIC CONTENT

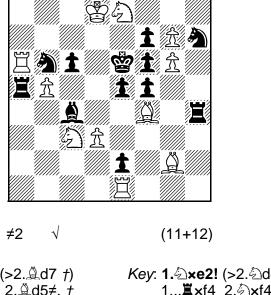
Rudenko Theme; **Total Primary Combinative Separation** of three threats, with a respectable **flight-giving key** in an economical (**Meredith**) setting showing all seven combinations – but without any **elimination mate**.

1...**愛**×e3 2.**∀**×e4[**C**]≠.

CONSTRUCTIONAL NOTES

This problem was developed from a *miniature* position - **66** – that illustrates the so-called *Kuzhaev Theme*. In **68**, it is a pity that all units cannot be translated up one square with the then \triangle e2 being replaced by a \triangle e2; chess-problem composition, alas, rarely endows absolute good fortune...

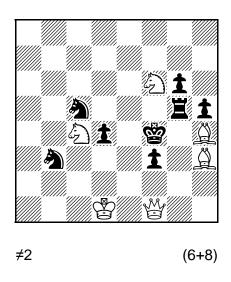
69 Ian Shanahan: Australasian Chess, March 2013, {No.180}. C+



Try: 1.월×c6? (>2.월d7 †)
1...월×b5 2.월d5≠. †
1...1xf4 2.월×e2≠.
1...1c5 2.월×b6≠.
1...1xg6 2.☆g8營≠.
1...1xg6 2.☆g8營≠.
1...1xg6 2.☆g8營≠.

- *†* = *pin-mate* by *masked battery*;
- *‡* = *Tail-cut Prospective Unpin Theme*, here deployed as a *refutation*.
- Masked battery-formation with Total Change involving pin-mates between try- and actual phases (i.e., the Haring 2 Theme*); reciprocity of captures of 'half-pinned' men by the rear battery-pieces between both phases after moves by their 'half-pinned' counterparts.
- * According to the *Encyclopedia of Chess Problems: Themes and Terms*, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), pp.203–204: "**HARING 2 THEME**: In the try and solution distinct white <u>masked batteries</u> deliver mate. While the <u>front piece</u> gives the mate, the <u>rear piece</u> has to have a pinning function".

70 Ian Shanahan: Springaren, March 2013, {No.12658}. C+



Key: 1. **a** e1! (−)

1...**ਡ**g3 2.ᡚd5[**A**], 쌀e5[**B**], 쌀×g3[**C**]≠.

1...**Ĭ**g2 2.�d5[**A**], e5[**B**]≠.

1...**ਡ**d5 2.�xd5[**A**], ∰g3[**C**]≠.

1...**Ĭ**e5 2.≝**x**e5[**B**], ≝g3[**C**]≠.

1...**里**g1 2.**②**d5[**A**]≠.

1...**Ĭ**g4 2.營e5[**B**]≠.

1...**≝**f4 2.**\bega**[**C**]≠.

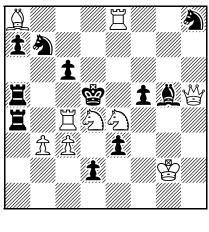
1...b**a**~ 2.營(x)d2≠. 1...c**a**~ 2.營(x)e4≠.

1...**1**d3 2.\degree e3≠.

THEMATIC CONTENT

Focal Theme; Total Secondary Combinative Separation of three secondary threats showing all seven combinations plus four elimination mates (so the problem actually illustrates a variant of Total Secondary Karlström-Fleck Combinative Separation).

[71] Ian Shanahan: 1st Commendation, Springaren, 2013. C+ [Springaren, March 2013, {No.12659}.] ~ To David Shire ~



*≠*2 *√ (9+11)

Try: 1.②xf5? (>2.②xe3 †) 1...**1**d1**3** 2.৺xd1≠. 1...**1**c5 2.②xb7≠. 1...**1**e7! Key: 1.≅×c6! (>2.≅d6 †) 1...≣a6 2.≅c5≠. † 1...₤xe4 2.營×g5≠. 1...₤e7 2.營×f5≠. 1...₤f4 2.包f6≠. 1...₤f7 2.營×f7≠.

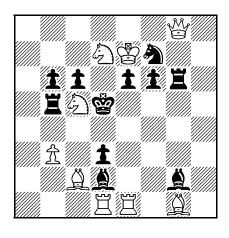
† = *pin-mate* by *masked battery*.

- Masked battery-formation with Total Change involving pin-mates between try- and actual phases (i.e., the Haring 2 Theme*); reciprocity of captures by the rear battery-pieces between phases after moves by the 1st captured by the try and key.
- * According to the *Encyclopedia of Chess Problems: Themes and Terms*, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), pp.203–204: "**HARING 2 THEME**: In the try and solution distinct white <u>masked batteries</u> deliver mate. While the <u>front piece</u> gives the mate, the <u>rear piece</u> has to have a pinning function".

CONSTRUCTIONAL NOTES

Good use of White officers in both try- and actual phases, particularly in the rear battery-pieces' role during their non-masking phases and the key/try-pieces alternately guarding c6 during their passive phase. **I**a5 also prevents 1.句b5! (>2.句c7) from cooking the problem. And **1**d2 shields the **3**g2 from check from the **1**a4. The construction does feel rather 'organic'.

T2 Eugene Rosner & Ian Shanahan: **The Problemist**, March 2013, {C11104}. **C+**~ In Memoriam Christopher Reeves ~



*≠*2 *√ (9+11)

Try: 1. □×e6? (>2. □d6 †) 1... 1f5 2. □e5≠. † 1... 1f4 2. □×d3≠. *□ 1... 1c5 2. □a8≠. 1... □×g8 2. □×f6≠. ‡ 1... □×b3 2. □×b3≠. 1... 1×c5! Key: 1.②×d3! (>2.②f4 †)
1...罩b4 2.②×b4≠. †
1...ૌe5 2.쌀×f7≠. □
1...罩g4 2.②×f6≠. **
1...罩×b3 2.②×b3≠.
1...ᇕb4+ 2.②×b4≠. ***

t = pin-mate by masked battery;

= Tail-cut Prospective Unpin Theme;

= Haring-2 capture-mate due to line-opening;

- Masked battery-formation with Total Change involving pin-mates between try- and actual phases (i.e., the Haring 2 Theme*), with the first three lines of play (①-③) between the try- and post-key phases, beginning with the threats, exhibiting respectively: ① Total Change Haring-2 pin-mate threat; ② guard-unguard yielding the other Haring-2 pin-mate; ③ guard with Haring-2 capture-mates due to line-opening; flight-square creation with line-opening (in the try phase only); reciprocity of captures by the rear battery-pieces between try- and actual phases (as well as within the set-play); check-provocation (post-key).
- * According to the *Encyclopedia of Chess Problems: Themes and Terms*, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), pp.203–204: "**HARING 2 THEME**: In the try and solution distinct white <u>masked batteries</u> deliver mate. While the <u>front piece</u> gives the mate, the <u>rear piece</u> has to have a pinning function".

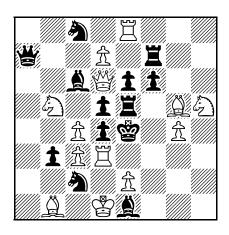
CONSTRUCTIONAL NOTES

^{* =} mate *transferred* from *set-play*:

^{** =} mate *transferred* from *try play*;

^{*** =} mate *changed* from *set-play*.

~ To Eugene Rosner ~



≠2 (13+13)

Try: 1.\(\perp\)×d4? (>2.\(\mathbb{Z}\)e3 \(t) 1...**⊌**×d4 2.□×d4≠. *t* 1...**凰**×d7 2.×d5≠. *t* 1...**≜**d2 2.**﴿**2g3≠. * 1...**凰**f2 2.**②**c3≠. * 1...**里**e7 2.**②×**f6≠. ** 1...**3**d6, **3**e7 2.**2**(**x**)d6≠. 1...**罩**×g5 2.營f4≠. 1...f**1**~ 2.營×e5≠. 1...**1**xg5 2.\(\delta\)xe5≠. 1...**≜**×b5! 1...**¤**×e6 2.**¤**×e6≠. 1...**営**×d7 2.□×d4≠. *†* *** 1...**a**e3+ 2.≅×e3≠.

t = pin-mate by masked battery;

* = Focal Theme; ** = Tail-cut Prospective Unpin Theme; *** = mate transferred from the try phase.

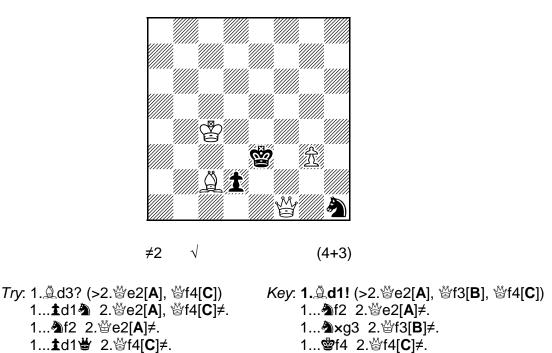
- Post-key masked battery-formation with Total Change involving pin-mates between try- and actual phases (i.e., the *Haring 2 Theme**); *Focal Theme* during the try play, *Tail-cut Prospective Unpin Theme* during the actual play (insinuating Radical Change). Here, the virtual-phase masked battery is already established! And utilizing the 🗑 as the *front* piece of a masked battery while incorporating the Tail-cut manoeuvre to defeat its threat through prospective unpinning strikes me as a new twist to the Haring 2 Theme.
- * According to the Encyclopedia of Chess Problems: Themes and Terms, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), pp.203–204: "HARING 2 THEME: In the try and solution distinct white masked batteries deliver mate. While the front piece gives the mate, the rear piece has to have a pinning function".

CONSTRUCTIONAL NOTES

Good use of most White officers in both thematic phases (apart from Ξ e8 and \pm c4, which are idle during the try phase – a slight flaw which cannot be overcome!); but post-key, every White man except for \(\frac{1}{2}c^3\) has some function. The \(\frac{1}{2}d^7\) stops 1...≜xe8, no solution. (Observe that $ext{ iny d}$ 7 may be omitted if $ext{ iny e}$ 8 is shifted to e7 (C+); but then the Tail-cut Theme would be impure, with If7 crudely capturing the rear piece of the masked battery rather than closing the masked-battery line behind the ₩.) I would love to have worked in 1... ●xg4 2. ₩xg4≠ post-key – but this, sadly, would introduce a second refutation of the try. Without the 🖫 on d1, allowing a check from 🕭c2, there would be a dual in the actual play – i.e., 1... ae3 2. □xd4≠. 1b3 prevents 1. □e3+! 1xe3 2. □xc2≠ from cooking the problem, as well as 1... as well as 1... as well as 1... try. Notice that a 🕏c5 cannot replace 👑a7, because then the position would become illegal: In every conceivable proofgame with a **1**c5, [∄h2] and [**1**h7] must have promoted without making any captures. However, this is impossible because they could never have marched past each other in order to reach their respective promotion-squares, h8 and h1.

NB: |73| is legal ... just! Here is a list of some attributes of a (shortest) proof-game to the given position: **1**d4 took [∄d2] on d6 from c7 (for example); 爺c4 is [爺b2]; 爺d7 is [爺f2]; and 爺g4 is [爺g2] – leaving just [爺a2] and [爺h2] to be captured; White has eliminated [1a7], [1g7] and [1h7] - all of which must have promoted before being taken somewhere on the c-, d- and e-files by 念c4 and 念d7 respectively; [ta7] promoted on a1, without making any captures – after [念a2] was removed by some other Black piece; [±g7] took just [±h2] on h6 (for instance), promoting on h1, after which [±h7] proceeded to promotion on h1 without capturing at all. So the position is indeed legal - albeit with three obtrusive Black pieces, now disappeared!

[74] Ian Shanahan: Springaren, June 2013, {No.12737}. C+



THEMATIC CONTENT

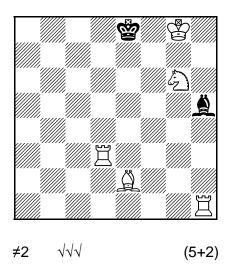
1...**a**×g3!

Rudenko Theme; **Ideal Primary Fleck Theme**, in **Miniature**. The **give-and-take key** is not bad: a **flight** is given, but three threats ensue, while other defences are prevented and/or unprovided-for. Moreover, the key is possibly surprising because \$\frac{1}{2}\$d2 looks like it might just promote, whereas the key precludes this!

CONSTRUCTIONAL NOTES

This composition was developed from (and improved upon) an unpublished but flawed Ideal Fleck miniature: the mechanism here is different, although the threat-squares relative to the a are identical. I soon made a lovely discovery with this miniature: move every unit one square North-West (i.e., $\textcircled{a}h1 \rightarrow g2$, etc.), thence add a a f7, and *voilà!*, we suddenly have *Total Primary Combinative Separation!* (This differently-themed variant was published previously -41.)

75 Ian Shanahan: Springaren, September 2013, {No.12817}. C+



Try: 1.♠xh5? (>2.☐e1) Stalemate!

Try: 1.≝xh5? (>2.≝e5) Stalemate!

Try: 1.當g7? (–) 1...≜~ 2.≌h8≠. 1...≜×g6! Key: 1.\(\mathbb{A}\)e1! (>2.\(\mathbb{A}\)×h5[A], \(\mathbb{A}\)g4[B], \(\mathbb{A}\)f3[C])
1...\(\mathbb{A}\)×g6 2.\(\mathbb{A}\)h5[A]≠.

1... **≜** g4 2. **≜** × g4 [**B**]≠. 1... **≜** f3 2. **≜** × f3 [**C**]≠. 1... **≜** × e2 2. **∃** × e2≠.

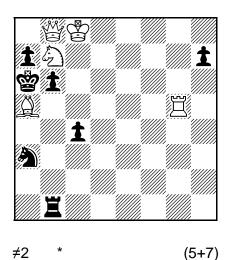
THEMATIC CONTENT

Ideal Primary Fleck Theme, in Miniature, with one elimination mate.

CONSTRUCTIONAL NOTES

Composed during April 1999, this miniature was inspired by S. Kirillov's two wonderful *Ideal Karlström-Fleck* miniatures, which ought to be much better-known.

76 Ian Shanahan: Springaren, June 2016, {No.13608}. C+



 Set: 1...**1**×a5 2.②c5≠. ‡**□***
 Key: **1.**②×b6! (>2.營×a7)

 1...**1**b5 2.營d6≠. †‡○
 1...**2**b5 2.公c5≠. ‡**□****

 1...**2**×b6 2.份d6≠. ▶**

1...**重**×b6 2.⊑a5≠. † 1...**1**×b6 2.≌a8≠. †‡

† = Self-block;

‡ = Line-opening;

► = Line-clearance;

= Self-block + White interference mates;

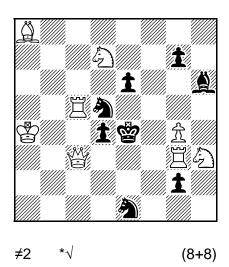
o = Black interference;

* = Theme B:

** = mate *transferred* from *set-play*.

• A study in *Mate Transference* and *Total Change* – the key of which is *sacrificial* and *flight-giving* – unified by the matching strategy (*sacrifices*, *self-blocks* and *line-openings*) between the phases. Essentially, I tried to retain as much of the strategy from 61 as possible, while 'economizing' that position down to *Meredith* size (12 units). The try phase has been excised, at the cost of only a single line-opening and mate transference, while three men exit from the stage!

[77] Ian Shanahan: Springaren, June 2016, {No.13609}. C+

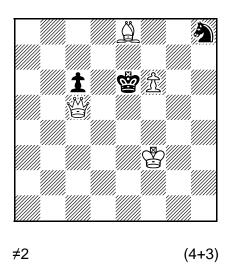


Set: 1...**1**e5 2.**②**×d5≠. 1...**1**g5 2.**③**×e1≠. 1...**1**×c3 2.**□**c4≠. *Try*: 1.\(\mathbb{Z}\)c4? (>2.\(\mathbb{Z}\)×d4, \(\delta\)×d4) 1...\(\delta\)e3 2.\(\delta\)×e3≠. 1...\(\delta\)e5!

Key: 1.월c6! (>2.월×e6)
1...1e5 2.②c5≠.
1...1xc3 2.월c4≠.
1...d>~ 2.월×e6++≠.
1....1xc3+!? 2.월×c3≠.
1...1b6+!? 2.월×b6≠.
1...1bf3 2.월×d3≠.
1...1f3 2.월×f3≠.
1...1f4 2.②f2≠.

• A simple, old-fashioned, **Good-Companions**-style two-mover – with a sweet, unpinning and check-provoking key, as well as two **Secondary Black Checking Corrections** including a **changed mate** (after 1... **1**e5). 77 was a 'refugee' from the 1st Theme Tourney of the now long-defunct **Australian Chess Problem Magazine**, 1995 – since it was promptly rejected by that magazine's editor, Arthur Willmott (who proposed the theme of putting a piece – here the $\ensuremath{\male}$ – in harm's way), on account of the fact that the $\ensuremath{\male}$ was already *en prise* therein, and despite there being a set trap in case it were captured!

78 Ian Shanahan: ORIGINAL for The Problemist. C+



Key: 1. **a**g6 2. **a**xc6[**A**], **a**e5[**B**], **a**e7[**C**]) 1... **a**g6 2. **a**xc6[**A**]≠. 1... **a**xf6 2. **a**e5[**B**]≠.

1...**ቇ**f7 2.**쌸**e7[**C**]≠.

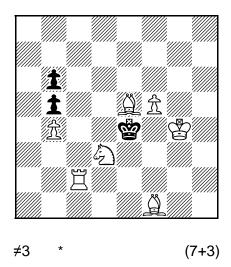
THEMATIC CONTENT

Ideal Primary Fleck Theme, in *Miniature*. Alas, none of the set defences are provided-for, including a flight-capture. Such a weakness is often inherent to the theme and its separation mechanism.

CHESS PROBLEMS by Dr Ian Shanahan

THREE-MOVERS (#3)

1 Ian Shanahan & Ray Proudfoot: Chess in Australia, December 1983. C+

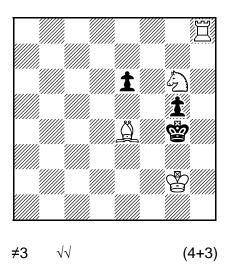


Set: 1... \$\ddot 2. \(\tilde{\tilee}\tilde{\tilde{\tilde{\tilde{\tilde{\tilde{\tilde{\tilde{\tilde

Key: 1.☐c1! (-) 1...曾d5 2.☐g2≠. 1...曾e3 2.☐f2! 曾×f2 3.☐d4≠. 2...曾d2 3.☐f4≠.

• This joint effort, a *Mutate*, was composed on 12.xi.1983. It was my first three-mover! Ray Proudfoot provided the basic matrix, while I refined it – eliminating all duals, cooks, and other infelicities. Note the post-key *model mate* 3. 244. The column of 15 on the b-file is an ugly necessity. An earlier version was 14 8 / p2p4 / p2P4 / P2R4 / 3S4 / Bk6 / 4B3 / 1K6.

2 Ian Shanahan: Australian Chess, March 2003, {No.6b}. C+

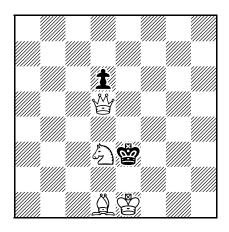


Try: 1.冱f8? (>2.Дf3≠) 1...♚h5!

Try: 1. \(\text{\(\text{\$\leq}\)} c6? \((-) \) \$\(\mathbf{t}\) e5 2. \(\text{\(\leq}\) d7≠. 1...\(\mathbf{g}\) f5!

• A lateral *Royal Indian* in *miniature*. (Rather trivial: a later ≠5 *Indian* by me is so much better...)

3 Ian Shanahan: StrateGems, July 2011, {M0990}. C+



(a) ≠3

- (4+2)
- (b) \(\text{\(\text{d}} \) 1 → c2 \((c) \(\text{\(\text{d}} \) 1 → c8
- (d) \$\dot{\$\dot{e}\$}\equiv 1 \rightarrow h5 (e) \$\dot{\$\dot{e}\$}\equiv 1 \rightarrow f1 (f) \$\dot{\$\dot{e}\$}\equiv 1 \rightarrow b5
- (a) Try: 1. ₩e6+? ७d4 2. ₽d2 1d5 3. ₩g4≠. 1... ७xd3!

 Key: 1. ₩xd6! (>2. Qe2 ৩e4 3. ₩e5) 1... 0e4 2. ₩c5! vd3 3. Qc2≠.
- (b) Try: 1.營e6+? 1...♚f3!

 Key: 1.營**c6!** (-) 1...♚d4 2.镫d2 (-) **1**d5 3.營a4≠.

 1...**1**d5 2.營f6! ~ 3.營f4≠.
- (c) Try: 1.營f5? (-) **1**d5 2.Ձa6! (>3.營f4) 2...♚d4 3.營e5≠. 1...♚d4! Key: 1.句**b4!** (-) 1...♚f4 2.營f5+ ♚g3 3.營f2≠. 2...♚e3 3.包c2≠.
- (d) Key: 1.②e1! 1...७f2 2.營f3+ ७×e1 3.營e2≠. 2...७g1 3.營g2≠. 1...७f4 2.營d4+ ७f5 3.Дg4≠. 2...७g3 3.份h4≠.
- (e) Try: 1. d≤2! 1... d≤5!

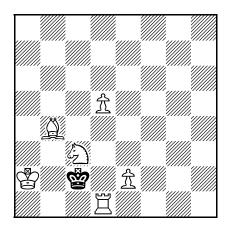
 Key: 1. d=2! 1... d≤2 2. d≤4! d≤3 3. d≤4≠.
 2... d≤5 3. d≤1≠.
- (f) Try: 1.營f3+? 1...♚d4!

 Try: 1.ᢓe1? (-) 1..♚f4!

 Key: 1.ౖ⁰b4! (-) 1...♚d2 2.ਊf3! **1**d5 3.ਊe2≠.

[•] The *miniature* (a) was composed by me, a straightforward but piquant *ideal mate* with a *passive sacrifice* of the ②. Its post-key threat never materializes. After (a) was submitted for publication, three additional *twin*-phases, (d)–(f), were discovered by Rauf Aliovsadzade, ≠3 editor of **StrateGems**. A day or so later, using the Popeye software systematically, Geoff Foster then found two more twin-phases (b)–(c)! Now, across the whole problem, *every* White man makes the key-move! And the problem is dual-free throughout! (Neither gentleman wanted co-authorship.)

4 Ian Shanahan: StrateGems, July 2011, {M0991}. C+



- (a) ≠3 (6+1)
- (b) <u></u>\$b4→d4
- (a) Key: 1.□ **e1!** (–) 1...**७**d2 2.②d1+ **७**~ 3.②e3≠.
- (b) Try: 1.\(\mathbb{Z}\)c1+? \(\mathbb{G}\)d2 2.\(\mathbb{G}\)b3 (>3.\(\mathbb{Z}\)d1) 2...\(\mathbb{G}\)xc1 3.\(\mathbb{Q}\)e3≠. 1...\(\mathbb{G}\)xc1!

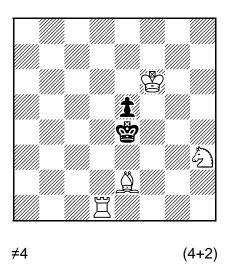
Key: 1.□a1! (-) 1...७d2 2.७b1 (-) ७e1 3.७c2≠.

• The *Rex Solus miniature* (a) was composed by Ian Shanahan, on 23.ix.2005 (minus the ☆d5 = 4A) – a lateral *Royal Indian*, showing in addition the *Durbar theme* (i.e., all post-key moves are made by the ఄso, with quiet play throughout. An earlier – somewhat less satisfactory – version was 4B 24 / 1B6 / R1PB4 / 1k6 / 8 / 1K6. After 4A was dispatched for publication, 4 (b) was discovered by the ≠3 editor of **StrateGems**, Rauf Aliovsadzade. The *plug* on d5 is, however, a pity. (Rauf did not seek co-authorship.)

CHESS PROBLEMS by Dr Ian Shanahan

MORE-MOVERS (\neq 4, \neq 5, ETC.)

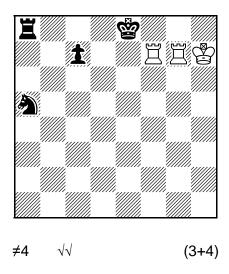
1 Ian Shanahan (after C. A. H. Russ & W. Speckmann): **The Problemist Supplement**, January 1995, p.126, **{A}**. **C+**



Key: 1. ♣**h5!** (♣g4?) 1...**७**e3 2. ♣f5 (♣xe5? Stalemate!) **1**e4 3. ♣g4! **७**e2 4. ♣f4≠.

• A *Royal Indian*, in *miniature*, ending with an *Anderssen mate*. Its creation was provoked by a four-mover which lacked *purity of aim* from a brief article by Colin Russ in The Problemist Supplement, entitled *Turning an Anderssen into an Indian*, July 1994, p.103; see also lan Shanahan: *A Footnote to "Turning an Anderssen into an Indian*," The Problemist Supplement, January 1995, p.126; and Dr Werner Speckmann: *Anderssen (Mate) and Indian*, The Problemist Supplement, September 1995, pp.155–6. I feel that the more economical setting 1A 16 / 4p1K1 / 4k3 / 8 / 4B3 / 3R2P1 / 8 is inferior: the outlying \$\frac{1}{2}\$ points to the solution; there is a loss of *stalemate-avoidance* at move 2, since the \$\frac{1}{2}\$ now cannot capture the \$\frac{1}{2}\$; \$\frac{1}{2}\$d2 — why not deploy it on d1? — also signals the solution. Economy, after all, isn't everything! Note: in the diagram, the \$\frac{1}{2}\$f6 is not positioned on e6 (putting an unnecessary double guard on d5) nor upon g5 (whereon it confers a redundant guard of f4, which telegraphs the \$\frac{1}{2}\$'s role in guarding f2, hence the solution).

2 Ian Shanahan: Problem Observer, July 1995, {D1216}. C+



Try: 1. ♣g8? (>2. ☐f8≠) 1...0-0-0+! [mainplan]

Try: 1.≝e7+? 1...♚f8 2.g≝f7≠. 1...♚d8!

Key: 1.≝xc7! (>2.≝g8≠) 1...♚d8 2.c≝f7! (>3.≝f8, ≝g8≠) [foreplan] 2...♚e8 3.౪g8 ~ 4.≝f8≠. 2.≝b7? (>3.≝g8≠) 2...∰xb7! 3.౪g6? (>4.≝g8) 3...≝a6+!

- A *logical problem*, in *miniature*, with a unique form of (double) *switchback*: *prevention of castling** (the *foreplan*) in order to enable the *mainplan* to function. Although it is regrettable that the initial position is *not* repeated exactly after the switchbacks, due to the key involving the capture of a 1 (itself undesirable), *purity of aim* is accomplished: the 1's capture is entirely incidental to the foreplan's prevention of castling. Naturally, I in no way claim to have originated this attractive idea [see the precursors below!]. 2 a5 provides Black with a previous move not by the 2 or 1, so that 0-0-0 is legal, and also prevents the *dual* 3. 3 b8.
- * The Encyclopedia of Chess Problems: Themes and Terms, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), p.83: "CASTLING, PREVENTION OF: A logical combination: White's immediate attack is refuted by Black's castling. In his foreplan White forces either King or Rook to move".

PRECURSORS:

WP1 Wolfgang Pauly, **Deutsches Wochenschach**, 1910 – 4k2r / 4p3 / 4K2p / 5Q2 / 24 / 4b3, ≠4 (**C+**). 1. \$\text{\text{\text{\$\e

 KALK1
 K. A. L. Kubbel, Source?, 1939 – 4k2r / 3b1p1p / 3K3Q / 40, ≠4 (C+). 1. ₩g5! №f8 2. ₩h6+ №e8

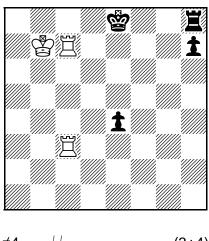
 3. ₩f6 (>4. ₩e7) 3... №f8 4. ₩xh8≠; 2... №g8 3. №e7 ~ 4. ₩f8≠; 1... 1f6 2. ₩xf6 ~ 3. ₩e7≠. [As in WP1], the

 № is displaced to stop 0-0.]

EZ1 Dr Eric Zepler, **Die Schwalbe**, 1929 – r3k3 / 2Qp3R / 1p6 / 1b2K3 / 4p3 / 8 / 5p2 / 8, ≠4 (**C+**). **1. 3d4!** (>2. **3**e5+) **■**a4+ 2. **3**e5 **■**a8 3. **3**d6 ~ 4. **3**e7≠. [The **■** is displaced to stop 0-0-0]

(Note also Nenad Petrovic's famous 1st Prize, **Problem**, 1959, ≠8, wherein *both* **\(\beta\)**s are displaced to prevent both 0-0 *and* 0-0-0!)

3 Ian Shanahan: The Problemist Supplement, November 1995, {PS396}. C+ ~ To Peter Wong ~



≠4 $\sqrt{\sqrt{}}$ (3+4)

1...**७**~, **耳**~ 2.□a3 ~ 3.□a8≠. 1...h**‡**~!

Key: 1.\(\mathbb{G}\)**g7!** (>2.\(\mathbb{C}\)c8≠) 1...**®**f8 2.g\(\mathbb{Z}\)c7! [foreplan] ~ 3.\(\mathbb{Z}\)a3 ~ 4.\(\mathbb{Z}\)a8≠.

- A logical problem, in miniature a companion to 2 with a unique form of switchback: prevention of castling* (the foreplan) in order to enable the mainplan to operate. It is a pity, nonetheless, that 2... e8 (with another switchback, to the initial position) is not forced by, for example, an immediate threat of $\neq 1$, but this compromises neither purity of aim nor the logical status of the problem: it is entirely incidental to the foreplan's prevention of castling. Of course, I make no claim to have originated this appealing idea [see the precursors below]. **1**e4 provides Black with a previous move not by the 📽 or 📕, so that 0-0 is legal.
- * The Encyclopedia of Chess Problems: Themes and Terms, by Milan Velimirović and Kari Valtonen (Chess Informant, Belgrade, 2012), p.83: "CASTLING, PREVENTION OF: A logical combination: White's immediate attack is refuted by Black's castling. In his foreplan White forces either King or Rook to move".

PRECURSORS:

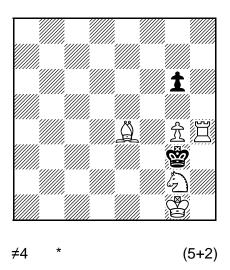
WP1 Wolfgang Pauly, **Deutsches Wochenschach**, $1910 - 4k2r / 4p3 / 4K2p / 5Q2 / 24 / 4b3, \neq 4$ (C+). to stop 0-0]

|KALK1| K. A. L. Kubbel, Source?, 1939 – 4k2r / 3b1p1p / 3K3Q / 40, ≠4 (C+). 1. ₩g5! \$\displaystyle{\pi}\$f8 2. ₩h6+ \$\displaystyle{\pi}\$e8 3.쌀f6 (>4.쌀e7) 3...♚f8 4.쌀xh8≠; 2...♚g8 3.쌀e7~ 4.쌀f8≠; 1...**1**f6 2.쌀xf6~ 3.쌀e7≠. [As in **WP1**], the gis displaced to stop 0-0.1

EZ1 Dr Eric Zepler, **Die Schwalbe**, 1929 – r3k3 / 2Qp3R / 1p6 / 1b2K3 / 4p3 / 8 / 5p2 / 8, ≠4 (**C**+). 1. **3d4!** (>2.營e5+) **X**a4+ 2.ᢨe5 **X**a8 3.營d6 ~ 4.營e7≠. [The **X** is displaced to stop 0-0-0]

(Note also Nenad Petrovic's famous 1st Prize, **Problem**, 1959, ≠8, wherein both \(\boldsymbol{z}\) s are displaced to prevent both 0-0 and 0-0-0!)

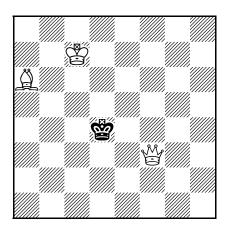
[4] Ian Shanahan: The Problemist Supplement, March 2007, {PS1886}. C+



Set. 1...**1**g5 2.□h1! (-) 📽×g4 3.७h2! (-) 📽h5 4.ఄ\g3≠.

• A *miniature* exemplifying a *Royal Indian* in the set-play, with post-key *radical change*. The position is what I call a *transmutate* – a complete-block-waiter with total change (i.e., a *mutate* where the defences change too).

5 Ian Shanahan: StrateGems, July 2012, {M1094}. C+



- (a) $\neq 4$ * $\sqrt{ (3+1)}$
- (b) All men 1 square to the right (a1 \rightarrow b1). $\sqrt{\sqrt{}}$
- (a) Set: 1... 📽 c5 2. 쌀f4! (쌀e4=?) 📽 d5 3. և d7 📽 c5 4. 쌀d6≠.

Try: 1. 43?

1... **७**e5 2. **७**f2 **७**e6 3. **७**f8 **७**~ 4. **७**d6≠.

1...**'**c3!

Key: 1. ₩g3!

1...**©**c5 2.\degree d6≠.

1...**७**e4 2.**७**d6 **७**f5 3.**এ**d3+ **७**f6 4.**७**g6≠.

1... \$\mathref{@}\$ d5 2. \$\mathref{@}\$ f4 \$\mathref{@}\$ e6 3. \$\mathref{Q}\$ c4+ \$\mathref{@}\$ e7 4. \$\mathref{@}\$ f7≠.

(b) *Try*: 1. \dig g2?

1...**©**e5 2.\degree e4≠.

1...**७**f5 2. ₩e4+ **७**g5 3. Qe8 **७**h6 4. ₩g6≠.

1...**'2** e3!

Try: 1. **\$**f7?

1... 📽 g5 2. 🗳 g3+ 📽 f5 3. 🗳 h4 📽 e5 4. 🗳 f6≠.

1...**'2**e5!

Key: 1.**⊈e6!**

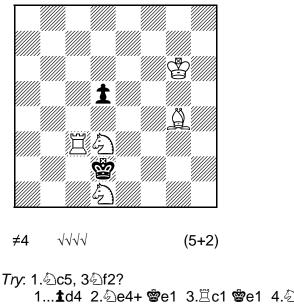
1... 📽 g5 2. 👑 g3+ 📽 h6 3. 📽 f6 📽 h7 4. 👑 g7≠.

• A lovely **Black Rex Solus Wenigsteiner** with two full-length variations in (a) illustrating a **monochrome echo**. The **twin** (b) adds a little interest. "Stepping stones" (all \neq 4, **C+**, omitting some earlier \neq 3s), are:

5A 7B / 8 / 1Q6 / 8 / 2k1K3 / 24. 1. ७d6? 1... ७b5 2. এc3 ७a4, ७c4 3. ७b4≠; 1... ७b3! 1. ७b7! (>2. এg7 2... ७c5 3. এf8+ ७c4 4. ७b4≠) 1... ७c5 2. এc3 ७d6 3. এb4+ ७e6 4. ७e7≠; 2... ७c4 3. ७b4≠.

5B 1BQ5 / 16 / 3k4 / 6K1 / 24. 1. ♣f4? 1... ♣e4 2. ♣c4≠; 1... ♣d4! 1. ♣a7! 1... ♣e4 2. ♣f5≠; 1... ♣e5 2. ♣d7 2... ♣f6 3. ♣d4+ ♣g6 4. ♣g7≠; 1... ♣d6 2. ♣f5 ♣e7 3. ♣c5+ ♣gf7 4. ♣f8≠. This broke through into 'echo territory'.

6 Ian Shanahan: The Problemist Supplement, January 2013, {PS2672}. C+



1...**1**d4 2.4e4+ \$\mathref{e}\$e1 3.\(\Beta\$c1 \$\mathref{e}\$e1 4.4e3≠.; 1...\$\mathref{e}\$e1!

Try: 1.♠b4? (>2.☐c2+) 1...�e1!

Try: 1.4 e5?

1...**७**e1 2.□c2 **७**f1 3.ᡚf3 **1**d4 4.□f2≠.; 1...**1**d4!

Try: 1.\(\bar{\pm}\)b3?

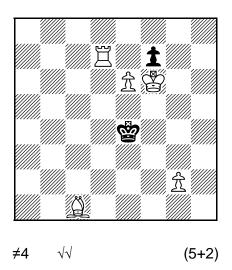
1...**1**d4 2.營f5 (>3.∐b2+, 營e4); 2...**營**c2!

Key: 1.**當f5!** (−)

1...**1**d4 2.\(\begin{aligned}
2.\(\begin{alig

• A straightforward but colourful *miniature* ending in an *ideal mate* after the 🖄 is *sacrificed*. Perhaps it is not so easy to solve: intuitively, an edge-of-the-board mate seems much more likely?

7 Ian Shanahan: The Problemist, May 2018, {C11666}. C+



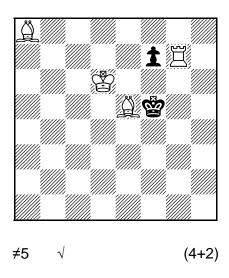
Try: 1.e[≜]~? Stalemate!

Try: 1.월g5? (>2.1xf7 ७e5 3.1f8 ⊕etc.) 1...७e5 2.1e7 1f6+ 3. ⊕g6 ७e6 4.1e8 ⊕≠. 1...1xe6!

Key: 1. ♣**h6!** (-) 1...**1**×e6 2. ♯d2! (-) **1**e5 3. ♣g5 (-) **2**e3 4. ♣f5≠.

• Yet another **Royal Indian theme** in **miniature**, with an <u>anti</u>critical move across d2 (forcing White's move-order), and **quiet play** after each White move.

8 Ian Shanahan: The Problemist Supplement, March 1995, {PS323}. C+

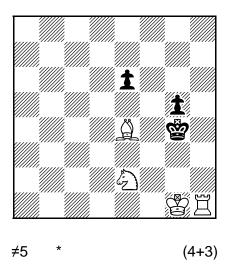


Try: 1.\(\mathbb{Z}\)xf7+? 1...\(\mathbb{D}\)g6!

Key: 1.\(\begin{align*}
\text{ f6 } 2.\(\begin{align*}
\text{ d4 \begin{align*}
\text{ \$\frac{1}{2}\$} \\ \text{ \$\frac{1

• Anderssen Mate, in miniature; the "walks the plank'. Is it hard to solve? (Probably: The mate must be envisaged in advance, before the key can be discerned.) This composition was inspired by an article written by Colin Russ in **The Problemist Supplement**, entitled Turning an Anderssen into an Indian, July 1994, p.103. Notice that ♣a8 cannot be resited to b7 (or c6), for then there would be a cook: 1.♣d5! **1** 6 2.♣c8≠. An Indian key in a ≠6 by, say, 1.♣(h1)a8! – i.e., crossing two critical squares – was my unattained goal.

9 Ian Shanahan: The Problemist Supplement, July 2004, {PS1541}. C+

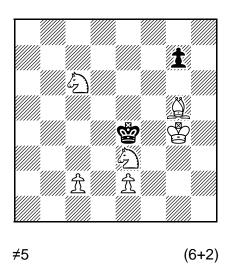


Set. 1... 1e5 2. 4h2 4h5?? 3. 4g3≠.

Key: 1.當g2! (-) 1...**1**e5 2.Ձg6! (-) **1**e4 3.舀h8!! (-) **1**e3 4.Ձh7 (-) **2**~ 5.Ձf5≠.

• Indian Theme $\times 2$, in miniature; Zugzwang throughout, and quiet play after each White move. A twin is possible: $\boxed{8A}$ $\stackrel{\frown}{\boxtimes}$ h1 \rightarrow h6, $\neq 4$ (C+); 1. $\stackrel{\frown}{\boxtimes}$ f2! (-) 1... $\stackrel{\frown}{\blacksquare}$ e5 2. $\stackrel{\frown}{\boxtimes}$ f3+ $\stackrel{\textcircled{w}}{\boxtimes}$ f5 3. $\stackrel{\frown}{\boxtimes}$ g3+ $\stackrel{\textcircled{w}}{\boxtimes}$ f4 4. $\stackrel{\frown}{\boxtimes}$ f6 \neq . Clearly the thematic 'meat' is in the $\neq 5$ – but the $\neq 4$, which I unearthed with the help of Kalulu, has its own charms, in that aside from using the same key-piece it is utterly different (therefore, I imagine, adding to the solvers' difficulties) and puts the e $\stackrel{\bigstar}{\blacksquare}$ to further use. Indeed, everything works twice as hard!

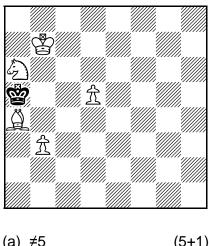
10 Ian Shanahan (after A. Lulman): Australian Chess Problem Magazine, January 2005, {No.108}. C+



Key: 1.☆c3! (-) 1...**1**g6 2.⊈f4 (-) **1**g5 3.ᡚb4 (-) **1**xf4 4.ᡚc4 (-) **1**f3 5.☆xf3≠.

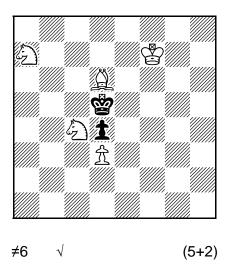
• *Ideal Mate*, in an 8-unit *Meredith*; *Zugzwang* throughout, and *quiet play* after each White move. A problem within Bob Meadley's opuscule **A Selection of 19th-century Australian Chess Problemists**, AL1, by Augustus Lulman, **Melbourne Leader**, 1869 – 8 / 7p / 5S2 / 5kBK / 3PS3 / 8 / 7P / 8, \neq 4 (C+); 1. \triangle c5! 16 2. \triangle d5 1xg5 3. \triangle h3 1g4 4. \triangle xg4 \neq – is *dualled*: sadly, 2. \triangle d5 and 3. \triangle h3 are interchangeable. So, firstly, I produced a correct version: 9A 8 / 3S3P / 8 / 5kBK / 5S2 / 3P1P2 / 16, \neq 4 (C+); 1. \triangle d4! 1h6 2. \triangle c5 1xg5 3. \triangle d5 1g4 4. \triangle xg4 \neq . Then I realized that this version can be extended to a \neq 5 (as in the diagram, 9); or instead by \triangle c2 \rightarrow c3, \triangle g4 \rightarrow h3, \neq 5 (C+); 1. \triangle g4! 1h6 etc., 9B. All of these settings end with an *ideal mate*.

11 Ian Shanahan: Australasian Chess, November 2009, {No.56}. C+



- (a) ≠5 (5+1)
- (b) -\\(\frac{1}{2}\)d5, ≠7
- *Key*: 1.**≜b5!** (a) 1...♚×b5 2.ቯd6 ♚a5 3.ቯd7 ♚b5 4.ቯd8嶌! (4.ቯd8ڭ=?) 4...♚a5 5.嶌d5≠.
- *Key*: 1.**當c7!** (b) 1...🗳×a6 2.164 🗳a7 3.165 🗳a8 4.164(4.166+?) 4...🗳a7 5.165 🗳a8 6. ♣b7+ *****a7 7. £b6≠.
- A piquant Black Rex Solus miniature in which both phases exhibit vertical quasi-symmetry of their respective diagram positions, their play ending in ideal mates after an initial stalemate-releasing sacrifice again in both phases. Notice in (a) the stalemate-avoidance by underpromotion and switchback mate by the promotee.

12 Ian Shanahan: The Problemist Supplement, September 2005, {PS1706}. C+

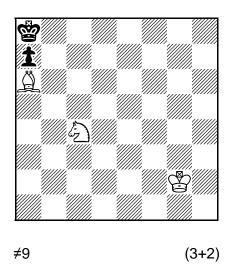


Try: 1. 4c7? 4c5 2. 4a5 4d5 3. 4d8 4c5 4. 4e7+ 4d5 5.???

Key: 1. ♣f4! 1... ఄ c5 2. ♣d2 ఄ d5 3. ♣h6 ఄ c5 4. ♣f8+ ఄ d5 5. ఄ e7! ఄ c5 6. ఄ e6≠.

• **Peri-Indian Theme** in **miniature**, with a nice try 'going the wrong way' (thwarted by the board-edge): it was inspired by one of Dr J. J. O'Keefe's miniatures, which is inferior to mine. It is **not** a **Herlin**: that would require 2° e7! on the *first* move. I think it is good and thematic that Black is initially in stalemate. (Note that 12° can be extended to \neq 8, $12A^{\circ}$, by 20° d6 \rightarrow h2 (etc.), 20° c4 \rightarrow d6 [C+]; but is this justified?)

[13] Ian Shanahan: Springaren, June 2016, {No.13617v}. C+



Try: 1.∕a3?

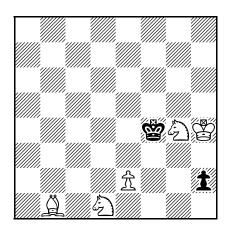
1... \$\mathref{\mathref{c}}\$ b8 2. \$\alpha\$ d5 \$\mathref{\mathref{c}}\$ a8 3. \$\alpha\$ f3 \$\mathref{\mathref{c}}\$ b8 4. \$\alpha\$ e4 \$\mathref{\mathref{c}}\$ a8 5. \$\alpha\$ d5?

1... \$\ddot b\ 8 \, 2. \ddot b\ 5 \ddot a\ 8 \, 3. \ddot f\ 3 \ddot b\ 8 \, 4. \ddot a\ 8 \, 5. \ddot d\ 5 \ddot b\ 8 \, 6. \ddot 6 \ddot a\ 8 \, 7. \ddot 2?

Key: 1.**∕**2**d6!**

- 1... \$\display b8 2. \times e8! (\times b5?) 2... \$\display a8 3. \$\display f3 \$\display b8 4. \$\display e4 \$\display a8 5. \$\display d5 \$\display b8 6. \$\display c6 \$\display a8 7. \$\display f6! \$\display b8 8. \$\display d7+ \$\display a8 9. \$\display b7≠.
- *Ideal mate* in *miniature* with some very careful *dual-avoidance* and ⑤-manoeuvring as well as a *ratchet mechanism*.

14 Ian Shanahan: The Problemist, September 2012, {C11055}. C+



≠11 *√√

Set. 1...**1** h1 **1** + 2. **2** h2 **1** × h2≠.

Try: 1.√2×h2? 1...**©**e5!

Try: 1.☆e3+? 1...曾f3 2.﴿2×h2+/g﴿2f2? 2...曾e2!

(5+2)

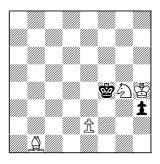
Key: 1.**d②f2!** (>2.**②**h3≠)

1...**1**h1營+ 2.勾h3+! (2.勾×h1=?) 2...營×h3+ 3.營×h3 營g5 4.當g3 營h5 5.爲h7! (5.營f4/全e4? 5...營h4/營g6!) 5...營g5 6.全e4 6...營h5 7.全e5 營g5 8.全e6 營h5 9.全e7 營g5 10.全e8闰! (10.全e8營=?) 10...營h5 11.闰e5≠.

• A *miniature* \$\neq 7\$ was the first step (starting at move 5 in 12); its thematic content comprises (i) an *anticritical key*, followed by (ii) an *excelsior* with (iii) *stalemate-avoidance* by means of an *underpromotion*, concluding with (iv) an *ideal mate*. (The *Berlin Theme* is also present in 12A [below] – even more so in 12.) Of course, there are already several miniatures displaying elements (ii)–(iv) – the simplest (and very probably the earliest) being No.36 from Eugene Albert's collection *Ideal-Mate Chess Problems*, by the late-19th-century American composer Frank M. Teed, FMT1, Source and Date unknown – 6K1 / 8 / 7k / 8 / 5PP1 / 8 / 4P3 / 8, \$\neq 6; 1.\$\textcar{\pi} e4! \$\mathrew{\mathrew{G}} 6... 5.\$\textcar{\pi} e8\$ \$\mathrew{\mathrew{G}} \mathrew{\mathrew{G}} \mathrew{\mathrew{F}} \mathrew{\mathrew{T}} \mathrew{\mathrew{F}} \mathrew{\mathrew{F}} \mathrew{\mathrew{T}} \mathrew{\mathrew{F}} \mathrew{\mathrew{F}}

In $\boxed{12A}$, the need for the $\mbox{$\frac{1}{2}$}$ h3 is a tragedy – the problem is cooked in 8 without it, by $1.\mbox{$\frac{1}{2}$}$ e3+ or $1.\mbox{$\frac{1}{2}$}$ e4 ($\mbox{$\frac{1}{2}$}$ e4, what could have been a pure $\mbox{$\frac{1}{2}$}$ e7 must instead be $\mbox{$\frac{1}{2}$}$ e7 since it is the most economical – not temporally, but in the sense that the White force works harder to corral the $\mbox{$\frac{1}{2}$}$ e9 (e.g. $\mbox{$\frac{1}{2}$}$ e2 guarding f3 initially; the $\mbox{$\frac{1}{2}$}$ is no longer static; both $\mbox{$\frac{1}{2}$}$ and $\mbox{$\frac{1}{2}$}$ crucially attack extra squares).

lan Shanahan, The Problemist, November 2007 (C10495). C+



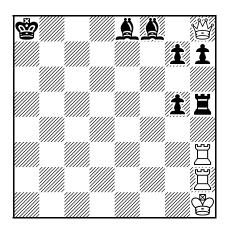
1. \$\displays \text{kh3!} \displays 2. \$\displays \displays \dinploys \displays \displays \displays \displays \displays \displays \displays \dis

8.☆e8¤! (8.☆e8₩=?) 8...**७**h5 9.¤e5≠.

CHESS PROBLEMS by Dr Ian Shanahan

HELPMATES ($\mathcal{H} \neq 2$, ETC.) & HELPSTALEMATES ($\mathcal{H} = 2$, ETC.)

1 William. A. Whyatt: **The Problemist**, November 1965, {No.55} – *version* by Ian Shanahan: **The Problemist**, January 1984, {H927}. **C+**



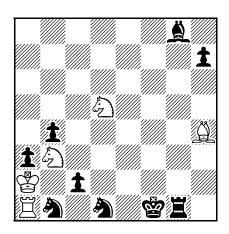
H≠2 2.1.1.1

(4+7)

- ① 1.負d7 \(\mathbb{\Z}\)b3 2.\(\mathbb{\L}\)h3 \(\mathbb{\Z}\)a2≠.
- ② 1.凰d6 囯b2 2.凰h2 囯a3≠.

[•] Black and White half-pins with Umnov effects in a H≠2 Meredith. This problem was composed without any prior knowledge of Bill Whyatt's anticipator (which is a twin).

2 Ian Shanahan: **Chess In Australia**, January 1988, {No.47}. **C+** ~ "Horseplay" ~



H≠2 2.1.1.1

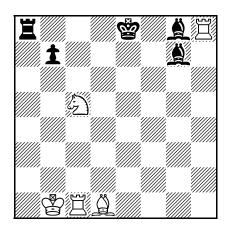
(5+9)

- ① 1. 2d2 2d4 2. 2b3 2e3≠.
- ② 1.**3**e3 **2**f4 2.**3**d5 **2**d2≠.
- Black and White half-pins with Umnov effects in a H≠2.

3 Ian Shanahan: 2nd Honourable Mention, **The Games and Puzzles Journal** and **Variant Chess**, 1989–1990. **C+**

[Variant Chess, January 1990, {No.3}.]

~ To Norman Macleod & Byron Zappas ~

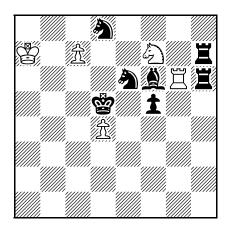


- (a) H≠2
- (b) ****a8→d8
- (a) 1.0-0-0 2a6+ 2. 2c4 2g4≠.

(5+5)

- (b) 1.**≜**f8 **≜**h5+ 2.**≜**f7 **≡**e1≠.
- In each phase of this *Meredith*, the g8 is *unpinned* by B1, but *repins* itself on the next move for a *double pin-mate*. (Notice that the g7 prevents a *cook* in the diagram position.) In 1987, an earlier version of this problem was sent to the (formal) Macleod & Zappas 60 Jubilee Tourney hence the dedication where alas it was disqualified due to unsoundness.

4 Ian Shanahan: U.S. Problem Bulletin, January 1994, {No.2926v}. C+

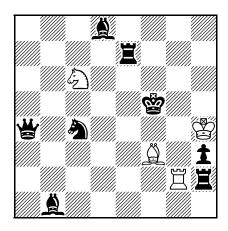


H≠2 2.1.1.1

(5+7)

- ① 1.≜g7 ②e5 2. \$\ddot{\text{\$\text{\$\text{\$d}}6 \text{\$\end{\$\text{\$\text{\$\text{\$\text{\$\text{\$\text{\$\exitt{\$\exitt{\$\exitt{\$\exitt{\$\exitt{\$\text{\$\text{\$\exitt{\$\etitt{\$\text{\$\exitt{\$\exitt{\$\exitt{\$\exitt{\$\exitt{\$\xitt{\$\exitt{\$\exitt{\$\exitt{\$\exitt{\$\exitt{\$\xitt{\$\exitt{\$\text{\$\exitt{
- ② 1.♠g7 ½xd8營+ 2.♚e6 ♠g5≠.
- Black and White half-pins in a H≠2 Meredith, the Black half-pin being anticipatory. In the second solution, note that the ② occupies the square just vacated by the ③ a rather novel feature in anticipatory half-pinning, perhaps? I also strove for some originality in this well-explored theme-combination by having a ② on the 7th rank, about to promote, as one of White's half-pinned units. My original setting (as published) was ☐ 4A 4s1r1 / K2P1S1r / 4sb1R / 3k1p2 / 3P4 / 24; H≠2, 2.1.1.1, which had somewhat imbalanced strategic effects between the two solutions: this new version is superior?

5 Ian Shanahan: Australian Chess Problem Magazine, May 1997, {No.205}. C+

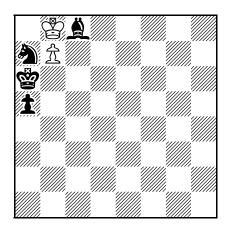


H≠2 2.1.1.1

(4+8)

- ① 1.☆f6 Ae4 2. If7 Ig6≠.
- ② 1. \$\frac{\pi}{g}\$f4 \$\exists\$f2 2. \$\frac{\pi}{a}\$e3 \$\frac{\pi}{a}\$g2≠.
- Ortho-diagonal echoed play: 'helpmate pins' (i.e., the ' masks a battery-line in order to prevent check of the ', the Black battery firing-piece then making a self-block all of which determines the move-order) in a H≠2 Meredith; the ' shuts a Black line in both solutions. An earlier version of this problem, 5A just a bit too 'thin', in my opinion was 8/3KB3/p1s5/2p2S2/b1k5/8/3s4/3r4; H≠2, 2.1.1.1; ① 1. * b5 △d8 2. * b4 △d6≠; ② 1. * d5 △f6 2. * e4 △e3≠. I thought, mistakenly, that the idea of the ' 'unpinning' his own men might be novel until I saw H1654 (Papadrossos) in The Problemist, November 1992. However, even my first draft is constructionally superior to H1654, which has an idle ' in each phase (etc.)!

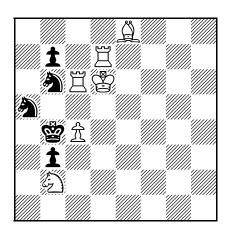
6 Ian Shanahan: Australian Chess Problem Magazine, September 1997, {No.222}. C+



H≠2* (2+4)

- * 1...∄×c8≌ 2.**ਐ**b5 ≌c6≠.
- ① 1. ₫d7 當c7 2. ₫b5 ቯb8ᡚ≠.
- Two *underpromotions*, ending with *ideal mates*, in a *minimal miniature*.

7 Ian Shanahan, **The Problemist Supplement**, November 1997, {PS681}. **C+** ~ To Peter Wong ~



(a) H≠2

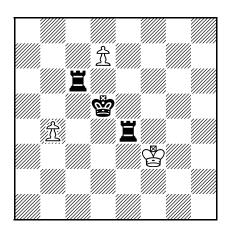
(6+5)

- (b) **1**b7→c5
- (a) 1.**a**×d7 {tempo!} **£c5** 2.**b**6≠.
- (b) 1.**a**×c6 **a**d3+ 2.**a**a4 **a**a7≠.
- Indirect White half-battery, Zilahi theme and pin-mates, in Meredith. In the diagram (a), B1 is a tempocapture (i.e., Set: 1...☆c5 2.愛b5 🗒 xb6≠ also works) without, alas, a counterpart in (b). Another example, without any tempo-play, is:
 - FA1 Fadil Abdurahmanović: 1st Prize, Moder Memorial Tourney, 1985. C+



- H≠2 2.1.1.1
- (6+6)
- ① 1.≜×h6 ⊈g3 2.∰h3 ∮f4≠.
- ② 1.≜×h5 \(\mathbb{Z}\)g3+ 2.\(\mathbb{D}\)h2 \(\alpha\)g4≠.

8 Ian Shanahan: Honourable Mention, Ideal-Mate Review, 1998. C+ [Ideal-Mate Review, July 1998, {No.9224}.]



H≠2 3.1.1.1

(3+3)

- ① 1.**ਡ**c8 ਕੈ×c8[®] 2.**ਡ**e6 [®]c5≠.
- 2 1.e**Ĭ**e6 \$f4 2.**\$**d6 £d8\\$≠.
- ③ 1.**里**e8 ੈxe8₩ 2.**里**d6 ₩e4≠.
- *Task*: three distinct *ideal mates* with three *promotions* to $\mbox{$\frac{1}{2}$}$, all on different squares! In searching for forerunners, I discovered the following problem which although not an anticipation shows the same idea:

MS1 M. Sosedkin: Commendation, Ideal-Mate Review, 1987, {No.2260}. C+

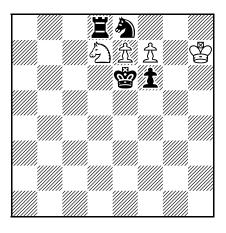


H≠2 3.1.1.1

(3+3)

- ① 1.e罩e8 ∄xe8營 2.罩d5 營e3≠.
- ② 1.Ĭc8 fl8₩ 2.Ĭc3 ₩d6≠.
- 3 1.**Ĭ**g8 ∄×g8₩ 2.**Ĭ**e5 ₩c4≠.
- **8** repeats e**≡**e6 (not so good), whereas my second solution is subtler than Sosedkin's counterpart. Also, my promoting $\hat{\Xi}$ is on different squares relative to the **©**; and notice my helpmate's *quasi-symmetry*, as well as that of the second solution's mating configuration.

9 Ian Shanahan: Australasian Chess, September 2008, {No.22}. C+

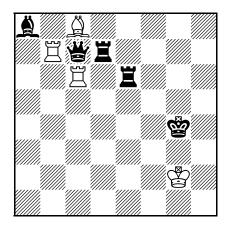


H≠2 2.1.1.1

(4+4)

- ② 1.♥×d7 1×d8 + 2.♥e7 1×e8 ≠.
- A *White Allumwandlung* [AUW; the thematic moves have been coloured] in *Meredith* commonplace in H≠2, but I am not aware of any other examples with Black *tempo play*. Notice the *funktionwechsel* (i.e., exchange of guard and mating duties) by the two promotees. If instead we have 1f6→c6, 9A, then the two solutions become: ① 1.1c5 {tempo!} 1f8 2.29f7 1xd82≠ (i.e., largely as above); and ② 1.29d6 {tempo!} 1xe8 2.29xd7 1xd82≠. Now there are *two* Black tempi at B1, but sadly the *funktionwechsel* is lost...

10 Ian Shanahan: The Problemist, September 2012, {H3577}. C+



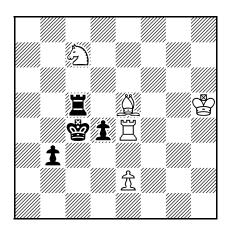
H≠2 2.1.1.1

(4+5)

- ① 1.≝d8 \(\mathbb{Z}\)c5 2.\(\mathbb{Z}\)c6 \(\mathbb{Z}\)b4≠.
- ② 1. ₩a5 \Box b5 2. \Box b7 \Box c4\neq.

[•] Composed in March 2004. This *Meredith* problem, rather schematic, nevertheless equals the ECONOMY RECORD for *Black and White half-pins* (with *Umnov effects*) in H≠2 – deploying identical force. Notice the *****-*hideaways* which motivate the correct move-sequence – and the fact that the ***** here can instead start from b1 (C+), the two solutions then beginning ① 1. *b4 and ② 1. *b5 (with less subtle *-*annihilations*); I'm not entirely sure which alternative is best...

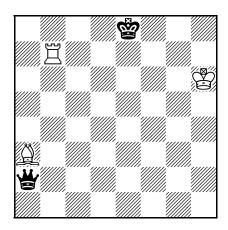
11 Ian Shanahan: **Springaren**, March 2013, {"Småsaker och Hugskott" ["Small is Beautiful"], No.1376}. **C+**



H≠2* (5+4)

- * 1...≌e3 2.**1**d3 ≌e4≠.
- ① 1.\(\mathbb{L}\)c6 \(\mathbb{L}\)xd4 2.\(\mathbb{L}\)c5+ \(\mathbb{L}\)e5≠.
- Matching **switchbacks**, with **direct unpins** and a **cross-check** in the actual play of this **Meredith**; every move is a *single* lateral or diagonal step. (An earlier, unsatisfactory, version appeared in **Chess in Australia**, March/April 1988 [No.54], but a correction was never published and the magazine is now long-defunct.)

12 Ian Shanahan: **Springaren**, June 2013, {"Småsaker och Hugskott" ["Small is Beautiful"], No.1389}. **C+**

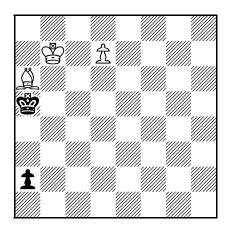


H≠2 2.1.1.1

(3+2)

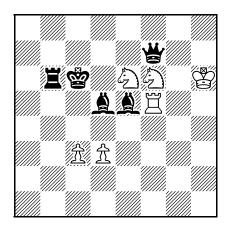
- ② 1.**增**f7 \(\exists b4 2.**\exists** f8 \(\exists b8≠.
- This simple *Miniature* demonstrates control of the *****. With the ***** on h6, there is another single solution: 1. *****e6 □ b8+ 2. *****f7 □ f8≠. Is this worth adding as another phase?

[13] Ian Shanahan: harmonie-activ, November 2013, {No.1936}. C+



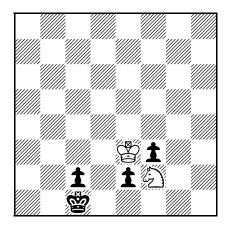
- (a) H≠2 (3+2)
- (b) **\$**a5→f8
- (a) 1.**1**a1**1 1**d8**2** 2.**1**a4 **2**c6≠.
- (b) 1.**1**a1 **≜ △**c4 2.**≜**g7 **1**d8 **△**≠.
- *Mixed Allumwandlung* [AUW] in a $H\neq 2$ *miniature* (the four thematic moves have been coloured) by no means uncommon! (a), which is surely anticipated, ends in an *ideal mate*; but the underpromotion to avoid pinning the $\hat{\Xi}$ in (b) does appear to be original.

14 Charles P. King-Farlow: **British Chess Magazine**, July 1965, {No.9612} – *correction* by Ian Shanahan: **The Problemist Supplement**, November 2015, p.466, C. **C+**



- (a) H≠2 (6+5)
- (b) **2**c6→d6
- (a) 1.**≜**d6 **②**d4+ 2.**愛**c5 **②**e4≠.
- (b) 1.**≜**c6 **②**e4+ 2.**७**d5 **②**f4≠.
- Anticipatory Black and masked White half-pins in a H≠2 Meredith, where each B1 is both an anticipatory unpin and an anticipatory self-block; so, there is perfectly matching strategy between the two phases! King-Farlow's original published position was, however, cooked: CPK-F1 5q2 / 16 / 1rk1SS1K / 3bb2R / 8 / 2PP4 / 8; cook: 1.♣h1 2d2+ 2. 2d4≠ but it was never corrected by him in the British Chess Magazine.

15 Ian Shanahan: Australian Chess Problem Magazine, November 1994, {No.102}. C+

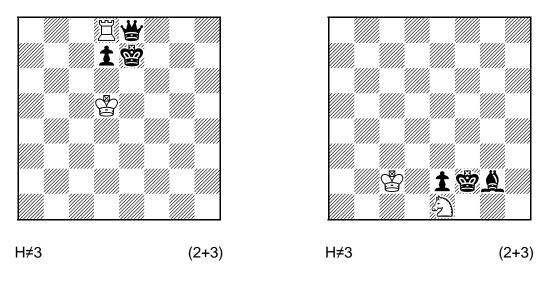


H≠3 2.1.1.1.1.1

(2+4)

- ① 1.**1**e1⊌ ७xf3 2.⊌b4 ७e2 3.⊌b1 2d3≠.
- ② 1.1e1 ½ 2g4 2. 2d1 3d3 3.1c1 2e3≠.
- Promotions x3 in minimal miniature. A pity about the need for 1f3...

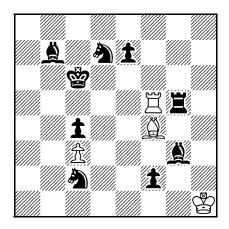
16 Ian Shanahan: Ideal-Mate Review, July 1998, {No.9120}. C+



Left 1. ₩h8! Ξ×d7+ 2. \$\div f8 \$\div e6 3. \div g7 \subseteq d8≠.

Right 1. \$\div h3 \tempo! \div f3 2. \$\div f1 \div e5 3. \div e1 \div d3≠.

17 Christopher J. A. Jones & Ian Shanahan: Australian Chess, March 2004, {No.29v}. C+

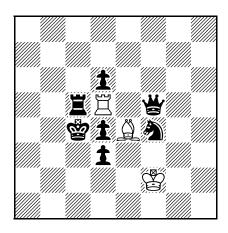


H≠3 2.1.1.1.1.1

(4+9)

- ① 1. **3**d4 莒a5 2. **3**b5 兔×d4 3. **3**b6 兔d5≠.
- ② 1.♠b4 ♣b8 2.♣c7 ±xb4 3.♣b6 ±b5≠.
- *Mixed Bristol clearances* ×2; *Ortho-diagonal echoed play*; *model mates* ×2. Potential cooks with the a on the edge of the board are thwarted by check(mate) to the a from b b7!

18 Ian Shanahan: The Problemist, November 2004, {H2818}. C+

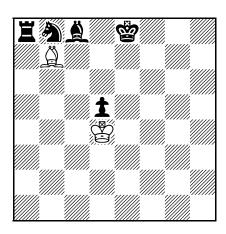


H≠3 2.1.1.1.1.1

(3+7)

- ① 1.**以**c6 ⋈ a5 2.**以**b5 以×d3+ 3.**以**c5 ⋈×b5≠.
- ② 1.**1**d2 △b1 2. ⊌c2 □xc5+ 3. ७d3 △xc2≠.
- Mixed Bristol clearances ×2; Maslar theme ×2; Prospective self-blocks ×2; Ortho-diagonal echoed play; reciprocal captures of Black line-opening men (on d3 and c5); model mates ×2. Inspired by my joint composition with Christopher Jones, 17, this one is even richer strategically!

19 Ian Shanahan: British Chess Magazine, July 1988, {No.12443}. C+ ~ To Nigel Nettheim ~

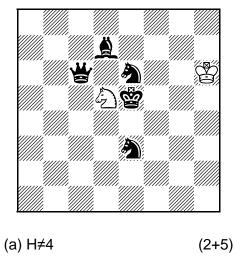


H≠4 2.1.1.1.1.1.1 (2+5)

- ① 1. \(\text{d} 7 \) \(\text{\ti}}}}}} \text{\ti}}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\tin}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\texit{\text{\text{\text{\text{\texi}\text{\text{\texi}\text{\texi}\text{\text{\text{\text{\ti}}\tint{\text{\text{\text{\texi}\ti
- ② 1. ♠d7 爲xd5 2. ♠f8 營e5 3. 爲d7 營f6 4. 嶌d8 爲f7≠.

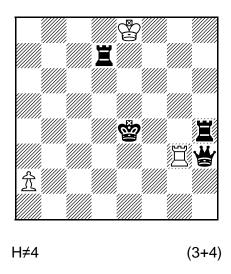
[•] Exact echo of an ideal mate by reflection; switchback in ①; Black homebase in a minimal miniature. The (necessary) repeat of W1 is, alas, a flaw.

20 Ian Shanahan: The Problemist, November 1988, {H1300}. C+ ~ To Alex. Goldstein ~



- (b) **a**e6→f6
- (a) 1. ♠d4+ ♣h5 {tempo!} 2. ♠e6 ♠b6 3. ★e4 ♣g5 4. ♠d5 ♠c4≠.
- (b) 1.鱼f5 ②b4 2.⊌f3 當g5 3.♠e4+ 當h4 4.曾f4 ②d3≠.
- Exact echo of an ideal mate by translation, in a minimal miniature; line-opening by the 🕘; self-blocks and *line-opening* by the 6th; *self-blocks* by the 3th and 1th; *self-block* by the 1th; *tempo move* by the 1th in (a).

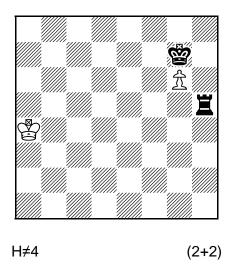
21 Ian Shanahan: The Problemist Supplement, September 2013, {PS2770}. C+



1.**ਡ**d4 ဩa3! 2.**ਡ**b3 ਕxb3 3.**ਡ**d5 🕏d7 4.h**ਡ**e4 ဩa5≠.

• A *Bristol clearance* by \(\mathbb{I}\)g3 (W1) as well as a *critical move* with *self-block* by \(\mathbb{I}\)d7 (B1), in *miniature*, ending with an *ideal mate*. (An earlier, inferior, version was \(\begin{align*}
21A \) − 4K3 / 24 / 3k2r1 / 3r2Rq / P7 / 8.)

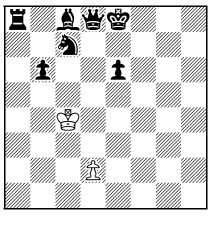
22 Ian Shanahan: Original for Springaren. C+



1.**ਛ**h7 కోb5 2.**ම**f8 కීc6 3.**ਛ**e7 ਸ਼ੰg7+ 4.**ම**e8 ਸ਼ੰg8∜≠.

• A *minimal Wenigsteiner*, ending in an *ideal mate*. Good strategy and interaction.

23 Ian Shanahan: The Problemist, March 2010, {H3346}. C+



H≠5 (2+7)

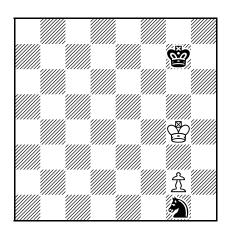
1. **쓸**d6 兌d4 2. **≜**d7 兌d5

3.0-0-0! £xe6 4. \$\div b7 £e7

5.**©**c6 ±xd84)≠.

• A White minimal Meredith, ending in an ideal mate after a White excelsior. (Notice the Black homebase too!) It might take some time for the solver to understand why 3.0-0-0! — an antizielelement — is required to ensure that the 曾 can reach c6 to be mated: 1.曾d7? 给d4 2.曾c6 给d5(+!) 3.曾d6?? 允xe6 4.虽d7 允e7 5.里d8 允xd8分≠, for example, fails (because the 曾 must gain c6 in three moves, indirectly, rather than in two moves via the direct route).

24 Ian Shanahan: Springaren, December 2012, {No.12637}. C+



H≠5½ (2+2)

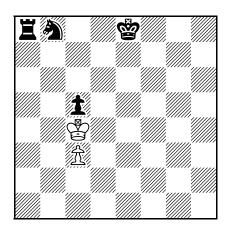
1...當f5 2.▲f3! (▲h3?) ∄g4

3.**2**e5 ±2g5 4.**2**f7 ±2g6

5. \$\delta\$h6 \dag{7} 6. \$\dag{\text{h}}\$h8 \dag{\text{\$\psi}}\$xh8 \$\delta\$≠.

• A *minimal Wenigsteiner* and *asymmetric*, ending in an *ideal mate* after a White *excelsior*. (An earlier, less original, version was 23A - 16 / 5k2 / 8 / 6K1 / 6P1 / 8 / 7s; H \neq 6; but this setting is [at least] partially anticipated by Matti Myllyniemi: MM1 - DuF, 1965, 8 / 1k6 / 8 / 2K5 / 16 / 1P6 / s7; H \neq 5 [No.24 in **Ideal-Mate Encyclopedia** Volume 1], though my version – note that the $\frac{1}{2}$ *must* begin on g3, and not g2! – adds length and an element of 'shape' to the Myllyniemi.)

25 Ian Shanahan (after A. P. Grin): Australasian Chess, November 2009, {No.58}. C+



H≠6 (2+4)

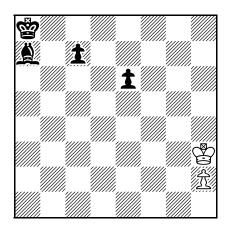
1.**a**c6! (**a**a6?) **a**c5 2.**a**b4 **a**xb4

3.0-0-0! 全b5 4.曾b7 全b6

5.**७**a6 ∄b7 6.**里**a8 ∄×a8營≠.

• *Ideal mate*, with a touch of *dual-avoidance* (B1) in *minimal miniature*. **1**c5 is, alas, merely a cookstopper. 3.0-0-0! is required to ensure that the can pass b7 in time to allow 5...\$\hat{\textit{\frac{1}{2}}}b7. However, while searching for anticipations, I found APG1 — A. P. Grin: 3rd H.M., **Schach**, 1969 [No.19 in **Ideal-Mate Encyclopedia** Volume 1] — identical to mine after W2. Yet the dual-avoidance by the in my problem together with its extra length (and difficulty?) I think add something worthwhile.

26 Ian Shanahan: The Problemist, September 1983, {H916}. C+



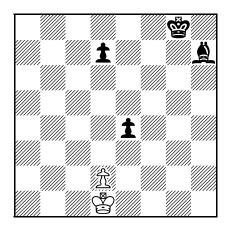
H≠7 (2+4)

1.**1**c5 當g4! (當g3?) 2.**1**c4 允h4

3.**1**c3 1 4.1c2 1 h6

[•] A *minimal miniature*, ending in a *model mate* after a Black and a White *excelsior*, good interaction (see the W1 *dual-avoidance*) – rather unusual for this theme – between Black and White. **1**€6 is, alas, merely a cookstopper. During the late 1970s, I composed many such miniature double excelsiors (most being cooked and/or unpublished), having been inspired by several H≠5 examples and the challenge of the *\$100 Theme* in a book about chess by P. L. Rothenberg, entitled **The Personality of Chess** (1963).

[27] Ian Shanahan: Springaren, December 2012, {No.12639}. C+



H≠7 (2+4)

1.**1**d5 1d3 2.**1**d4 1xe4

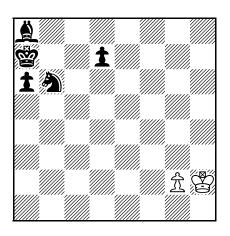
3.1d3 fe5 4.1d2 ee2

5.**1**f1**三 1**e6 6.**三**g1! (**三**d7?) **1**e7

7.**里**g7 拴e8營≠.

[•] A *minimal miniature*, ending in a *model mate* after a Black and a White *excelsior*; good interaction (see the B6 *dual-avoidance*) – rather unusual for this theme – between Black and White. (An earlier version, alas cooked, appeared in **Chess in Australia**, November 1987 [No.39], but a correction was never published and the magazine is now long-since defunct.)

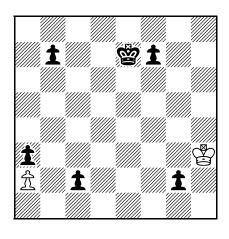
28 Ian Shanahan: Springaren, June 2013, {No.12791}. C+



H≠7 (2+5)

- 3.**1**d3 1g6 4.**1**d2 1g7
- 5.1d1 1 1g8 6. 1d7 2e7
- 7.**里**b7 **②**c6≠.
- A *minimal miniature* a companion to 26 with a *switchback* (B6), ending in a *model mate* after a Black and a White *excelsior*. During the late 1970s, I composed many such miniature double excelsiors (most being unpublished and/or cooked this modest little problem being one of the former), having been inspired by several H≠5 examples and the challenge of the *\$100 Theme* in a book about chess by P. L. Rothenberg, titled **The Personality of Chess** (1963).

29 Ian Shanahan: Ideal-Mate Review, July 1993, {No.6045}. C+



H≠8 (2+6)

1.**1**c1**3 3**g4 2.**3**b3 **1**xb3

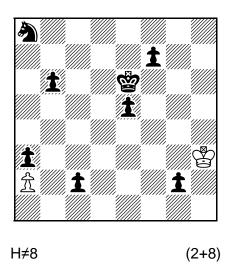
3.**1**g1**点 全**b4 4.**点**c5 **全**xc5

5.**1**a2 全c6 6.**1**a1 (1a1) 全xb7

7.**≜**g7 (*****g7+?) ☆b8* 8.*****gf6 *\d6≠.

[•] A White minimal Meredith, ending in an ideal mate after a White excelsior, with four promotions (but <u>not</u> an Allumwandlung [AUW] since there is no promotion to **\(\beta\)!**) as well as a **\(\beta\)-hesitation** – i.e., the **\(\beta\)** waits for a promotee's **critical move** across f6. The **\(\beta\)** must begin on e7 (and not g6, for example) in order to circumvent cooks.

30 Ian Shanahan: The Problemist, May 2010, {H3366}. C+

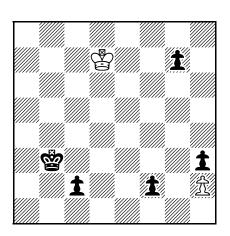


1.**i**c1**à** 當g4 2.**à**b3 â×b3 3.**i**g1**总** âb4 4.**总**c5 â×c5 5.**i**a2 â×b6 6.**i**a1**三 â**b7 7.**I**a7 **â**×a8**營** 8.**I**e7 **營**c6≠.

• A White minimal Meredith, ending in an ideal mate after a White excelsior with a mixed Allumwandlung [AUW, the four thematic moves of which have all been coloured], in strictly ascending order — a rare blend indeed, and one which I had been wanting to conquer for many years within the helpmate genre! All of its forerunners are in the Ideal-Mate Encyclopedia [Volume 1], the very best (and most economical) of these being by A. Anisimovich: Prize, Ideal-Mate Review, 1996. My problem is perhaps original in the orientation of its ideal mate. (NB: I had already achieved this thematic combination several years earlier in a H=8 miniature, 30, below!)

31 Ian Shanahan: Honourable Mention, Ideal-Mate Review, 1993. C+
[Ideal-Mate Review, July 1993, {No.6046}.]

~ To Eugene A. Dugas ~



H=8 (2+5)

1.**1**f1 ♣ ♣c6 2. ♣g3 £xg3

5.**1**h2 **1**xh6 6.**1**h1**1 1 1**xg7

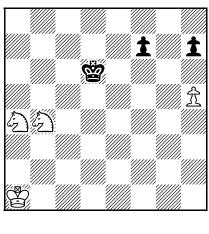
7.**Ĭ**h8 **∄xh8**營 8.**營**a4 營c3=.

• A White minimal miniature kindergarten problem (i.e., 🗳 s and 🏗 s only) ending in an ideal stalemate after a White excelsior, a mixed Allumwandlung [AUW, the four thematic moves of which are coloured], in strictly ascending order, as well as a s-hesitation. The 1g7 could equally be placed on h4 instead (C+). Theoretically, it also looks possible to extend this problem into a H=9 (i.e., by shifting d7 to e8 and 1f2 to f3). However, this admits cooks and, in any case, violates the constructional principle of economy of time.

CHESS PROBLEMS by Dr Ian Shanahan

SERIES -MOVERS

1 Ian Shanahan: **Chess in Australia**, February 1983. **C+**~ Dedicated to Robert C. McWilliam ~



Ser.H≠20

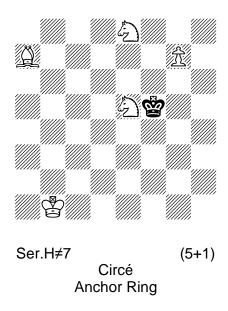
(4+3)

1.**1**f5 2.**1**f4 3.**1**f3 4.**1**f2 5.**1**f1 6. e2 7. xh5 8. d1 9. **1**h5 10. **1**h4 11. **1**h3 12. **1**h2 13. **1**h1 14. 15. xa4 16. c5 17. c4 18. 19b3 19. 20. 153, 2c2≠.

THEMATIC CONTENT

Black excelsior ×2 with **underpromotion** ×2 and a **3**-shield ending with an **ideal mate**, in **miniature**. The **capture** of the **2**a4 is perhaps paradoxical. Composed 6.ii.1983 − my FIRST SERIES-MOVER!

2 Ian Shanahan: Ideal-Mate Review, March 1984, {No.407}. C?



1. \$\displayseq 6 2. \$\displayseq 6 3. \$\displayseq 6 4. \$\displayseq 6 5. \$\displayseq 6 1 6. \$\displayseq 6 7. \$\disp

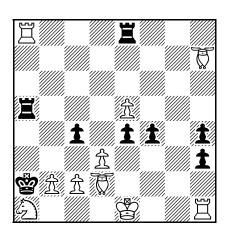
THEMATIC CONTENT

Black Rex Solus ending with a specifically Circean ideal mate on an Anchor Ring, in miniature; dual-avoidance in the mate.

CONSTRUCTIONAL NOTE

The orientation of the units on the Anchor Ring in the diagram defines the Circean rebirth squares.

3 Ian Shanahan: Commended, **The Problemist**, 1984. [**The Problemist**, March 1984, {F745**vv**}.] *Correction*: **The Problemist**, September 2008. **C+** ~ Dedicated to Bob Meadley ~



Ser.H=8 √ (10+8) Checkless Chess Reflecting Bishops ♥

Try: 1.Ĭe6!? (Ĭg8??) 2.c1×d3 3.1×c2 4.1c1 ₹ 5.₹×b2 6.₹×e5 7.₹a7 8.Ĭc5, 0-0=?

However, this is merely a try, because 8...0-0 is *illegal*! − ★ reached a2 via c1, so that the ★ must have moved from e1 and then returned there. The solution, therefore, is:

Solution: 1.Ĭg8! (Ĭe6?) 2.1c3 3.1×b2 4.1b1 ₹ 5.₹×c2 6.₹×d3 7.₹a6 8.Ĭb5, \$e2=.

THEMATIC CONTENT

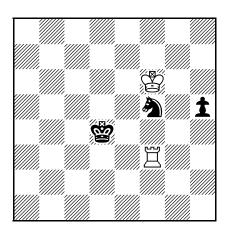
Chameleon-echo-strategy and **-promotion** to **★**; **1**c4 marches on completely different squares between the two phases; **Exchange of stalemating methods** regarding **1**f4 and **1**h3 (**check-preclusion**: direct attack \leftrightarrow battery-opening); Diagonal and lateral **interference unpins**, the former involving **dual-avoidance**.

CONSTRUCTIONAL NOTES

Only \pm e5 is useless in the solution-phase, and only \pm h4 is a cookstopper – a small price to pay.

4 Ian Shanahan: Commendation, Ideal-Mate Review, 1986. C+ [Ideal-Mate Review, April 1986, {No.1800}.]

~ Dedicated to Prof. Eugene Albert ~



Ser.H=12 (2+3)

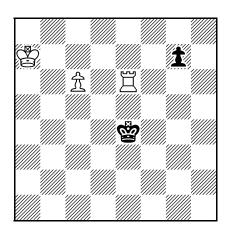
1. 🔊 e3 2. 🗳 d3 3. 🗳 e2 4. 🔊 d1 5. 🔊 f2 6. 🗳 f1 7. 🗳 g2 8. 🔊 h1 9. 🔊 g3 10. 🗳 h3 11. 🗳 h4 12. 🔊 f5, 🗳 xf5=.

THEMATIC CONTENT

Symmetrical tours by the ② and ②; ¾ encirclement of the △ by the ② with a capture-free ③ -rundlauf (the ECONOMY RECORD!) ending with an ideal stalemate; White minimal; miniature. The ¹ th5 could be replaced by a ♠g4, but does this constitute an improvement?

[Ideal-Mate Review, April 1986, {No.1801v}.]

~ Dedicated to Prof. Eugene Albert ~



Ser.H=18

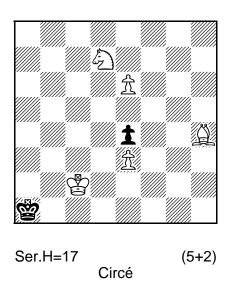
(3+2)

1.營d4! 2.**1**g5 3.**1**g4 4.**1**g3 5.**1**g2 6.**1**g1 🚉! (**1**g1 🔄?) 7. 🖺 h2 8. 🖺 e5 9. 營e4 10. 營f5 11. 🖺 f6 12. 營g6 13. 營f7 14. 🖺 e7 15. 營e8 16. 營d8 17. 🗒 d6 18. 🖺 b8+, 😩 xb8=.

THEMATIC CONTENT

Black excelsior, Black minimal; miniature; 營-switchback; ¾ encirclement of the 莒 by the 營 and a 營-shield ending with an ideal stalemate. The need to shield the ⑤ (by 1.營d4!, paradoxically) and to underpromote to 鱼 only becomes apparent at move 14.

6 Ian Shanahan: Ideal-Mate Review, April 1987, {No.2155}. C+ ~ Dedicated to Prof. Eugene Albert ~

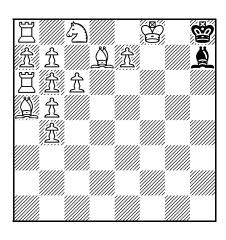


1.營a2 2.營a3 3.營b4 4.營c4 5.營d5 6.營xe6(允e2) 7.營xd7(心b1) 8.營e6 9.營f5 10.營g4 11.營h3 12.營g2 13.營f1 14.營xe2 15.營xe3(允e2) 16.營xe2 17.**1**e3, 心d2=.

THEMATIC CONTENT

* trek ending in an ideal Circean stalemate, in miniature; Black minimal.

[7] Ian Shanahan: Chess in Australia, July 1987, {No.30}. C+
~ Dedicated to Nigel Nettheim ~



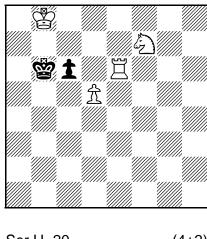
Ser.S=16 (13+2)

1.党b8罝 2.党b7 3.党b6 4.罝e8 5.a罝c8 6.党a8罝 7.a罝b8 8.纪a8 9.Ձd8 10.党c7 11.罝g6 12.党b6 13.Ձb5 14.Ձa6 15.党b5 16.罝g8+, 巢×g8=.

THEMATIC CONTENT

Incarceration with intricate timing, in a Black minimal.

lan Shanahan: 7th Commendation, **The Problemist**, 1987. **C+** [**The Problemist**, November 1987, {F968}.]



Ser.H=20 (4+2)

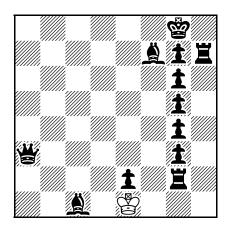
1. \$\\delta\$c5 2. \$\\delta\$d4 3. \$\(\delta\$c5 4. \$\delta\$c4 5. \$\delta\$c3 6. \$\delta\$c2 7. \$\delta\$c1 \$\delta\$! (\$\delta\$c1 \$\delta\$?) 8. \$\delta\$d3 9. \$\delta\$e5 10. \$\delta\$e4 11. \$\delta\$f5 12. \$\delta\$g4 13. \$\delta\$f6 14. \$\delta\$g6 15. \$\delta\$xf7 16. \$\delta\$g8 17. \$\delta\$e7 18. \$\delta\$e8 19. \$\delta\$d8 20. \$\delta\$c6+, \$\delta\$xc6=.

THEMATIC CONTENT

"%" encirclement of the \(\mathbb{Z}\) by the \(\mathbb{Z}\) (i.e., a \(^3\)4 encirclement wherein the \(\mathbb{Z}\) starts on the 4th line) with a capture-free \(\mathbb{1}\rightarrow\)4-rundlauf – the ECONOMY RECORD! – ending with an ideal stalemate; Black minimal; miniature.

CONSTRUCTIONAL NOTE

9 Ian Shanahan: **The Games and Puzzles Journal**, January 1988, {No.32}. **C+** ~ "Sword and Shield" ~



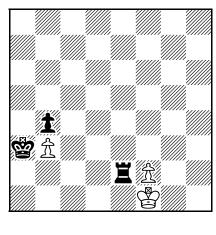
Ser.H=19 (1+12)

1.**以**h8! 2.**炒**h7 3.**炒**h6 4.**炒**h5 5.**炒**h4 6.**炒**h3 7.**炒**h2 8.**炒**g1 9.**以**h1 10.**以**以 11.**1**g2 12.**炒**h3 13.**1**g3 14.**1**g4 15.**以**g5 16.**以**h4 17.**1**g5 18.**以**h5 19.**1**g6, **少**×e2=.

THEMATIC CONTENT

Incarceration with intricate timing, incorporating *critical play*, in a *White Rex Solus* setting. *Figurative problem*: the diagram position resembles a 'sword', the stalemate position a 'shield'!

10 Ian Shanahan: Chess in Australia, March 1988, {No.55}. C+



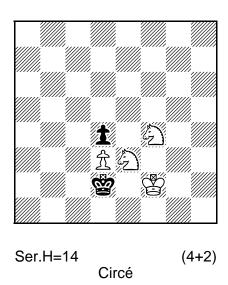
Ser.S=16 (3+3)

1.全f4 2.全f5 3.全f6 4.全f7 5.全f8營 6.營f2 7.營g2 8.營f3 9.營e3 10.營e4 11.營d3 12.營d2 13.營c2 14.營b1 15.營a1 16.營b2+, **黨**xb2=.

THEMATIC CONTENT

¾ encirclement of the 🖺 by the 🖏 with a 🏗→🖫-switchback, in miniature; White excelsior.

11 Ian Shanahan: Ideal-Mate Review, April 1988, {No.2650}. C+ ~ Dedicated to Klaus Kinski: "K" ~

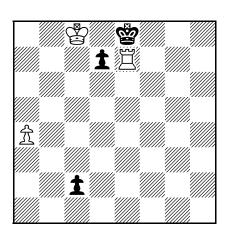


1.營c3 2.營b4 3.營c5 4.營d6 5.營e5 6.營xf4(公g1) 7.營e5 8.營d6 9.營c5 10.營b4 11.營c3 12.營xd3(全d2) 13.營xd2 14.**1**d3, 公e2=.

THEMATIC CONTENT

*-trek (rundlauf or switchback?) ending with an ideal Circean stalemate, in miniature; Black minimal. Figurative letter problem: K.

12 Ian Shanahan: Ideal-Mate Review, July 1988, {No.2782}. C+ ~ Dedicated to Christer Jonsson ~

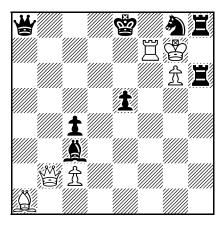


Ser.H≠20 (3+3)

THEMATIC CONTENT

Black excelsior followed by a **⑤-shield** and an **encirclement** of the □ by the **⑥**, terminating with an **ideal mate**, in **miniature**; **underpromotion** ×2. (This problem is a companion to Jonsson's **length record**, No.2328.)

13 Ian Shanahan: **The Problemist**, November 1988, {F1044}. **C+**~ In Memoriam Brian Tomson ~



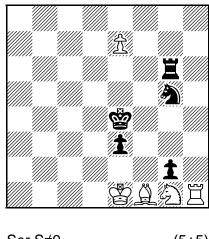
Ser.S=19 (6+8)

1.旦d7 2.營b5 3.負b2 4.負a3 5.負e7 6.營xe5 7.旦d4 8.營d5 9.負f8 10.營xg8 11.營h7 12.營xh8 13.竟g7 14.竞g8負 15.營g7 16.營f5 17.負h7 18.營h8 19.營f7+, 營xf7=.

THEMATIC CONTENT

Multiple **shields** (of both ****** S), **pinning** and **unpinning**, as well as a ******-**switchback** ×2. Highly intricate: Brian Tomson would have loved it!

14 Nigel Nettheim & Ian Shanahan: 2nd Prize (Group 1), 2nd Klein Winsener Rochade-Thematurnier (Complete Home-Base-Castlers), 1988, {No.20v}. C+



Ser.S≠9 (5+5)

1.ᡚf3 2.ᡚe5 3.ቯe8∰ 4.∰h8 5.ᡚf3 6.Дxg2 7.0-0 8.Дh1 9.ᡚe1+, ∰f3++≠.

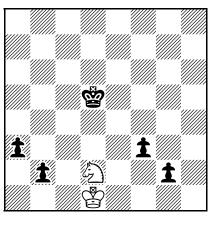
THEMATIC CONTENT

Complete White homebase; ***shield**; ***shield**; platzwechsel ×2 (***e1**↔**2g1**, **f1**↔**Eh1**).

CONSTRUCTIONAL NOTES

Most of this series-selfmate's constructional burden was undertaken by Nigel Nettheim; my own contribution here was to discover the ****@-shield*** mechanism (and the means whereby to guard the squares d4 and e5 in the ***@**'s field, with a promoted ****@** moving from e8 to h8) which triggers the whole solution-sequence into motion. As published within the Tourney booklet (Winsen, 1989), my joint authorship was unfortunately omitted. Also, it later turned out that it was necessary to add a **1**g2 when a cook was found: 1.♠f3 2.♠e5 3.♠e8 ***** 4.♣h8 5.♠c6 6.♠a6 7.0-0 8.♣h1+, ***** f3++≠.

15 W. Pflughaupt: **Problem**, August 1958, p.72, {No.IX} – *version* by Ian Shanahan: **Ideal-Mate Review**, April 1990, {No.3932}. **C+**



Ser.H=12 (2+5)

1.**1**f2 2.**1**f1**3** 3.**1**g1**4** 4.**4**g8! 5.**3**×d2! 6.**2**c4 7.**2**b3 8.**2**a2 9.**2**b1 10.**4**a2 11.**4**a1 12.**1**a2, **2**xd2=.

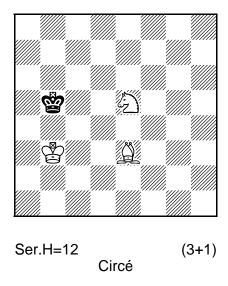
THEMATIC CONTENT

Incarceration; ***** -shield; quasi-symmetry; White minimal; miniature; ideal stalemate. The capture of the ♠ – White's sole piece! – is very paradoxical.

CONSTRUCTIONAL NOTE

This miniature (and White minimal) version is an '*idealization*' of Pflughaupt's original Ser.H=12, the stalemate of which was not quite ideal: WP1 – 32 / 3k4 / p2P1p2 / 1p1P2p1 / 3K4; solution as above.

16 Ian Shanahan (after H. Menkis & J. Kubecka): Ideal-Mate Review, April 1991, {No.4689}. C+



1.營a6 2.營b7 3.營c7 4.營d6 5.營×e5(公g1) 6.營f5 7.營g4 8.營g3 9.營g2 10.營f1 11.營e1 12.營d1, 且d2=.

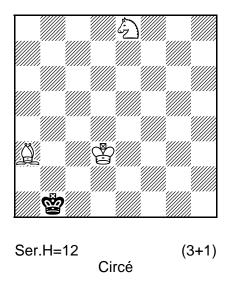
THEMATIC CONTENT

*-trek ending in an ideal Circean stalemate, in Wenigsteiner, figurative shape problem; Black Rex Solus.

From my article "Ideal Circe Serieshelpstalemates with 🗳 🖺 vs. 🔮", Ideal-Mate Review, April 1991, p.15:

The reader should explore the careful and accurate determination of the **e-walk* in each example, being motivated by the need to capture at least one White piece, the Circean rebirth re-positioning the piece as required for the stalemate. The niceties associated with choice of square and order of captures often provide the main artistic point. Note the characteristically Circean final ideal stalemate, only two distinct types being possible here ... For artistic reasons, I have tended to favour sequences in which both the **\textsuperscript{\te

[17] Ian Shanahan: Ideal-Mate Review, April 1991, {No.4690v}. C+



1.ෂ්a2 2.ෂ්b3 3.ෂ්a4 4.ෂ්b5 5.ෂ්c6 6.ෂ්d7 7.ෂ්×e8(ව්b1) 8.ෂ්d7 9.ෂ්c6 10.ෂ්b5 11.ෂ්a4 12.ෂ්b3, ව්c3=.

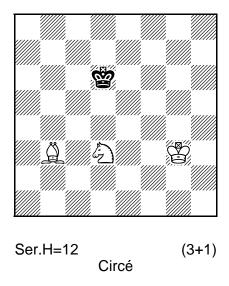
THEMATIC CONTENT

****g**-trek with switchback (to b3) and platzwechsel (****g**b1↔②e8) ending in an ideal Circean stalemate, in Wenigsteiner, Black Rex Solus.

From my article "Ideal Circe Serieshelpstalemates with 🗳 🗐 vs. 🔮 ", Ideal-Mate Review, April 1991, p.15:

The reader should explore the careful and accurate determination of the **e-walk* in each example, being motivated by the need to capture at least one White piece, the Circean rebirth re-positioning the piece as required for the stalemate. The niceties associated with choice of square and order of captures often provide the main artistic point. Note the characteristically Circean final ideal stalemate, only two distinct types being possible here ... For artistic reasons, I have tended to favour sequences in which both the **\textsuperscript{\te

18 Ian Shanahan: Ideal-Mate Review, April 1991, {No.4691}. C+



1.營e7! 2.營f6 3.營f5 4.營e4 5.營xd3(公b1) 6.營d4 7.營c5 8.營b4 9.營xb3(公f1) 10.營c2 11.營d1 12.營e1, 公e2=.

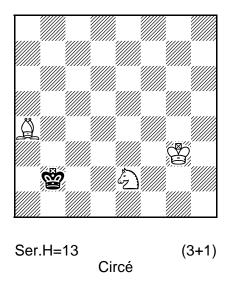
THEMATIC CONTENT

***e**-trek with quasi-symmetry ending with an ideal Circean stalemate, in Wenigsteiner, Black Rex Solus. Notice that 1. \$\mathrew{e}\$0-1. \$\mathrew{e}\$0-1.

From my article "Ideal Circe Serieshelpstalemates with 🗳 🖳 vs. 👻", Ideal-Mate Review, April 1991, p.15:

The reader should explore the careful and accurate determination of the \(\mathbb{G} \)-walk in each example, being motivated by the need to capture at least one White piece, the Circean rebirth re-positioning the piece as required for the stalemate. The niceties associated with choice of square and order of captures often provide the main artistic point. Note the characteristically Circean final ideal stalemate, only two distinct types being possible here ... For artistic reasons, I have tended to favour sequences in which both the \(\mathbb{A} \) and the \(\mathbb{A} \) are captured, precluding mid-board stalemates, regrettably. Can anyone find further examples in this delightful Fairy category? Or any anticipations or cooks?"

19 Ian Shanahan: Ideal-Mate Review, April 1991, {No.4692}. C+



1.營a3 2.營b4! 3.營c4 4.營d3 5.營xe2(包b1) 6.營d3 7.營c4 8.營b4 9.營xa4(負f1) 10.營b3 11.營c2 12.營d1 13.營e1, 且e2=.

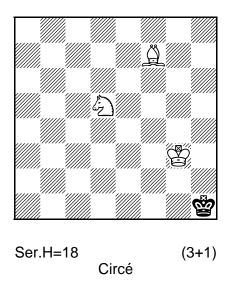
THEMATIC CONTENT

****e** ending with an *ideal Circean stalemate*, in *Wenigsteiner*, *Black Rex Solus*. Notice that 1. \$\mathbb{e}\$ a3 2. \$\mathbb{e}\$ xa4(\$\textit{\textit{L}}\$f1)?? fails: \$\textit{\textit{L}}\$e2 can then never be captured and reborn so as to guard d2.

From my article "Ideal Circe Serieshelpstalemates with 🖺 🗐 vs. "", Ideal-Mate Review, April 1991, p.15:

The reader should explore the careful and accurate determination of the \(\mathbb{G} \)-walk in each example, being motivated by the need to capture at least one White piece, the Circean rebirth re-positioning the piece as required for the stalemate. The niceties associated with choice of square and order of captures often provide the main artistic point. Note the characteristically Circean final ideal stalemate, only two distinct types being possible here ... For artistic reasons, I have tended to favour sequences in which both the \(\mathbb{L} \) and the \(\mathbb{L} \) are captured, precluding mid-board stalemates, regrettably. Can anyone find further examples in this delightful Fairy category? Or any anticipations or cooks?"

20 Ian Shanahan: Ideal-Mate Review, April 1991, {No.4693}. C+



1.營g1 2.營f1 3.營e2 4.營d3 5.營e4 6.營f5 7.營g5 8.營h6 9.營g7 10.營xf7(魚f1) 11.營e6 12.營xd5(心b1) 13.營c5 14.營b4 15.營b3 16.營c2 17.營d1 18.營e1, 魚e2=.

THEMATIC CONTENT

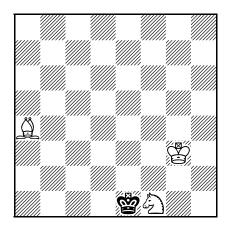
-trek ending with an ideal Circean stalemate, in Wenigsteiner, Black Rex Solus.

From my article "Ideal Circe Serieshelpstalemates with 🗳 🖺 vs. 🔮", Ideal-Mate Review, April 1991, p.15:

The reader should explore the careful and accurate determination of the **e-walk* in each example, being motivated by the need to capture at least one White piece, the Circean rebirth re-positioning the piece as required for the stalemate. The niceties associated with choice of square and order of captures often provide the main artistic point. Note the characteristically Circean final ideal stalemate, only two distinct types being possible here ... For artistic reasons, I have tended to favour sequences in which both the **\textsuperscript{\te

CONSTRUCTIONAL NOTE

Observe that the 47 here may be relocated to g8 or a8 (now with *quasi-symmetry*!) instead. This problem is loosely related to Michael McDowell: MMcD1 – Ideal-Mate Review, January 1984, {No.327} – 8 / 7B / 16 / S7 / 6K1 / 8 / 7K; Ser.H=21.



- (a) Ser.H=10 (3+1) Circé
- (b) @e1→c1; Ser.H=14, Circé
- (c) **2**e1→h7; Ser.H=15, Circé
- (d) 4 f1→h1; Ser.H=14, Circé
- &(e) **2**e1→c4 in (d); Ser.H=16, Circé
- (a) 1. \$\mathbb{\text{w}} \text{s1}(\text{\te\text{\text{\text{\text{\text{\text{\texi}\text{\text{\text{\tex{\texi}\text{\text{\texi}\tint{\text{\text{\text{\text{\text{\te\
- (b) 1.\$\text{\$\text{\$\text{\$\text{\$\psi}\$}}} 2.\$\text{\$\text{\$\text{\$\text{\$\psi}\$}}} 3.\$\text{\$\text{\$\text{\$\psi}\$}} d3 4.\$\text{\$\text{\$\text{\$\psi}\$}} \text{\$\text{\$\psi}\$} \sigma f1(\$\text{\$\text{\$\psi}\$} b1) 6.\$\text{\$\text{\$\psi}\$} e2 7.\$\text{\$\text{\$\psi}\$} d3 8.\$\text{\$\text{\$\psi}\$} c4 9.\$\text{\$\text{\$\psi}\$} b4 10.\$\text{\$\text{\$\psi}\$} \text{\$\text{\$\psi}\$} \text{\$\psi\$} 11.\$\text{\$\text{\$\psi}\$} b3 12.\$\text{\$\text{\$\psi}\$} c2 13.\$\text{\$\text{\$\psi}\$} d1 14.\$\text{\$\psi\$} e1, \$\text{\$\text{\$\psi}\$} e2=.\$
- (c) 1.♚g6 2.♚f5 2.♚e4 4.♚d3 5.♚e2 6.♚xf1(ᡚb1) 7.♚e2 8.♚d3 9.♚c4 10.♚b4 11.♚xa4(ቧf1) 12.♚b3 13.♚c2 14.♚d1 15.♚e1, ቧe2=.
- (d) 1.營f1 2.營g1 3.營xh1(心b1) 4.營g1 5.營f1 6.營e2 7.營d3 8.營c4 9.營b4 10.營xa4(魚f1) 11.營b3 12.營c2 13.營d1 14.營e1, 魚e2=.
- (e) 1. \$\daggerightarrow{\text{\$\text{\$\geq}\$}}\$ 2. \$\degree{\text{\$\geq}\$}\$ 2. \$\degree{\text{\$\geq}\$}\$ 1. \$\degree{\text{\$\geq}}\$\$ 4. \$\degree{\text{\$\geq}}\$\$ 15. \$\degree{\text{\$\geq}}\$\$ 41. \$\degree{\text{\$\geq}}\$\$ 16. \$\degree{\text{\$\geq}}\$\$

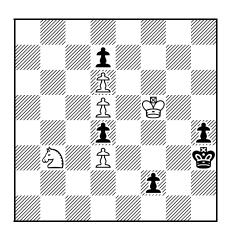
THEMATIC CONTENT

****** with an ideal Circean stalemate, in Wenigsteiner, Black Rex Solus. Savour the various reasons throughout the phases why ★ must not occur first.

From my article "Ideal Circe Serieshelpstalemates with 🗳 🗐 vs. 🔮", Ideal-Mate Review, April 1991, p.15:

The reader should explore the careful and accurate determination of the *walk* in each example, being motivated by the need to capture at least one White piece, the Circean rebirth re-positioning the piece as required for the stalemate. The niceties associated with choice of square and order of captures often provide the main artistic point. Note the characteristically Circean final ideal stalemate, only two distinct types being possible here ... For artistic reasons, I have tended to favour sequences in which both the *\text{\(\text{\(\text{\)

22 Ian Shanahan: **The Problemist**, July 1991, {F1235}. **C+** ~ To George P. Sphicas ~



Ser.H≠22 (5+5)

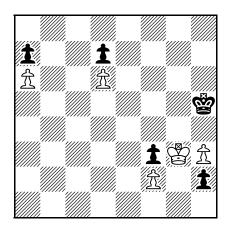
(4.७xd3? → ≠ in 23) 1.७g3! (७g2?) 2.1 a 3.1 a 4.1 a! (1 h1 \equiv ? → ≠ in 24) 5.0 xd5 6.0 g2 7. bf3 8.1 a 10.1 a 10.1 xd3 11.1 a 12.1 d3 13.1 d2 14.1 a 15. xd6 16. yd3 17.1 d5 18.1 d4 19.1 d3 20.1 d2 21.1 d1 a 22. a f2, a d4 \neq .

THEMATIC CONTENT

Black Allumwandlung [AUW] (the thematic moves have been coloured), ending with an ideal mate: the ECONOMY RECORD (with only 10 units!) for mate using a ②. It is somewhat paradoxical that the ② moves away from the boardedge. Also, there are several tries in 23 or 24 moves.

23 Ian Shanahan: Honourable Mention, Ideal-Mate Review, 1992. C+ [Ideal-Mate Review, July 1992, {No.5329}.]

~ To George P. Sphicas ~



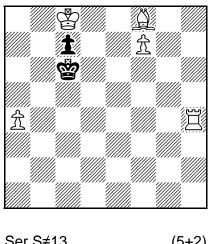
Ser.H≠22 (5+5)

1.**i**h1罩 2.罩d1 3.罩xd6 4.罩h6 5.**i**d5 6.**i**d4 7.**i**d3 8.**i**d2 9.**i**d1 10.剩xf2 11.剩g4 12.**i**f2 13.**i**f1 14.誉xa6 15.誉g6 16.**i**a5 17.**i**a4 18.**i**a3 19.**i**a2 20.**i**a1 21.遵f6 22.遵g5, 党xg4≠.

THEMATIC CONTENT

Black Allumwandlung [AUW] (the thematic moves have been coloured) and Black excelsior x2 in a kindergarten problem (i.e., 當會s and 全s only) ending with an ideal mate: the ECONOMY RECORD (with only 10 units!) for this theme-combination.

24 Ian Shanahan: Ideal-Mate Review, July 1992, {No.5456}. C+



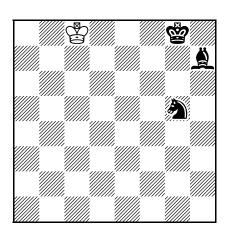
Ser.S≠13 (5+2)

1. \$\display 8 2. \$\display a 7 3. \$\display a 6 4. \$\display a 5 5. \$\display b 4 6. \$\display a 5 7. \$\display a 6 8. \$\display a 5 9. \$\display a 4 10. \$\display b 4 11. \$\display f 8 \display a 7 1. \$\display a 6 1. \$\displ 13.**②**b6, **1**xb6≠.

THEMATIC CONTENT

Subtle points of timing - hesitations, critical play and a switchback (8. \$a5) - as well as a quiet last move (i.e., no final check!), ending with an ideal mate; Black minimal; a neat, pleasant miniature.

25 Ian Shanahan: **The Problemist**, May 1993, {F1386}. **C+**~ In Memoriam Norman A. Macleod ~



R≠18 √ (1+3) Black moves only to check Circé

Try: 1.♚b8 2.♚a7 3.♚b6 4.♚a5 5.♚b4 6.♚c3? ♠e4+ 7.♚b4 8.♚a5 9.♚b6 10.♚c7 11.♚c8 ♠f5+! [mainplan]

Solution: 1.\$\\delta\$ 8 2.\$\\delta\$ 7 3.\$\\delta\$ 6 4.\$\\delta\$ 5.\$\\delta\$ 4 6.\$\delta\$ 33! * 7.\$\\delta\$ 2!! [foreplan] 7...\$\\delta\$ b1+ 8.\$\\delta\$ b2 9.\$\\delta\$ c3 \$\\delta\$ e4+ 10.\$\\delta\$ b4 11.\$\\delta\$ 5 12.\$\\delta\$ b6 13.\$\\delta\$ c7 14.\$\\delta\$ c8 \$\\delta\$ d6+ 15.\$\\delta\$ d7 \$\\delta\$ f5+ 16.\$\\delta\$ xd6(\$\\delta\$ b8) 17.\$\\delta\$ e7 \$\\delta\$ c6+ 18.\$\\delta\$ e8 \$\\delta\$ d7≠. (not 18...\$\\delta\$ g6+? Illegal under Reflex rules!)

* not 6.\$\displays b3? \(\mathbb{L} c2+ \) 7.\$\displays c3 \(\mathbb{L} e4+ \) 8.\$\displays b4 \) 9.\$\displays a5 \) 10.\$\displays b6 \) 11.\$\displays c7 \) 12.\$\displays c8 \(\mathbb{L} d6+ \) 13.\$\displays d7 \(\mathbb{L} a4+! \)

THEMATIC CONTENT

This **Wenigsteiner** – a **logical problem** with **critical play** and **White Rex Solus** ending in an **ideal Circean stalemate** – gained 7th Place in the Wenigsteiner of the Year competition for 1993. Logical problems with "Black moves only to check" were two ideas well-loved by Norman Macleod.

CONSTRUCTIONAL NOTE

("Black moves only to check" is indeed a type of series-mover: it is homologous to Dan Meinking's parry-series-movers.) The

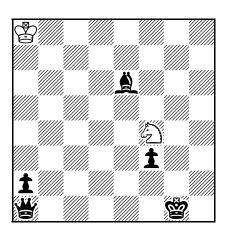
at g8 stops 7...

g8+, as well as guarding f7 and f8 in the ideal mate. Only when the

is captured on d6 will its rebirth stay under control; but first, the *critical move* 7...

b1+ must be forced.

26 Ian Shanahan: 2nd Prize, Variant Chess, 1993–1994. C+ [Variant Chess, April 1994, {No.68}.] ~ To Peter Wong ~



Ser.H≠11 (2+5)

1.負c8! 2.營h8 3.營h1 4.負a6 5.靠a1罩 6.罩a2 7.罩g2 8.靠f2 9.靠f1♠ 10.♠h2 11.負f1, 匂h3≠.

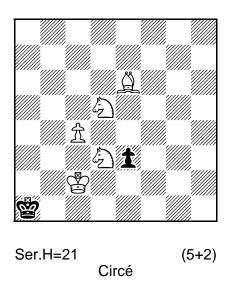
THEMATIC CONTENT

*3, at maximum distance in all directions; underpromotion ×2 with no captures; switchback (6.\mathbb{E}a2); White minimal and a sweet little miniature.

CONSTRUCTIONAL NOTE

The \(\) must be carefully deployed on e6: putting it anywhere else on the c8-h3 diagonal introduces cooks (that serve as 12-move tries).

[27] Ian Shanahan: Australian Chess Problem Magazine, November 1994, {Cover!}. C+ ~ Dedicated to Prof. Eugene Albert ~



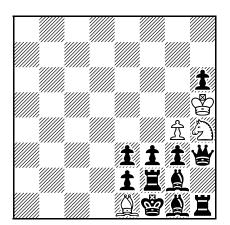
1.營a2 2.營a3 3.營a4 4.營a5 5.營a6 6.營b7 7.營c6 8.營d6 9.營xe6(魚f1) 10.營f5 11.營e4 12.營d4 13.營xc4 14.營xd5(心b1) 15.營e4 16.營f3 17.營g3 18.營h2 19.營g1 20.營xf1 21.營e2, 心d2=.

THEMATIC CONTENT

* trek ending in an ideal Circean stalemate, in miniature; Black minimal.

28 Ian Shanahan: 2nd Prize, U.S. Problem Bulletin, 1994. C+
[U.S. Problem Bulletin, November 1994, {No.3168}.] FIDE Album 1992–1994

~ To Geoff Foster: "Parliament House" ~



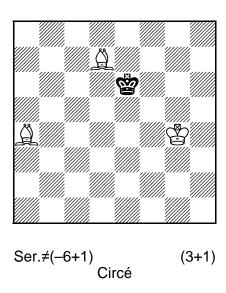
- (a) Ser.H=18
- (4+11)
- (b) ****h3→h2
- (a) 1.單h2 2.負h1 3.f單g2 4.負f2 5.單g1 6.負g2 7.g單h1 8.彎g1 9.負f1 10.罩g2 11.彎h2 12.負g1 13.罩f2 14.營g2 15.營h3 16.單h2 17.營h1 18.₤g2, 勾f5=.
- (b) 1.負h3 2.營g2 3.單h2 4.營h1 5.負g2 6.單h3 7.負h2 8.營g1 9.負f1 10.營g2 11.營h1 12.負g1 13.營h2 14.營h1 15.負g2 16.營g3 17.單h2 18.營h3, △f5=.

THEMATIC CONTENT, CONSTRUCTIONAL NOTES, AND THE COMPOSITION'S GENESIS

Incarceration with various switchbacks and platzwechsels, both throughout the solutions as well as between their beginnings and endings; follow-my-leader chain ×18 ×2! Perhaps just as equally important is the \(\mathbb{z}\)'s funktionwechsel: although the two stalemate positions are topologically identical, they are not, in fact, the same in detail – for the \(\mathbb{z}\)'s have exchanged places! In (b), the fact that \(\mathbb{z}\)'12 never moves carries the virtue of surprise, perhaps (yet it is not paradoxical: the stalemate configuration demands a \(\mathbb{z}\) at at \(2\). The twinning is exact and good: it could even be a first move (although this divulges information to the solver, alas, about what in (a) is indeed not the first move! — a disadvantage of twinning by comparison with two-solution format). Yet trivially, the twinning does insinuate two tries in 19 — by playing the 'twin move' 1.\(\mathbb{z}\) h2 in (a) and its reverse 1.\(\mathbb{z}\) h3 in (b), thence solving in 18. There are, however, two other 'non-trivial' tries in 19, both of them in (a): 1.\(\mathbb{z}\) h2 2.\(\mathbb{z}\) g1 3.\(\mathbb{z}\) 14.\(\mathbb{z}\) g2 5.\(\mathbb{z}\) b8 ... 9.\(\mathbb{z}\) e4... 11.\(\mathbb{z}\) g2 13.\(\mathbb{z}\) f1 11.\(\mathbb{z}\) g2 13.\(\mathbb{z}\) f1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 13.\(\mathbb{z}\) f1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 13.\(\mathbb{z}\) f1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 12.\(\mathbb{z}\) h1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 12.\(\mathbb{z}\) h1 13.\(\mathbb{z}\) g1 12.\(\mathbb{z}\) g2 12.\(\mathbb{z}\) h1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 12.\(\mathbb{z}\) h1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 12.\(\mathbb{z}\) n1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 12.\(\mathbb{z}\) n1 13.\(\mathbb{z}\) g1 14.\(\mathbb{z}\) p2 12.\(\mathbb{z}\)

Other twins (with analogous solutions, in 19-21 moves) need at least another 1, on f4. Besides merely perfecting "Parliament House's" 'architectural' shape, **±**h6 stops a cook in 13 – 1.ీ≜h2 2.♚g1 3.ీ≜f1 4.**±**g2 ... 6.e4 7.ీ≜b8 ... 9.♚h3 ... 11.ీ≜g1 12.♚h2 13. ≝xh4+, ເວົxh4=; likewise, ∄g4 prevents the 15-move 'short-circuit' cook whereby units exit the incarceration 'cage' only to re-enter it later – 1.誉c8 2.釓h3 3.駡g2 ̃4.釓f2 ... 6.彎h2 7.釓g1 8.駡f2 9.釓f1 ... 11.訾g2 12.彎h3 13.h駡h2 14.訾h1 15.ૌtg2, 幻f5=. A twosolution sequence in 18 can be extracted from this matrix (28A - 16 / 7p / 7K / 7S / 4pppq / 4prrb / 4Bk1b); however, the latter has no funktionwechsel of the \blacksquare s, and there is, in my opinion, rather too much similarity between the two phases – the treks by the riangleh3 and ≜h1 are identical in both solutions, albeit with different timings! Furthermore, ≣g2→g1 within this alternative position yields a Ser.H=19 with two variations – 1.g\(\mathbb{Z}\)g2 etc. – which carries the advantage of a 3-fold cyclic platzwechsel doubled, twice, between its initial and final configurations. The shape of "Parliament House" - this very complex serieshelpstalemate took me well over 200 hours to compose 'by hand', without any computer assistance! - is not only reminiscent of the profile of Australia's Federal Parliament building, but the functionaries therein likewise shuffle about until complete immobility ensues! Geoffrey Foster (the master of such follow-my-leader [FML] series-movers, akin to sliding-block puzzles) was the impetus behind this problem's genesis, and justifiably is its dedicatee: towards the beginning of our friendship, Geoff sent me the sketch-material and compositional methodology for his own FML precursors, which proved inspirational to me; his constructional techniques, derived from Game Theory, later formed the basis for a set of fascinating articles on the subject in The Problemist Supplement. The judge of the tourney within which "Parliament House" competed, the superb German Grandmaster Hans Peter Rehm, had this to say about it: "Twins (or multiple solutions) in seriesmovers are rare, and extremely rare are those in more than 10 moves. The twin not only doubles but (at least) squares the value of the invention - if the thematically related solutions, as here, are varied enough. The solver admires how it has been possible to obtain two very different precise sequences of exactly the same length. If one studies the mechanism, one finds several interesting permutations of pieces: in the final stalemate positions [the] 🖺 s have interchanged their place; both twins start with a Platzwechsel [PW] (in (a) [單f2/魚g1, after two moves], in (b) 營h2/單g1). In (a) compare the positions in the diagram and after the 15th move: [PW] of 單f2 and In (b) compare the positions after the 2nd and 12th move: cyclic [PW] of 營, I, 世, and 魚."

29 Ian Shanahan: **Problem Observer**, March 1995, {O202}. **C?**~ Dedicated to Peter Wong ~



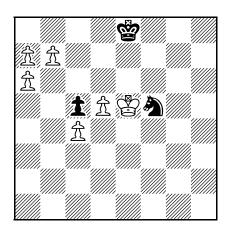
Retract: 1. ♣d7-c8(+**1**d7) 2. ♣c8-1c7(-♣c8, +1c7) 3.1c7-d6(+**1**c7) 4.1d6-e5(-**1**d7, +**1**d5!) 5. ♣a4-e8 6. ♣e8-1c7(-♣e8, +1c7); Forward: 1.1ce8 ♣≠.

THEMATIC CONTENT

A *Circean series-retractor* (this genre having been established by Peter Wong – hence the dedication to him, above): *en passant uncapture* during the retro-play; *promotions* during both the retro-play and forward-play; *Black Rex Solus* in *Wenigsteiner*.

[The Problemist, May 1995, {F1534}.]

~ To Arthur Willmott ~



Ser.S≠20 (6+3)

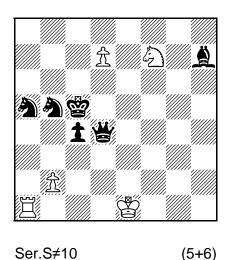
1.፯b8ቧ 2.፯a8ਊ 3.ਊa7 4.ਊxc5 5.ቯa7 6.ቯa8罝 7.罝a6 8.罝f6 9.ਊe6 10.ቧe5 11.ਊd6 12.ቯc5 13.ቯc6 14.ቯc7 15.ቯc8ᡚ 16.ᡚe7 17.ᡚg6 18.ᡚf4! 19.ᡚh5 20.ᡚg7+, ♠xg7≠.

THEMATIC CONTENT

White Allumwandlung [AUW] (the thematic moves have been coloured), ending with an ideal mate in a highly economical setting (merely nine men!); ****@-shield**; switchback ×2 (3. ******a7 and 7. *****Ba6); critical play; ****B-** and ****B-** hesitations; a remarkably long ****D-trek** with a unique route from c8 to g7; only a single capture (which is a pity: I was striving for a capture-free AUW). My best series-mover AUW yet? There is a try in 21, just one move too long: 1. ****£b8** 2. ****£a8** ... 4. ****Bxc5** ... 6. ****Bg7** ... 9. ****£c7** ... 16. ****Bc8** ... 18. *****£a8 ... 21. *****2d6+, ****Bxd6** ... 21. *****2d6+ would be nullified! This seriesselfmate is apparently very difficult to solve: both Bob Meadley and several of **The Problemist**'s stalwart solvers were 'scalped' by it!

Note: Although this problem was published in the May 1995 issue of **The Problemist**, it participated in that magazine's 1996 Fairies tourney because I was the judge of the 1995 Fairies therein.

31 Ian Shanahan: The Problemist, November 1997, {F1733vv}. C+



1.☆d8ሷ! (☆d8營?) 2.ሷg5 3.ሷd2 4.0-0-0 5.Ξg1 6.Ξg6 7.營b1 8.ঔa2 9.Ξd6 10.☆b4+, **1**×b4 e.p.≠.

THEMATIC CONTENT

Valladao task (the thematic moves are coloured), in *Meredith*, where *only* the thematic units move – the static ♠f7 surely being forgivable; anticipatory check-avoidance (i.e., 1.♣d8♣!, so as to avoid check on the following move) with no time whatsoever wasted on any ★-march; ♣-shield ×2; capture-free sequence. Cedric Lytton (who was the Editor of The Problemist's Fairies column at the time of publication) wrote: "... actually our 2000th problem"!

CONSTRUCTIONAL NOTE

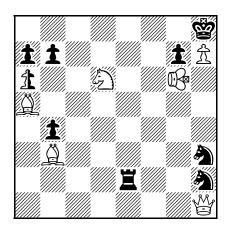
The two earlier published versions of this seriesselfmate sadly turned out to be cooked. Here, there is a try in 11 – just one move too long, wherein a *double-shield* for the ③ is created by the ☐a1 at d3: 1.☆d8∰ 2.౿e5 ... 4.☐d3 ... 8.ఄa2 ... 10.☐a4 11.☆b4+, 1xb4 e.p.≠. Cookstoppers – i.e., units whose sole function is to circumvent cooks – are entirely absent! The 1a5, which must never be captured, renders unique the route of the promoted △ to d2. I regret that the 4d4 is not used to self-block the ②; however, she does have other, multiple functions – such as guarding squares in the ③'s field, as well as making the promoting △'s choice of piece and route to d2 exclusive (via g5). 0-0-0 fulfils a dual role: to accelerate the ③'s access to his destination; and it is also a *clearance manoeuvre* for the ☐a1 to gain g2 in just two moves. At the time of composition, this was the only series-mover Valladao task I knew with 0-0-0 (all others having 0-0) – but then the problem below since came to light:

BN1 Boško Nikić: 1st Honourable Mention, Mat, 1974.



Ser.S≠13 (6+5)

1.ዿf5 ... 6.ੈ\$h8� ... 8.�f4 9.0-0-0 10.Ձb1 11.ਫੈc2 12.f�d5 13.ੈ\$b4+, **1**xb4 e.p.≠. ~ To Karen Booth ~



Voodoo Chess: Whenever a (non-royal) unit observes another (non-royal) unit of either colour, the observed unit becomes *permanently neutral*. **Nonadept** units cannot neutralize others, but are themselves rendered neutral through observation; **protected** units neutralize others through observation, but are themselves insusceptible to being neutralized; **exempt** units are 'normal' – they neither neutralize others nor are neutralized themselves (i.e., they are both nonadept and protected). Protected units are deduced from the problem's diagram position, whereas any nonadept units or exempt units must be declared explicitly.

Since they are being observed yet have not been neutralized, \$\mathbb{\alpha}\$h2, \$\mathbb{\alpha}\$b4 and \$\mathbb{\alpha}\$b7 must therefore be **protected units**. The solution is:

1.**±**b5 2.單e5! 3.單c5!! 4.圇f3(圇h3) 5.圇g1 6.單c1 7.單f1 8.單f8 9.圇f3 10.單a8(뢏a7) 11.圇g5(ฐh7,嘔g6)+, 圇×h7=.

THEMATIC CONTENT

A paradoxical **Z**-spiral: it takes 6 moves (not just 2), with careful timing and **shielding**, to get the **Z**e2 to a8, because the **Z** has to remain Black – i.e., avoid being observed – in order to effect a **Voodoo stalemate**; at the same time, the **Z** also needs to be cautious not to neutralize any White units (which would then have to be captured or somehow immobilized). A further **paradox**: whilst it does seem undesirable to check the **nonadept G**g6 (as he would then immediately be rendered neutral, so that White would need to stalemate him **in addition** to the **B**h8), this nevertheless must be done!

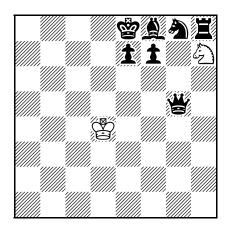
ANALYSIS OF THE FINAL STALEMATE POSITION

The h7 is *pinned* normally by the h1; h53, h1 and r6 guard the h8's field; the h6's pinned because any move by the it causes the a8 to be *neutralized*, thereby giving *self-check* to the h6's ab, a5, a6 and a7 are all clearly *blocked* by units one square below them; the a8 is *Voodoo immobilized* because any move of it along the top rank causes it to be observed hence rendered neutral, thereby giving self-check to the h8; likewise, a7(a7) is self-check; the r6g6's field is adequately *guarded only* by neutral or White units – if Black were to move a r6g to a square that is observed *only* by Black, then that would merely be check to White! – and a7g7 blocks g7 (anyway, r6g7 – unplayable by Black, since a7g7 is Black – is illegal self-check to the r6gh8, as well as check to White).

CONSTRUCTIONAL NOTES

The **nonadeptness** of the \$\exists 6\$ is not strictly necessary, but it does add interest through **paradox**. The \$\hat{h}2\$ must be a protected unit - i.e., not a \$\hat{a}\$ - otherwise there is a short 'cannibalistic' cook: 1.\$\frac{1}{2}b5 2.\$\hat{a}f3(\hat{a}h3) 3.f\hat{a}g1(\hat{1}e2) 4.\hat{a}xe2 5.e\hat{a}g1 6.\hat{a}xh3 7.\hat{a}g5(\hat{1}h7,\hat{2}g6)+, \hat{a}xh7=. If the \$\hat{a}h2\$ is protected initially, then White is unable to play 7...\hat{a}xh7 in the above line since the \$\hat{a}g5\$ always remains Black! Without \$\frac{1}{2}b4\$ and \$\frac{1}{2}b5\$, the problem would be cooked: 1.\$\hat{1}e1(\hat{1}e1, \hat{1}e1) 1 2.\$\hat{1}xh1 3.\hat{2}g1(\hat{3}g1) 4.\hat{3}e2 5.\hat{3}c3 6.\hat{3}d5 7.\$\hat{1}f1 8.\hat{1}xf1 9.\hat{2}e3 10.\hat{1}xd5, \hat{1}xd5=. (1.\$\hat{1}b5\$ is required to shield \$\hat{1}a5.) I relish the fact that the 'innocent' \$\hat{1}a6\$ looks like a mere cookstopper (immobilizing the \$\hat{1}a7\$ and \$\hat{1}a5\$ potentially), whereas its true purpose is to **blockade** the \$\hat{1}a7\$ in the stalemate position! Deceptive? A try: 1.\$\hat{1}b5 2.\$\hat{1}e5 3.\hat{1}g1(\hat{1}g1) ... 6.\$\hat{1}f2 7.\$\hat{1}f8 8.\hat{1}h3 9.\hat{1}f3 10.\$\hat{1}a8 11.\$\hat{1}g5(\hat{1}h7,\hat{2}g6)+, \$\hat{1}xh7=. However, this is illegal: 5.\$\hat{1}c2(\hat{1}c2)! ... 7.\$\hat{1}f8+.

[33] Ian Shanahan: 3rd Honourable Mention (Section 1), **The Problemist**, 2004. **C+** [**The Problemist Supplement**, March 2004, {PS1494}.]

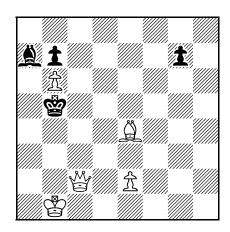


- (a) Ser.H≠5
- (2+7)
- (b) **②**h7↔**쌀**g5
- (a) 1.**1**e6 2.**1**d6 3.**1**d8 4.**1**e7 5.**1**f8, **2**f6≠.
- (b) 1. **1** f6 2. **1** g7 3.0-0 4. **1** h8 5. **1** g8, **1** xf7≠.

THEMATIC CONTENT

Complete Black homebase; **diagonal/orthogonal correspondence** (of **shields** – i.e., in each phase, Black establishes a shield of the $^{\otimes}$ first); **smothered model mates** ×2; **White minimal**.

[The Problemist, September 2004, {F2322}.]



Ser.S=27 (5+4) Protean Men

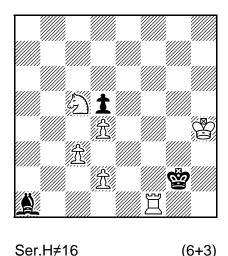
Protean Men: Upon capturing, a unit (including 營營s) takes on the powers of the unit captured, but without changing colour; in the case where a 盆 is captured, its direction of movement is retained. 營營s maintain their royalty, transforming into royal (R) units with other powers.

1. 基xb7章 2.章e4 3.章e5 4.章e6 5.章e7 6.章e8邑 7.邑a8 8.邑xa7县 9.县b8 10.县e5! (县d6?) 11.县b2 12.曾c3! (曾d2?, 曾e4?) 13.曾c2 14.曾d3 15.曾e4 16.曾f5 17.曾g6 18.曾xg7R章 19.R章g5 20.R章g4 21.R章g3 22.R章g2 23.R章g1R争 24.R争f3! (R争e2?) 25.R争d2 26.R争b1 27.曾b4+, 曾xb4R豐=.

THEMATIC CONTENT

Rundlauf $\times 2$ ($\textcircled{b}1 \rightarrow \mathbb{R} \overset{\wedge}{\to} \rightarrow \mathbb{R} \overset{\wedge}{\to} b1$ and $\mathring{\mathbb{R}} \in \to \overset{\vee}{\to} \to \textcircled{e}5$); **White Excelsior** $\times 2$ (with each of the $\mathring{\mathbb{R}}s$ marching in **opposite directions**[!], this manoeuvre to me certainly being witty and something that I have never seen before, which might even be specific to this Fairy condition); **Allmetamorphosen** [ALM] $\times 5$ (i.e., five transformations, by promotion **or** by capture, here into all five types of the non-royal chess men!); clever **dual-avoidance** (by $\overset{\omega}{\to}$ and $\overset{\omega}{\to}$), which dictates the problem's move-order. Note: after move 27, $\mathring{\mathbb{R}}b7$ guards a6 and c6, with the two $\mathring{\mathbb{R}}s$ mutually **blockading** one another! This fact is not obvious from the diagram **per se**, only when one considers the play that led to it. (Hence 'Proteancy' insinuates retroanalytic potentialities...)

35 Ian Shanahan & Michael Grushko: Australian Chess, November 2004, {No.42v}. C+



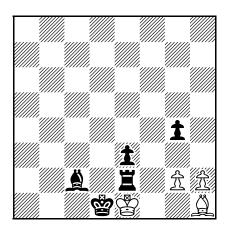
1.負b2 2.負a3 3.負b4 4.負a5 5.負c7 6.負e5 7.負×d4 8.負e5 9.**±**d4 10.**±**×c3 11.**±**c2 12.**±**c1**剂** 13.ਐd3 14.ਐf2 15.營f3 16.營f4, 買×f2≠.

Solvers' comments in relation to **42** from **Australian Chess**: **MG1** – Michael Grushko: {營h4, 莒f1, ቧf5, ևc3,d2,d4; ♚e2, ևc1, 1d5}, Ser.H≠12. 1. 且a3 ... 3. 魚×d4 4. 且e5 5. 1d4 6. 1×c3 ... 8. 1c1 ... 10. 1cm f2 11. 1cm f3 12. 1cm f4, □×f2≠.]:

"If Michael can keep this up he will be a super star! The many 13-move tries with the 2 mating on h3 are classy and I even had the 2 mated on b2 or h1 just failing. One of the very best series-movers {Bob Meadley}. It's cute all right; two near-misses in 13 with the 2 on g2 and h1 respectively got me right off the track for a while. Another feasible scenario that also retains the 2d2 has 20 on b2 and 20 on b2 and 20 b141, but in too many moves {Andy Sag}."

In studying MG1, at first I wondered why Michael hadn't worked in an extra move by starting the £c1 on a1. Then I realized that the abovementioned 'tries' – NB: their move-orders are in fact variable, so that they are really just 'cookattempts' – seem more plausible with £c1. It is regrettable, however, that MG1's (solution's) mate is not quite *ideal*: g4 is doubly guarded. So 35 is a resetting which achieves such economy in the mate, and with a longer – perhaps more geometrically interesting? – solution. (Note that here in 35 the must not start on e2, as in MG1 – otherwise the problem would be unsound.)

36 Stephen Emmerson, Mark Ridley, Ian Shanahan, & Cedric Lytton: König & Turm, September 2005, {U382}. C+



1 W→Ser.H≠3 (4+5) Tibetan Chess Monochrome

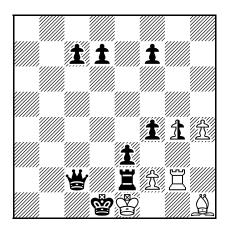
Tibetan Chess: A Black unit (not the *) becomes White upon capturing a differently moving White unit.

1.\(\pma\)h4, \(\pma\)×h4 e.p. 2.\(\pma\)×g2 3.\(\pma\)×h1\(\ma\), 0-0≠.

THEMATIC CONTENT

Valladao task (the thematic moves are coloured).

Ian Shanahan & Mark Ridley: **The Problemist**, September 2005, {R365F**v**}. **C+**~ To Cedric Lytton ~ **FIDE Album** 2004–2006



Ser.H≠3 (5+8+1n)

Monochrome

Black Pocket Neutral \$\frac{1}{2}\$ q4

Black Pocket 1: Black deposited a 1 legally upon the board, such a placement constituting a Black move.

How did the get to d1? Not via d7 or f7 (as the \$\frac{1}{2}\$ s there have never moved), but rather via g8-h7-g6; so Black castled 0-0. \$\bar{\mathbb{G}}\$2 is a promotee - (\$\bar{\mathbb{H}}\$h1) could never reach g2 - which captured (\$\frac{1}{2}\$h7), (\$\bar{\mathbb{M}}\$g8) and (\$\bar{\mathbb{L}}\$c8); hence this \$\bar{\mathbb{H}}\$-promotion occurred on g8. Since four captures are necessary for a promotion to eventuate in Monochrome, an e.p.-capture is also needed here. This must have been \$\frac{1}{2}\$f5/h5x\$\drac{1}{2}\$g5 e.p., and it turns out that \$\bar{\mathbb{G}}\$g2 was originally (\$\frac{1}{2}\$g2); so \$\frac{1}{2}\$g2 has actually executed a *\textit{rundlauf}\$ in the retro-play! Because (\$\frac{1}{2}\$g2) accounts for *\textit{all}\$ of the captured Black units on White squares, White's last move cannot have been \$\frac{1}{2}\$f3xXg4 or \$\frac{1}{2}\$h3xXg4 (where X is some Black unit). But how did the \$\bar{\mathbb{H}}\$ in fact arrive at g2? Only by gliding down the g-file, via - or over - g4: so the [Black Pocket] \$\frac{1}{2}\$ was deposited there, by Black, some time after the \$\bar{\mathbb{H}}\$ moved into its diagram position!

Since \$\frac{1}{4}\$ is neither (\$\frac{1}{2}\$\text{off}\$) nor (\$\frac{1}{2}\$\text{cf}\$) but, rather, (\$\frac{1}{2}\$\text{off}\$), then \$\frac{1}{2}\$\text{a}\$ must be (\$\frac{1}{2}\$\text{a}\$); together, this pair of \$\frac{1}{2}\$ s has captured five White men on Black squares to get where they are \$-\$\text{ but not (\$\frac{1}{2}\$\text{off}\$), which died \$in situ\$. Therefore, we are left with just four such capturable White men \$-\$(\$\frac{1}{2}\$\text{cf}\$), (\$\frac{1}{2}\$\text{cf}\$), and (\$\frac{1}{2}\$\text{a}\$) \$-\$ so that another e.p.-capture proves to be necessary: \$\frac{1}{2}\$\delta \text{cf}\$\delta \text{cf}\$ e.p. This line of reasoning establishes that \$\frac{1}{2}\$\delta 2-e1\$ was not White's last move, for we would have to retract \$\frac{1}{2}\$\delta 2-e1\$, \$\frac{1}{2}\$\delta 4\text{cf}\$\text{cf}\$ e.p. +, and then \$immediately\$ \$\frac{1}{2}\$\delta 2-e4\$; but this last move is impossible on account of \$\frac{1}{2}\$\end{cf}\$e2. Let us now investigate what (\$\frac{1}{2}\$\end{cf}\$) took on f4. Not (\$\frac{1}{2}\$\alpha\$1) because it could never play to f4, so it was either (\$\frac{1}{2}\$\text{c1}\$) or (\$\frac{1}{2}\$\delta\$2). Suppose it was the latter. Then (\$\frac{1}{2}\$\delta\$2) must have captured twice to reach f4. But this is unachievable, since (\$\frac{1}{2}\$\delta\$2) would need to have made two more captures to gain d4 or b6 in order to itself be taken by (\$\frac{1}{2}\$\alpha\$7) on the way to e3, when there is insufficient Black men available for such \$\frac{1}{2}\$-manoeuvres. Thus we must have \$\frac{1}{2}\$\epsilon\$-e7-5x\$\text{\text{d}}\$\delta 4\$ and \$\frac{1}{2}\$\delta\$0+x\text{\text{d}}\$\delta 4\$\text{\text{c}}\$\delta\$0 only have been: \$\frac{1}{2}\$\alpha x\text{\text{d}}\$\delta x\text{\text{\text{d}}}\$\delta e.p. Here, White's \$\frac{1}{2}\$-play was \$\frac{1}{2}\$\delta 2-d4\$ and \$\frac{1}{2}\$\delta 2-d4\$ and \$\frac{1}{2}\$\delta 2-d4\$ and \$\frac{1}{2}\$\delta 2-d4\$. Since prior to that \$\frac{1}{2}\$\delta 2-x\text{\text{g}}\$ would be required when no such Black force 'X' is obtainable. So we have suc

1. 1 xh4 e.p. 2. 1 xg2 3. 1 xh1 1, 0-0≠!

THEMATIC CONTENT

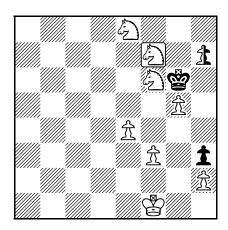
e.p.-captures by $\hat{\mathbb{A}}$, $\hat{\mathbb{A}}$, and $\hat{\mathbb{A}}$ (with the e.p.-captured $\hat{\mathbb{A}}$ s being specifically identified); **promotion** to Ξ , $\stackrel{\bullet}{\mathbb{B}}$, and $\stackrel{\bullet}{\mathbb{A}}$ (with nearly unambiguous move-sequences in the cases of the promoting $\hat{\mathbb{A}}$ and $\hat{\mathbb{A}}$); **0-0 by White and Black** – i.e., in toto, the **Valladao task**×'2%' (with a **retro-rundlauf**; the Valladao thematic moves are coloured), including one Valladao sequence with all three thematic move-types engaging the same unit ($\hat{\mathbb{A}} [\rightarrow \mathbb{X}]$):

	RETRO-PLAY	FORWARD-PLAY
WHITE:	e.pcapture, 罝-promotion, 峹-rundlauf	0-0

BLACK: e.p.-capture, **≝**-promotion, 0-0

NEUTRAL: — e.p.-capture, 其-promotion, (0-0 featuring ⅓)

[Problem Paradise No.43, July 2007, p.32, {No.52}.]



Ser.H≠9* (8+2+1n)
Chameleon ☐
Neutral ★ h7

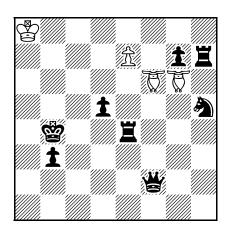
* 1... 1 h8 (1)!(1 h8 (2)?)≠.

THEMATIC CONTENT

Matching promotions to at opposite ends of the board, including a paradoxical rundlauf of the (to h8) and chameleon-cycle between the set mate and the mate at the end of the series (which is essentially identical). There is also carefully temporizing dual-avoidance at moves 7 and 8 (lest the arrive on the h-file one move too early and find it has no tempo-move available up the file).

39 Ian Shanahan: 1st Prize (Section 1), The Problemist, 2007. C? [The Problemist, September 2007, {F2569v}.]

~ Dedicated to Geoff Foster ~



Ser.H=13 (4+8) Reflecting Bishops

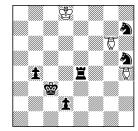
1.**±**d4 2.蠍c3 3.蠍c2 4.嵝e2! (嵝f3?)* 5.劙f4 6.劙d3 7.嶌×e7 8.嶌d7† 9.**±**b2 10.**±**b1劙! (**±**b1嶌?)‡ 11.嶌h1 12.嶌d1 13.嵝e7, ♂×e7=.

- * 4.\ddashf3? ... 13.\ddashf???
- † 7.單e5? 8.單b5 ... 14.單b3!; 7.單e6? 8.單c6 ... 14.罩×g6!; 7.罩×e7 8.罩f7? ... 14.彎b3!; 7.罩×e7 8.罩e8+???.
- **‡** 10.**å**b1**罩**? ... 14.**罩**b3!

The *try*: 1.**1**d4 ... 3.**2**d3 ... 7.**2**a2 ... 9.h**2**a1 ... 12.**2**b1 13.**1**b2 14.**2**d2, **3**xd2= takes one move too long. (This try also demonstrates that the **2** *must* sit on **a**8, lest – for example – 3.**2**b1 4.**1**d4 ... 6.**2**d3 ... 8.**2**a1 ... 10.h**2**a2 11.**1**b2 ... 13.e**2**g5, **3**xg5= cooks; **3** on a8 likewise prevents 1.**2**a3! 2.**2**a4+ 3.**1**d4 4.**2**e2 ... 6.**2**d3 ... 8.h**2**d1 ... 10.**1**b1 ... 12.**2**c2 13.**2**xe7, **3**xe7= from cooking, because 2.**2**a4 is an *illegal check*. And **1**g7 stops the following cook by averting 9.**2**e8: 1.**1**d4 ... 3.**2**c2 4.**1**d3 5.**2**e1 6.**2**e2 7.**2**b1 ... 9.**2**e8 ... 11.h**2**d1 12.**1**b2 13.**2**xe7, **3**xe7=.)

FURTHER CONSTRUCTIONAL NOTES: 39 can readily be extended into a 16-move '7-unpinner': \$\delta b4 \rightarrow c6, \$\dagger d5 \rightarrow d7, +\darklet b4 (solution: 2.\$\dagger xb4 \ldots 4.\$\dagger d4 \ldots 6.\$\dagger c2 etc.) for a record(?) number of unpins within a series-mover. But is such an extension worthwhile artistically? (I think not...) Anyway, below is a 5-unpinner 'stepping stone', and a pair of marvellous 6-unpinner predecessors:

39A Ian Shanahan: ORIGINAL. (C+)



Ser.H=9 (3+6 Reflecting Bishops ♥

1.**1**b3 2.**2**c2 3.**1**d1**3** 4.**3**f4 5.**3**d3 6.**2**a4 7.**1**b2 8.**1**b1**3**! (**1**b1**2**?) 9.**3**g5, **3**xg5=.

ENTSCHEID IM INFORMALTURNIER 1986 DER SCHWALBE, MÄRCHENSCHACH

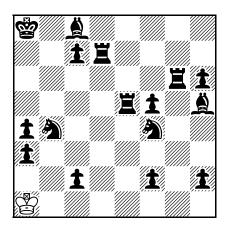


Ser. H = 14 (7+12) 1. Df4! 2. Le4 3. Df6! 4. Sc4 5. Tb6 6. Te5 7. Sc5 8. Dc6 9. e6 10. Dd5 11. Td6 12. c6 13. Lc7 14. Lb6 Lxb6=



Ser. S \neq 14 (6+10) 1. Te6! 2. Sf4 3. Sb3 4. Kc3! 5. b6 6. bxc7 7. c8S 8. Sa7 9. Sb5 10. Kc4! 11. Sd4 12. Sd5 13. Te8! 14. c6+ Dc6 \neq

Ian Shanahan: 2nd Commendation, **The Problemist**, 2008. **C+** [**The Problemist**, January 2008, {F2602}.]



Ser.=54 (1+16) Protean Men

Protean Men: Upon capturing, a unit (including 掌掌s) takes on the powers of the unit captured, but without changing colour; in the case where a 盆 is captured, its direction of movement is retained. 掌掌s maintain their royalty, transforming into royal (R) men with other powers.

With Protean Men, because 2 章 s at most can ever occupy any file, \$\ddots a3\$, \$\ddots c2\$, \$\ddots f2\$ and \$\ddots h2\$ stem from the capture of (章 a2), (章 c2), (章 f2) and (章 h2) respectively: hence they march *up* the board. Likewise, \$\ddots a4\$, \$\ddots c7\$, \$\ddots f5\$ and \$\ddots h6\$ are — or derive from — (\$\ddots a7), (\$\ddots c7), (\$\ddots c7)\$ and (\$\ddots h7)\$ respectively, and thus move *down* the board. The forward-play ("solution"), therefore, is:

THEMATIC CONTENT

White Rex Solus, journeying to the three unoccupied corners of the board (after initially moving away from a1) and ending in the sparsest of all *ideal stalemates*; 19 'royal metamorphoses' (the absolute maximum is 23) – including a White Royal Allumwandlung [AUW] (the thematic moves have been coloured), with every promotion at the 'wrong' end of the board!

CONSTRUCTIONAL NOTES

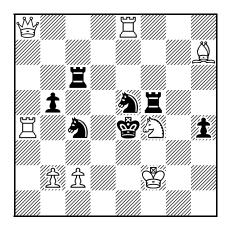
The position *is* indeed '*fairy legal*', as the following viable proof-game scenario (which does not even need any **1**-promotions!) confirms:

{below, '~' denotes 'stem(s) from', and '®' abbreviates 'respectively'}

- (i) **1**a4,c7,f5,h6 ~ (**1**a7,c7,f7,h7) ®, and (**1**b7,d7,e7,g7)×\(\hat{\pma}\)a3,c2,f2,h2 ® ~ (\(\hat{\pma}\)a2,c2,f2,h2) ®;
- (ii) 嶌d7~(訾d8)×(訾d1)×(釒b2)×(钋b1)×(釒b2)×(钋g1)×(釒e2)×(莒a1)×(莒h1), and 嶌e5,g6~(嶌a8,h8) ®;
- (iii) **凰**h5 ~ (**凰**f8)×(**凰**c1)×(**凰**g2)×(**凰**f1), and **凰**c8 ~ (**凰**c8);
- (iv) \$\dagger\$b4,f4 ~ (\$\dagger\$b8,g8) \bar{\mathbb{R}}.

Hence all units have been accounted for, and there are no promotees present. Of course, with 16 Black men on the board, White has never captured in *any* proof-game.

Geoff Foster & Ian Shanahan: 1st Prize, feenschach, 2008. C+ [feenschach No.172, April 2008, {No.9781}.]



Ser.H=18 (8+7)

1.**1**b4 2.**3**xb2 3.**3**c4 4.**1**b3 5.**1**b2 6.**1**b1**3**! (**1**b1**2**?) 7.**3**c3 8.**3**d5 9.**2**e6 10.**3**c6 11.d**3**e7 12.**2**g6 13.**2**d5 14.**3**d4 15.**3**e5 16.**3**f5 17.**2**g3 18.**2**h3, **3**xh3=.

THEMATIC CONTENT

A. Successive interference unpins [IUs]. There is a total of 11 IUs (such moves have been coloured)! We believe that, for an otherwise-orthodox series-mover displaying no promoted force, at the time of writing (September 2008) this establishes a NEW RECORD: the most IUs within a single phase. We think that the previous record was 6 IUs, as in VL1 – Valentin Lider: Lob. Feenschach, July 1972 (FIDE Album 1971–1973 No.644), and JvA1 – Jasper van Atten: 1st Pr= Die Schwalbe 1986 (see feenschach No.95, June 1990, p.333). However, Geoff's and my joint composition 43 (8+6 IUs, across solution- and try phases respectively) as well as GF1 (10 IUs) both surpass that old record – see below.

B. Interference-unpin cycle. If "X \otimes Y" denotes "X unpins Y by interference, Y then moving so as to pin X", then there is $\mathbf{1} \otimes \mathbf{1} \otimes$

CONSTRUCTIONAL NOTES

The **\(\beta\)**6 could instead be a **\(\beta\)**, which might possibly make the problem even more difficult to solve; this alternative is also nice because of the way that 17.\(\beta\)94 would then be forced by the position of the **\(\beta\)**. However, a **\(\beta\)**6 has the advantage that in the initial position, it is not clear to the solver which **\(\beta\)** will ultimately be captured on h3! (**\(\beta\)**66 could even be a **\(\beta\)**, which just stretches the solution uneconomically.) **\(\beta\)**1h4 is merely a cookstopper, preventing 18...\(\beta\)xe2=; yet it also forces 17.\(\beta\)g3 rather than 17.\(\beta\)6. Alas, further unpins cannot be appended by starting the **\(\beta\)**5 on b7: 1.\(\beta\)6 is then playable immediately, without waiting until the **\(\beta\)**6 is unpinned by 8.\(\beta\)d5.\(\beta\)8. This problem has now been exhaustively tested: Popeye 4.47 has confirmed soundness, in 1087:37:52 h:m:s(!) – a new record in computer stamina?

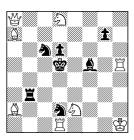
GF1 G. Foster: Die Schwalbe, 2?/2009



Ser.H=11

1.**=**65 2.**a**c6 3.**=**d4 4.**a**c2 5.**=**c4 6.**=**d3 7.**a**d4 8.**=**66 9.**=**d5 10.**a**e5 11.**=**h6, **a**×h6=. (10 IUs!)

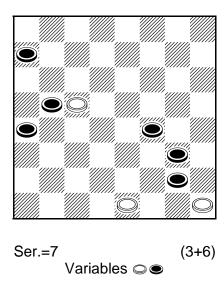
MM1 M. Myllyniemi: Novi Temi, 1972



Ser.H=6

1. $\mathbf{1}g5$ 2. $\mathbf{Q}d3$ 3. $\mathbf{A}c4$ 4. $\mathbf{Z}b7$ 5. $\mathbf{A}e5$ 6. $\mathbf{1}g4$, $\mathbf{Q}g3=$. $\mathbf{1}\otimes\mathbf{Q}\otimes\mathbf{A}1\otimes\mathbf{Z}\otimes\mathbf{A}2\otimes\mathbf{I}$ (5-cycle)

[The Problemist, November 2008, p.531, {E}.]



■ Variables: A Variable is a unit of known colour but unknown type, which can play as any orthodox unit (or fairy unit present in the diagram). All possible legal substitutions of Variables for units are to be considered. In the play, only moves consistent with legal substitutions up to that point are legal. If a Variable moves, only its departure and arrival squares are to be considered. After each move, certain substitutions may no longer be possible, being inconsistent with the play so far. Captures, checks, mate and stalemate are only effective if they are consistent with all remaining possible substitutions.

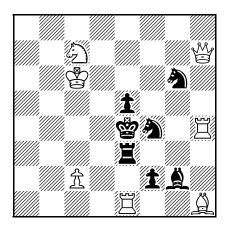
The symbology within the solution:

- A. ≠ means "cannot be (the unit[s] specified)";
- **B.** [©c7] means "the White Variable originally located on c7 in the diagram position";
- $C. \Rightarrow$ means "implies";
- **D.** \rightarrow g2 means "(the unit specified) that was shifted to g2".

THEMATIC CONTENT

Valladao task (each of the thematic moves are coloured), with all three thematic moves by White, ending in an ideal stalemate! – the only Valladao series-mover thus far to attain such thematic monochromaticism and ultimate stalemating economy?

The Valladao task has often been criticized for its lack of unity, but not so here: there is a catena of logic to imply each of its thematic components – i.e., $castling \Rightarrow (under)promotion \Rightarrow e.p.-capture$.



Ser.H=11 √ (7+7)

Try: 1.**1**f1**3**? 2.**3**h2 3.**3**g4 4.**3**e2 5.**1**f3 6.**1**f5 7.**3**f4 8.**3**e3 9.**3**g1 10.**3**f3 11.**1**f1 12.**1**b5+, **3**xb5=. Unique move-order, but one move too long!

Solution: 1.**1**f1II 2.If3 3. Lh3 4. Lg4 5. Lg2 6. If5 7. Lg4 8. Le2 9. If3 10. Lg6 11. Lg5+, Lg

Note: It turns out that a twin is also achievable (C+) – $g_2 \rightarrow f_3$, solution 1. $f_1 = 2.$ h2 3. $g_2 = 4.$ g2 5. $g_2 = 6.$ g2 $f_3 = 6.$ g

THEMATIC CONTENT

A. Successive interference unpins [IUs]. Across the two 'official' phases, there is an accumulation of *14 IUs* (six IUs in the try phase, eight IUs in the solution phase; such moves have been coloured) – and if one were also to include the abovementioned twin, then the totality of IUs would be an incredible 21! We believe that, for an otherwise-orthodox seriesmover displaying no promoted force, at the time of writing (August 2008) this established two NEW RECORDS: (i) the most IUs within a single phase (we think that the previous record was six, as in problem **A**, below); (ii) the most IUs across more than one phase.

C. Cyclic platzwechsel. If one compares the final destination-squares of certain units between try- and solution-phases, then a cyclic platzwechsel can be observed:

Unit	Destination square		
	Try	Solution	
1 f2	[a]e3	[黨]f5	
∕ 14	f3	e3	
≝ e3	f5	f3	

VL1 V. Lider: Lob. Feenschach, 1972.



Ser.H=10

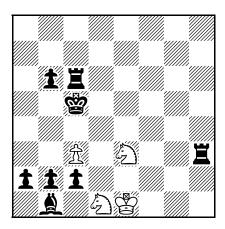
1.**点**f5 2.**三**g6 3.**为**g5 4.**点**h3 5.**为**g4 6.**三**h2 7.**点**f1 8.**三**h4 9.**点**h3 10.**1**g2, **三**g1=. (6 IUs)

MM1 M. Myllyniemi: Novi Temi, 1972.



Ser.H=6

1.**1**g5 2.**2**d3 3.**3**c4 4.**2**b7 5.**3**e5 6.**1**g4, **2**g3=. **1** ⊗ **2** ⊗ **3**1 ⊗ **2** ⊗ **3**2 ⊗ **1** (5-cycle) 44 Ian Shanahan: The Problemist, July 2009, {F2736R}. C+



Ser.S≠13 (4+8) Protean Men Rex Exclusive

Protean Men Rex Exclusive: Upon capturing, a unit (excluding 營營s) takes on the powers of the unit captured, but without changing colour. In the case where a 全立 is captured, its direction of movement is retained.

With Protean Men, because two $\hat{\mathbb{L}}$ s at most can ever occupy any file, $\mathbf{1}$ b2 and $\mathbf{1}$ c2 stem from the capture of $(\hat{\mathbb{L}}$ b2) and $(\hat{\mathbb{L}}$ c2) respectively: so they have never moved, but can march up the board. Likewise, $\mathbf{1}$ b6 and $\hat{\mathbb{L}}$ c3 are – or derive from – $(\mathbf{1}$ b7) and $(\mathbf{1}$ c7) respectively, and thus move down the board. Now if $\mathbf{1}$ a2 originated from $(\hat{\mathbb{L}}$ a2), then it too is unmoved, and the diagram position is impossible: no $\hat{\mathbb{L}}$ – or $\hat{\mathbb{L}}$ 1 promoting to a $\hat{\mathbb{L}}$ – could ever have reached b1; hence $\mathbf{1}$ a2 definitely came from $(\mathbf{1}$ a7) instead, so it must be downward-moving. The forward-play ("solution"), therefore, is:

1.☆xb2☆ 2.ᡚc3 3.ᡚxb1Д 4.Дxa2☆ 5.☆a1ဠ 6.0-0-0! * 7.愛b1 8.愛a2 9.愛a3 10.愛a4 11.ᡚc4 12.ᡚa3 13.☆b4+, **1**xb4 e.p.≠!!! †

* {from The FIDE Laws of Chess, §3.8a.ii}

"castling'. This is a move of the king and either rook **of the same colour on the same rank**, counting as a single move of the king and executed as follows: the king is transferred from its original square two squares towards the rook, then that rook is transferred to the square the king has just crossed. (1) The right to castle has been lost ... **with a rook that has already moved** ...". [emphasis added]

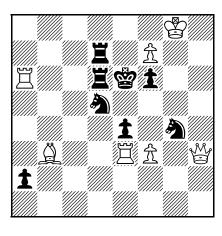
† {from The FIDE Laws of Chess, §3.7d}

"A pawn attacking a square crossed by an opponent's pawn which has advanced two squares in one move from its original square may capture this opponent's pawn as though the latter had been moved only one square. This capture is only legal on the move following this advance and is called an 'en passant' capture".

THEMATIC CONTENT

Valladao task (the thematic moves are coloured), but with all three of this task's thematic moves being 'Proteanized'; and the ∆d1 executes a 'Protean rundlauf'.

Geoff Foster & Ian Shanahan: 1st Honourable Mention, **StrateGems**, 2010. **C?***[StrateGems, January 2010, {C0320}.] FIDE Album 2010–2012



Ser.H=18 (7+8)

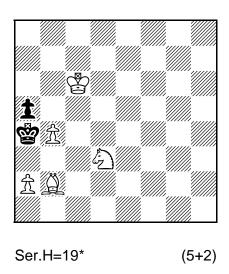
THEMATIC CONTENT

A. Successive interference unpins [IUs]. There is a total of 12 IUs (such moves have been coloured)! We believe that, for an otherwise-orthodox series-mover displaying no promoted force, at the time of writing (June 2009) this has – albeit momentarily – established a NEW RECORD: the most IUs within a single phase. (Geoff Foster, working alone with this matrix, has since extended the record to 13 and now 14 IUs – although, unlike here, certain constructional strainings betray the magnitude of such an astonishing task.)

* COMPUTER TESTING

This serieshelpstalemate was not quite exhaustively tested by Popeye 4.51. Using Popeye's "Ser.a=>b" command, I have confirmed that the intended finale (along with certain other comparable stalemate scenarios) admits no cooks or duals. Normal testing in Intelligent mode found no cooks in less than 18 moves: any potential cooks must, therefore, be of the same length as the solution.

46 Ian Shanahan: Australasian Chess, May 2011, {No.112}. C+



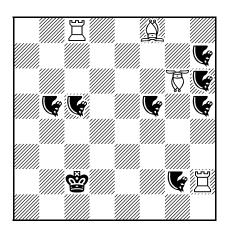
* 1... 全b5=.

Solution: 1.**1**×b4 2.2a5 3.2a6 4.2a7 5.2ab8 6.2ac8 7.2ab8 8.2ac7 9.2ac6 10.2ac6 11.2ac8 12.2ac8 13.2ac8 13.2ac

THEMATIC CONTENT

Rundlauf by the , ending with an **ideal stalemate**; a **Black minimal** and **miniature**. (It is a pity that the **rundlauf** is not quite capture-free, and that the set stalemate is not **ideal**. But the **rundlauf**'s route-determination and the **1-hesitation** are admirable.)

Geoff Foster & Ian Shanahan: 1st Prize (Section 1), **The Problemist**, 2011. **C?** [**The Problemist**, September 2011, {F2917}.]



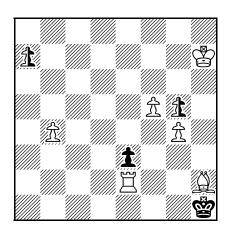
Ser.H=10 (4+8) Nightriders **▼** Reflecting Bishop **▼**

1. \ g8 2.7 \ f3 3.h \ d3 4.f \ d1 5. \ b1 6.8 \ d2 7.g \ c4 8. \ a4 9.5 \ c3 10.c \ a3, \ \ xa3=.

THEMATIC CONTENT

Nine *consecutive interference unpins* – an ABSOLUTE RECORD for a series-mover in 10; *hesitation* by three \$\infty\$; *dual-avoidance*: the flight g3 is guarded along the pin-line g6-h7-g8-a2-b1-c2, but a \$\infty\$ on b3 would then unpin \$\infty\$b1 – so a \$\infty\$ must be pinned elsewhere on g6-e8-a4-c2. Not on b5 (11.\$\infty\$f7!) or d7 (11.\$\infty\$b3!), nor on c6 or f7 (interfering with the \$\infty\$ or \$\infty\$), so on a4 or e8. I regret the fact that no \$\infty\$ is present. This serieshelpstalemate was developed from the stalemate matrix of my 1st-prize-winning \$\infty\$9.

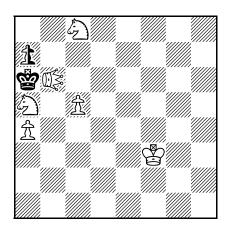
48 Ian Shanahan: The Problemist, September 2012, {F2988}. C+



Ser.H≠15* 2 solutions (6+2+2n) Neutrals 1

- * 1...**1** a8**2**≠.
- ① 1.1a5 2.1xb4 3.1b3 4.1b2 5.1b1 6. a2 7. f7 8. h5 9. xg4 10. h5 11. fg4 12. fg3 13. fg2 14. f3 15. a8, fg4≠.
- ② 1.1 a5 2.1 a4 3.1 a3 4.1 a2 5.1 a1 ② 6.2 e5 7.2 f4 8.1 xf4 9.1 f3 10.1 f2 11.2 xh2 11.2 h3 13.2 h4 14.1 f1 1 15.2 f4, □ h2≠.
- A *doubling* of the theme for the **Problem Paradise** Theme Tourney No.1 [i.e. the same last move in setplay and solution in a series-mover] – based on a proposal by Chris Feather. (This problem was composed during December 2006.)

49 Ian Shanahan: The Problemist Supplement, November 2012, {PS2668F}. C+



Ser.H≠8* (6+1+1n) Neutral **1** Querquisite **≰**b6

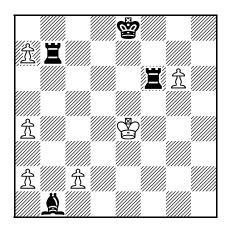
Querquisite: A 🕸 moves identically to that piece upon whose file it sits.

* 1... 1 a8 **1** a8 **1**?)≠.

Solution: 1.1xb6 2.1xc5 3.1c4 4.1c3 5.1c2 6.1c1@! 7. @d2! 8. @d5+, @a8≠.

• The theme for the **Problem Paradise** Theme Tourney No.1 [i.e. the same last move in set-play and solution in a series-mover] – based on a proposal by Chris Feather. (This problem was composed on New Year's Day 2007.)

50 Ian Shanahan: Commendation, StrateGems, 2013. C?* [StrateGems, July 2013, {C0485}.]



(6+4)

Ser.S=35

1.當e3!! (當e5?) 2.允c4 3.允c5 4.允c6 5.允c7 6.允c8 7.允a8 8 8.萬a5 9.萬h5 10.允a5 11.允a6 12.允a7 13.允a8 14.萬a3 15.萬d3 16.允a4 17.允a5 18.允a6 19.允a7 20.允a8 21.皆a3! (皆a5? 22.皆f5? etc. → = in 36) 22.包e7! 23.包f5 24.皆f4 25.皆g5 26.包h6! 27.包f7 28.皆h6 29.皆h7! 30.允g7 31.允g8 32.皆g7 33.萬h8 34.皆h7 35.皆f8+, 響×f8=.

THEMATIC CONTENT

Incarceration, multiple shields (of both ***S**), ***S-switchback*, and dual-avoidance involving a capture-free White Allumwandlung plus an additional promotion [AUW+1] (the thematic moves have been coloured): this problem equals the ECONOMY RECORD (with only 10 units!) for AUW+1 in seriesselfstalemate. Notice, too, that there is a further thematic promotion herein, by Black, during the retro-play (♣b1)! Note that 50D stemmed from 50, and not vice-versa.

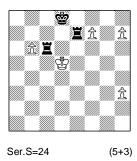
"STEPPING STONES"

50A 4k3 / 1PPr2PK / r6P / 40; Ser.S=12; (C+). Totally anticipated by K. Gandev: 1st Prize, Shakhmatna Misl, 1982.

50B 4k3 / rPP5 / 5rPK / 8 / 2P5 / 24; Ser.S=19; (**C+**). A perfect AUW, and an improvement on the Gandev prizewinner!

50C 4k3 / P1r3P1 / 4r1PK / 8 / P7 / 8 / P7 / 1b6; Ser.S=27; (C?*); 1.章g8② 2.②e7 3.②c6! (②c8?) 4.②d8 5.章a8邕 ... 7.邕h5 ... 11.章a8邕 ... 13.莒d3 ... 18.章a8營 19.營a3! (營f3?) 20.②f7 21.營h7! ... 23.章g8凰 24.ঔg7 25.邑h8 26.ঔh7 27.營f8+, 愛xf8=. AUW+1.

50D Ian Shanahan: StrateGems, July 2013, {C0484 – Reflected left-to-right}. C+

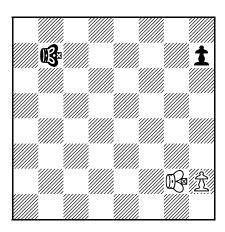


1.金f8② 2.金h8草 ... 4.莒a4 ... 9.金h8曾 10.曾h3 11.②d7! 12.②c5 ... 14.曾b5 15.②a6! 16.②c7 ... 18.曾a7! ... 20.金b8 21.曾b7 22.莒a8 23.曾a7 24.曾c8+, 曾xc8=. AUW – ECONOMY RECORD.

* COMPUTER TESTING

This seriesselfstalemate was partially tested by Popeye 4.61. Using Popeye's "Ser.a=>b" command, I have confirmed that the intended finale at least admits no cooks or duals.

51 Ian Shanahan: **The Problemist Supplement**, July 2013, {PS2757F, p.294}. **C?**~ To Mark Ridley ~



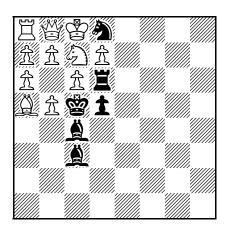
- (a) Ser.-H≠7 (2+2) Fuddled Kings ∯
- (b) Ser.≠8 Fuddled Kings **®**

Fuddled Kings can never make two consecutive moves. After moving once, they remain inactive until after the next move.

- (a) White moved last, therefore the ♠ is now inert. So, 1.♠c6 2.**1**h6! 3.♠d5 4.**1**h5 5.♠e4 6.**1**h4 7.♠f3, ∄h3≠;
- (b) Black moved last, therefore the **@** is now inert. So, 1.♠f3 2.Åh3! 3.♠e4 4.Âh4 5.♠d5 6.Âh5 7.♠c6 8.Âh6≠.
- Here we observe a kind of *duplex* series-mover, with a slight tinge of retroanalytics about it.

[52] Ian Shanahan (after G. Foster): 2nd Commendation (Section B), The Problemist, 2013. C?* [The Problemist, September 2013, {F3072}.]

~ "The U.S. Congress" ~



Ser.S=25

(11+6)

1.ቯb6 2.ᡚb5 3.ਊc7 4.ቯb8ᡚ 5.ਊb7 6.ቯc7 7.ᡚc6 8.ቯb8 9.ቯa8ਊ 10.ቯa7 11.ਊa6 12.ቯb7 13.ౄిb8 14.<mark>☆c8⊉</mark> 15.ቯc7 16.8씧b7 17.☆a8ቯ 18.ኇa7 19.씧b8 20.a씧b7 21.ኇa6 22.ቯa7 23.7\degree a8 24.\delta b7 25.\delta b4+, \delta xb4=.

THEMATIC CONTENT

Incarceration incorporating a capture-free White Allumwandlung [AUW] (the thematic moves have been coloured) in a follow-my*leader chain* ×24 showing a *cyclic platzwechsel* ×9 (i.e., b5→b7→c6→c8→a6→a7→b8→a8→c7→b5) as well as *switchbacks* ×2 (on a7 and b7).

CONSTRUCTIONAL NOTES, AND THE COMPOSITION'S GENESIS

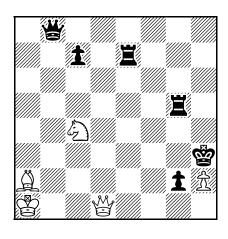
\$\displaystyle color="block">\$\displaystyle needed to guard b5 and b6 in the 's field; likewise -c6 to guard b4 (with a \(\subseteq\)c7 automatically guarding c6); hence a5 must be guarded by Black, with b6 empty. Besides the 2c7, only a promoted a on White squares could exit the 3x3 incarceration 'cage' (via a6→b5→a4 etc.), yet such a △ can never check the 📽 to force the stalemating of White!

Geoffrey Foster - the master of such follow-my-leader [FML] series-movers, akin to sliding-block puzzles - was the impetus behind this problem's genesis: towards the beginning of our friendship, Geoff sent me the sketch-material and compositional methodology behind his own FML precursors, which proved inspirational to me in composing my own Ser.H=18 twin, "Parliament House", [28] (which was eventually published within the 1992–1994 FIDE Album!); his constructional techniques, derived from Game Theory, later formed the basis for a series of fascinating articles on the subject in The Problemist Supplement. For "Parliament House", I had originated a 3x3 incarceration 'cage' with a unique stalemate configuration. Geoff, who was motivated by this discovery to write his own WOMBAT software, then set about finding 'game trees' that incorporated **1**-promotions within the same 3x3 stalemate matrix − such 'trees' being far too large to generate manually, without the assistance of a computer. In early 2013, I happened to revisit my sketches and notes for "Parliament House", including some letters from Geoff, and found therein a hitherto unpublished AUW FML by me which, sadly, had an illegal position. I now saw - after 18 years or so! - a way to overcome the illegality within this position, which then became the basis for an earlier, shorter version of "The U.S. Congress". I showed this to Geoff, who then informed me of a neartotal anticipation by him which I had entirely overlooked, GF2 - Geoff Foster: =4th HM, The Problemist, 1996 (version; reflected right-to-left to aid comparison) - K1Bs4 / PPPP4 / PPR4 / /3s4 / k7 / 24; Ser.!=18; 1.党b8 ② 2.巢b7 3.党c8 巢 4.罩c7 5. ②c6 6.營b8 7.盘a8營 8.盘a7 9.虽a6 10.營b7 11.盘a8Ϊ 12.睿a7 13.營b8 14.a虽b7 15.睿a6 16.Ϊa7 17.虽a8 18.盘b7Auto=. Fortunately, even in my foundational 'stepping stone', I had already unearthed a longer sequence than that of GF2 and, within the ultimate setting of "The U.S. Congress" (surely this motto requires no explanation, given the parlous state of U.S. federal politics?!), injected some additional originality: Although the capture-free AUW and the switchbacks within the two problems are identical, [52] expands the FML series by six moves (e.g., through using a $\stackrel{\text{through}}{=}$ instead of Geoff's $\stackrel{\text{def}}{=}$) and injects a 9-fold cyclic platzwechsel – a thematic element which is entirely absent from GF2. Now I feel that Geoff's independently-composed anticipator GF2 is only partially damaging to "The U.S. Congress" in regard to originality.

* COMPUTER TESTING

"The U.S. Congress" was partially tested with Popeye 4.61. Using Popeye's "Ser.a=>b" command, I have confirmed that this seriesselfstalemate's intended finale admits no cooks or duals, and that its 73 alternative incarceration configurations (within the 3x3 square 'cage' whose vertices are a6, a8, c8 and c6) all fail to achieve a stalemate in time.

53 Brian Tomson: 6th Commendation, **British Chess Magazine**, 1983. [**British Chess Magazine**, September 1983, {No.11911**v**}.] – *version* by Ian Shanahan: **The Problemist Supplement**, September 2014, p.380, H. **C?**



Ser.S=18 (5+6)

1.එe3 2.∄g8 3.⇔b3 4.ቄb2 5.ቄc3 6.එf5 7.ቄe6 8.ቄd4 9.ቄe5 10.ቄf6 11.⊌f7 12.එh4 13.එg6 14.ቄg7 15.ቄh8 16.එf8 17.心h7 18.⊌h5+, ≝xh5=.

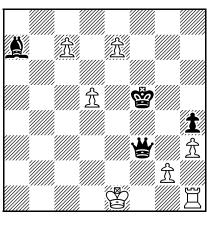
THEMATIC CONTENT

Complex multiple shields and double-shields of *; shields of *. What magnificent thematic intensity!

CONSTRUCTIONAL NOTE

My sole contribution here was simply to change the stipulation to Ser.S=18 (instead of Ser.S \neq 17), thereby adding another thematic move! (In the Ser.S \neq 17, we have instead 16. \triangle e5! 17. \triangle h5+, \blacksquare xh5 \neq , with sweet *dual-avoidance*.)

54 Ian Shanahan: **The Problemist**, November 2015, {F3256}. **C+** ~ In Memory of J. Brian Tomson ~



Ser.S≠9 √ (7+4)

Try: 1.♣e8\(\begin{array}{l} 2.\(\begin{array}{l} \ext{e2} \ext{? 3.\(\begin{array}{l} \begin{array}{l} 4.0-0 & 5.\(\begin{array}{l} \begin{array}{l} \begin

Solution: 1.☆e8罩 2.罩e6! 3.☆c8營 4.營c5! (營c2+?) 5.營f2 6.0-0 7.營h2 8.營d2! (營e3?) 9.☆g4+, ⁴xg4 e.p.≠.

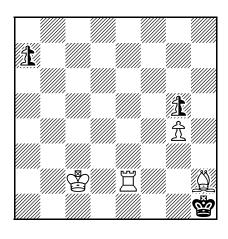
THEMATIC CONTENT

Valladao task with an additional promotion (the thematic moves are coloured), in Meredith, where only the thematic units move; *-shield; *-double-shield; dual-avoidance (the *'s route is nicely determined); funktionwechsel of the two promotees between try- and solution phases in creating the double-shield on f2; capture-free sequence.

CONSTRUCTIONAL NOTE

Cookstoppers – i.e., units whose sole function is to circumvent cooks – are entirely absent! 0-0 accelerates the $\ ^{\circ}$'s and $\ ^{\circ}$'s access to their destination-squares.

[55] Ian Shanahan: Springaren, September 2017, {No.14005}. C+

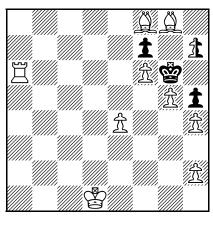


Ser.H≠15* (4+1+2n)

Set: 1... **1** a8 **2** ≠.

• The theme for the **Problem Paradise** Theme Tourney No.1 [i.e. the same last move in set-play and solution in a series-mover] – based on a proposal by Chris Feather. (This problem was composed during December 2006.)

56 Ian Shanahan: Springaren, September 2017, {No.14006}. C+

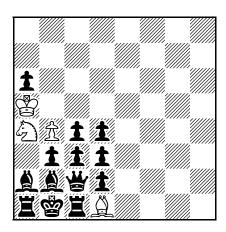


Ser.H≠9* (9+3+1n)

Set: 1... **1** h84 ≠.

- The theme for the **Problem Paradise** Theme Tourney No.1 [i.e. the same last move in set-play and solution in a series-mover] based on a proposal by Chris Feather. (This problem was composed on Christmas Day 2006.)

57 Ian Shanahan: **StrateGems**, July 2018, {G0668}. **C+** ~ To **bob** meadley ~



- (a) Ser.H=21
- (4+13)
- (b) **≝**c2→a3
- (a) 1.負a3 2.誉b2 3.罩c2 4.營c1 5.負b1 6.罩a2 7.營a1 8.負b2 9.罩a3 10.負a2 11.營b1 12.負c1 13.營b2 14.營a1 15.負b1 16.營a2 17.營a1 18.靠b2 19.營b3 20.罩a2 21.營a3, 公c5=.
- (b) 1.罩c2 2.蠍c1 3.負b1 4.罩a2 5.負a1 6.c罩b2 7.負c2 8.罩b1 9.負b2 10.b罩a1 11.蠍b1 12.負c1 13.罩b2 14.蠍a2 15.負b1 16.罩c2 17.ঙb2 18.蠍a3 19.罩a2 20.ঙa1 21.ੈ\$b2, 公c5=.

THEMATIC CONTENT, CONSTRUCTIONAL NOTES AND THE COMPOSITION'S GENESIS

Incarceration with various **switchbacks** and **platzwechsels**, both throughout the solutions as well as between their beginnings and endings; **follow-my-leader chain** x21 x2! Perhaps just as equally important is the **\(\mathbb{Z}\)**'s **(funktionwechsel**: although the two stalemate positions are topologically identical, they are not, in fact, the same in detail – for the **\(\mathbb{Z}\)**'s have exchanged places! Moreover, one must not play **\(\mathbb{L}\)**b2 too soon.

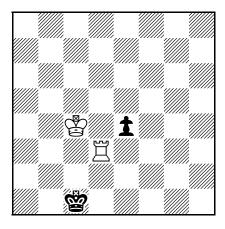
Besides merely perfecting this problem's "b"-shape, the static £1s all stop various 'short-circuit' cooks in one phase or the other whereby units exit the 3x3 incarceration 'cage' only to re-enter it later.

Geoffrey Foster – *the* master of such follow-my-leader [FML] series-movers, akin to *sliding-block puzzles* – was the impetus behind this problem's genesis: towards the beginning of our friendship, Geoff sent me the sketch-material and compositional methodology behind his own FML precursors, which proved inspirational to me in composing my own Ser.H=18 twin, "Parliament House", [28] (which was eventually published within the 1992–1994 FIDE Album!); his constructional techniques, derived from Game Theory, later formed the basis for a series of fascinating articles on the subject in **The Problemist Supplement**. For "Parliament House", I had originated a 3x3 incarceration 'cage' with a unique stalemate configuration. This problem maximally extends "Parliament House" right to the very end of its 'game tree' – 21 moves deep.

CHESS PROBLEMS by Dr Ian Shanahan

OTHER FAIRIES

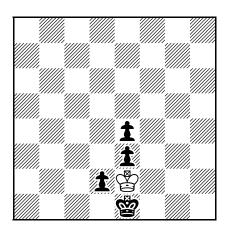
1 Ian Shanahan: Chessics, Spring 1984, {No.18 of Exact Echo Tourney}. C+



H=3 2.1.1.1.1 (2+2) Circé

- ① 1.**1**e3 \(\exists d2 \(2.\vec{\text{\$\psi}}\x\) xd2(\(\exists a1\) \(\exists f1 \\ 3.\vec{\text{\$\psi}}\)e2 \(\vec{\text{\$\psi}}\)c3=.
- ② 1.♚c2 ७b4 {tempo!} 2.**1**xd3(□h1) □e1 3.♚d2 ७b3=.
- This **Wenigsteiner** with a **tempo move** as well as an **exact echo** by **(0,1)-translation** of an **ideal Circean stalemate** gained 9th–11th Place in the Wenigsteiner of the Year competition for 1984.

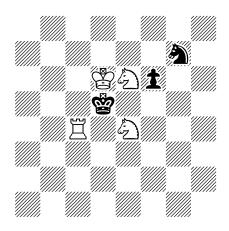
2 Ian Shanahan: **Chessics**, Spring 1986, {No.186}. **C+**~ Dedicated to Alexander George ~



H≠6 2.1.1.1... (1+4) Circé Rex Inclusive

- ① 1.♚f1 ♚d3 2.**1**×d3(♚e1)++ ♚f2 3.**1**×f2(♚e1)+++ ♚e2 4.**1**d1 Ё ♚×d3(**1**d7) 5.Ёh5 ♚e3 6.Ёe8 ♚×f2(**1**f7)≠.
- ② 1.♚d1 ♚f3 2.**1**×f3(♚e1)++ ♚f2 3.**1**×f2(♚e1)+++ ♚e2 4.**1**f1 ♠ ♚×f3(**1**f7) 5.♠b5 ♚e3 6.♠e8 ♚×d2(**1**d7)≠.
- White Rex Solus in miniature; \(\begin{align*}
 \text{-incarceration}\); cyclic permutation of \(\begin{align*}
 \text{s}'\) roles; ideal Circean-RI mates.

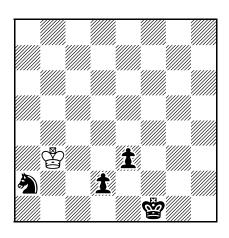
3 Ian Shanahan: Chessics, Spring 1986, {No.187}. C?



H≠5 (4+3) Circé Rex Inclusive Black Must Capture Anchor Ring

- 1.營xc4(嶌h1) 4分c5 2.營xc5(分g1) 分e8++! 3.營xd6(含e1)! 0-0! (含f1?)
- 4.♚xe6(ᡚb1) ☐e1+ 5.♚f7 ᡚh8≠.
- *Ideal Circean-RI Anchor-Ring mate*, in *miniature*. On an Anchor Ring, the diagram perspective defines the game-array squares for any Circean rebirths.

4 Ian Shanahan: **The Problemist**, May 1986, {F873}. **C+**~ Dedicated to Alexander George ~



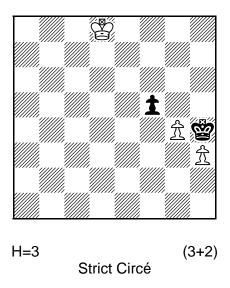
H \neq 6 $\sqrt{$ (1+4) Circé Rex Inclusive

Try: 1.♠c3? ७xc3(♠b8) 2.₺d1♠ ७d2 3.♠h5 ७e2
4.♠d7 ७f2 5.₺xf2(७e1)++ ७e2 6.♠e8?? ७xf2(₺f7)≠.
But 6.♠e8 is an illegal self-check!

Solution: 1.♠b4! ७×b4(♠b8) 2.₺d1 ₾ ७a4 3.₾×a4(७e1)++ ७f2 4.₺xf2(७e1)++ ७d2 5.₾e8 ७e3 6.♠d7 ७xf2(₺f7)≠.

• White Rex Solus in miniature; \(\mathbb{L}\)-incarceration; ideal Circean-RI mate.

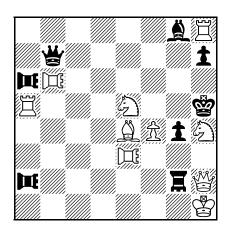
5 Ian Shanahan: The Problemist, July 1986, p.194, {No.1v}. C+



1.**1**×g4(含g2) 當e7 2.**1**×h3(含h2) 含xh3(**1**h7) 3.**1**h5 當f6=.

• Ideal Strict-Circean mate in a kindergarten problem (i.e., 🗳 🕏 and 🏦 sonly). This miniature trifle was merely a didactic problem composed to accompany my article in The Problemist's July 1986 issue, which introduced the Strict Circé variant.

6 Ian Shanahan: **Chessics**, Autumn 1986, {No.197**v**}. **C+**~ In Memory of Comins Mansfield ~

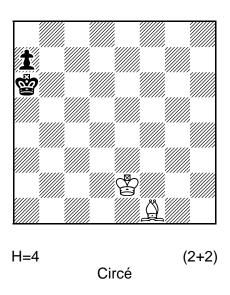


≠2 (10+8)
Rook-Lions □■
Rook-Hamster ■

Key: 1. ♣xh7! (>2. ♣g6) 1... ♠xh7 2. ♣c6≠. 1... ★xh7 2. ♣f7≠. 1... ★b2+ 2. ♣g2≠. 1... ★g3+ 2.h ♣f3≠. 1... ♣h6 2. ♣f5≠.

• A *Mansfield Couplet* (appropriately!), with *cross-check* ×2. (The original published version had an 'ordinary' Hamster at g2, which led to *no solution*. Can you see why?)

7 Ian Shanahan: Ideal-Mate Review, January 1987, {No.2049}. C+ ~ Dedicated to Prof. Eugene Albert ~

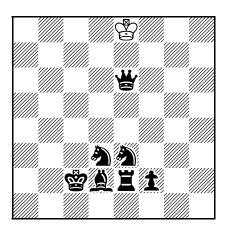


1. \$\dagger a5 \$\dagger d2 2. \dagger a6 \$\textit{@} b5 3. \dagger x b5 (\$\textit{@} f1) \$\textit{@} x b5 (\dagger b7) 4. \dagger b6 \$\dagger c3=.

• This *Wenigsteiner* shows *clearances* by both \$\mathbb{G}\$ s, a \$\mathbb{A}\$-switchback \times 2, quasi-symmetry in the diagram position, and ends with an *ideal Circean stalemate*.

8 Ian Shanahan: 2nd Honourable Mention, **The Games and Puzzles Journal**, 1988. **C?** [**The Games and Puzzles Journal**, March 1988, {No.61**v**}.]

~ Dedicated to Alexander George ~



H≠5 (1+7) Circé Rex Inclusive; BlocChess

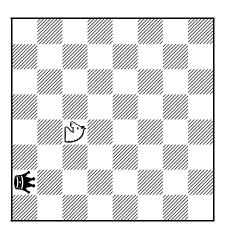
1.營xe8(營e1)++++ 營xe2(黨a8) 2.黨d8 營xf2(**1**f7)

3. \$\ddag{\text{\$\pi}}\$d1 \$\dag{\text{\$\pi}}\$xe3(\$\text{\$\pi}\$b8) 4. \$\text{\$\pi}\$d7 \$\dag{\text{\$\pi}}\$xd3(\$\text{\$\pi}\$g8) 5. \$\text{\$\pi}\$e7 \$\dag{\text{\$\pi}}\$xd2(\$\text{\$\text{\$\pi}}\$f8)≠.

BlocChess: All units of the mated side must be configured in a shape which is a solid block, with no holes or discontinuities.

• White Rex Solus; *-incarceration; ideal Circean-RI mate; figurative shape problem - the diagram displays a Black trapezium at the bottom end of the board, whereas the mate portrays a Black rectangle at the top!

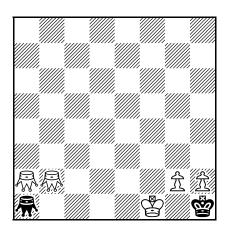
9 Ian Shanahan: **The Problemist**, January 1995, p.1, {No.10}. **C?**~ New Year Greeting Problem ~



- ① 1.**\$\psi\$**b2 \$\gamma e8 2.**\$\psi\$**a1/**\$\psi\$**h8 \$\gamma b2/\$\gamma g7=.
- ② 1.♠g2 ७a5 2.♠h1/♠a8 ₺g2/₺b7=.

[•] The "Wong Theme": i.e., echoes (of an ideal stalemate) in all four corners of the board, here without any twinning, in Wenigsteiner with Rex Solus ×2. Nice geometry!

10 Ian Shanahan: **The Problemist**, January 2004, p.273, {No.8}. **C+** ~ New Year Greeting Problem: "Tumbleweeds" ~

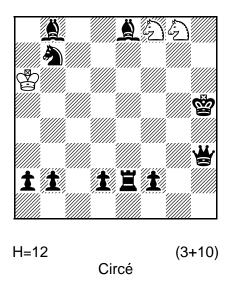


H≠3* 2.1.1.1.1 (5+2) Grasshoppers ♠♠

- * 1... 県c2 2.県c3 県c4 3.県c5 県c6≠.
- ① 1.帰a3 悬a4 2.帰a5 悬a6 3.帰a7 悬a8≠.
- ② 1.Qc3 Qd4 2.Qe5 Qf6 3.Qg7 Qh8≠.
- "Tumbleweeds" an obvious metaphor! Nice geometry: all four corners are occupied, in *miniature*. That \pm h2 is employed in only one solution is a slight blemish. This problem was sent to the magazine **Quartz** some time during the mid-1990s, but I do not know whether or not it was ever published therein.

11 Ian Shanahan: **The Problemist**, September 2005, {F2414**v**}. **C?****Correction: **The Problemist**, March 2007, p.76.

**To Peter Wong **



1.**1**a1**1**+ **8**xb7 2.**2**a8 **2**f6+ 3.**2**h6 **8**xa8 4.**2**g7 **2**xe8(**2**c8)+ 5.**2**xf8(**2**g1) **2**xe2 6.**1**f1 **2**xb8 7.**2**g3 **2**xg3 8.**1**b1 **2**xc7! {tempo!} 9.b **1**f5 **2**xf5 10.**1**d1 **2**xc8 11.**3**d8+ **3**xd8 12.**4**h6 **2**xh6=.

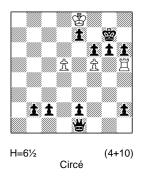
• Black Allumwandlung [AUW] (the thematic moves have been coloured); ideal stalemate (not Circean); *tempo (W8). 11 is a greatly expanded version of my hopelessly cooked F2048 (in The Problemist, May 2001). Note: the last 10 ply are C+ by Popeye, courtesy of Geoff Foster – thanks, mate!

CONSTRUCTIONAL NOTES

I e2 stops W5 and W6 from being reversible; the reborn 魚c8 (after W4) prevents 8. I d1 營 營 b7! 9. I b1營+ 營 c7 10. 營 d8+ 營 xd8 11. b 營 f5 ὧ xf5 12. 營 h6 ὧ xh6=. And the 營 must be deployed on h3, otherwise there is 8. I b1 魚 營 xc8 9. b 魚 f5+ ὧ xf5 10. I d1營 營 c7 etc.: i.e., the 營 must guard c8.

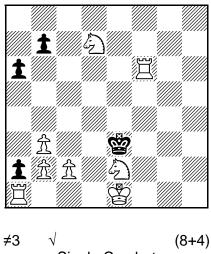
Helpstalemate in Circé with all-Black AUW is surprisingly rare: I have, despite extensive searching prior to this problem's publication, unearthed only one (sound?) example besides my own! It has very different play and motivation when compared with mine:

ZL1 Zoltan Laborczi: **The Problemist**, May 1981, {F589}.



1...當d8 2.**1**xh5(閏h1) 罝xe1 3.**1**c1負 罝xc1(負f8) 4.**1**xc1買(罝a1) 罝xc1(嶌h8) 5.**1**h1負 罝xh1(圇g8) 6.**1**e1營 罝xh5(**1**h7) 7.營e6 兌xe6=.

[12] Cedric Lytton, Mark Ridley, & Ian Shanahan: Mat Plus, Summer 2008, {No.1008}. C?



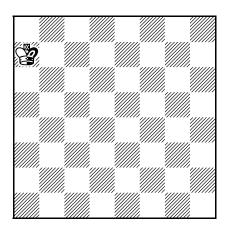
Single Combat

Try: 1.\(\mathbb{I}\) xa2? **1**a5! 2.\(\mathbb{I}\) xa5 **1**b5! 3.???

Key: 1.0-0-0! * 1...**७**e4 2.**७**d2 **† ७**d5 3.**७**e3≠. (2.d\(\mathbb{\pi}\)d6? \(\mathbb{g}\)e3 3.d\(\mathbb{\pi}\)e6≠? \(\mathbb{I}\)llegal!) 1...*****e2 2.\(\beta\)d3 *****e1 3.\(\beta\)e3≠.

- 1.0-0-0! demonstrates that neither 2 nor 2 a1 has ever moved; and under Single Combat rules, if any other White man had just moved then it would have played the key-move instead - so whatever man White did move previously has just been captured by Black. Clearly, only the go could have made this capture, onto e3, so that Black is compelled by the rules of Single Combat to respond to 1.0-0-0 with either 1... et a or 1... exe2 - the exist only available moves.
- † {from The FIDE Laws of Chess, §3.8a.ii} "[Castling] is a move of the king and either rook of the same colour on the same rank, counting as a single move of the king ...". [emphasis added]

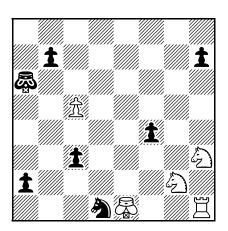
13 Ian Shanahan: Mat Plus, Spring-Summer 2009, {No.1307}. C+
~ To Geoff Foster ~ FIDE Album 2007–2009



- (a) Reci-H=5 (0+0+1n) Enemy Sentinels
- (b) **③**a7→c7
- (c) **2**a7→a3
- (d) **②**a7→a2
- (a) 1. **\$\frac{1}{2}\$** b6(+**1**\$a7) **\$\frac{1}{2}\$** b5(+**1**\$b6) 2. **\$\frac{1}{2}\$** b4(+**1**\$b5) **1**a8 **2** 3. **3**a3(+**1**\$b4) **2**c6 4. **3**a4(+**1**3a3) **2**d5(+**1**c6) 5. **1**×d5= & 5. **1**×b5+ **3**×b5(+**1**a4)=;
- (b) 1.愛b6(+全c7) 全c8營 2.愛b5(+全b6) 營c2 3.愛×b6(+全b5) 營c8(+全c2) 4.1c1營 愛a7(+1b6) 5.營×c8= & 5.營c6 營×c6=;
- (c) 1.營a2(+全a3) 營b3(+**1**a2) 2.**1**a1♠+ 營a4(+**1**b3) 3.營a5(+全a4) 營a6(+**1**a5) 4.♠c2 營×a5(+**1**a6) 5.營×a4(+全a5)= & 5.♠b4(+全c2) 全×b3=;
- (d) 1.愛b2(+全a2) 愛a3(+**1**b2) 2.**1**b1愛a4(+**1**a3) 3.b4+ 愛a5(+**1**a4) 4.愛a6(+全a5) 愛a7(+**1**a6) 5.愛a8(+全a7)= & 5.b5(+全b4) ②×a6(+**1**a7)=.
- A *mixed-colour Allumwandlung* [AUW] the thematic moves of which have been coloured using the absolute minimum of initial force (i.e., a *Neutral Rex Solus*), whose promotions are all motivated by the need to fulfil the reciprocal-helpstalemate stipulation! No moves are repeated anywhere. All stalemates which are *Enemy-Sentinels-specific* i.e., with 'pinning' (or 'spiking') of the and/or other units by *potential* 'sentinels' are coloured. This *Wenigsteiner* gained 8th–10th Place in the Wenigsteiner of the Year competition for 2009.

14 Ian Shanahan: 1st Honourable Mention (Section D), Mark A. Ridley 50 Jubilee Tourney, 2009–2011.* C?

~ To Mark Ridley ~



H≠3 (5+7) Auto-Wizard Kings ♣♠

1.**1**a1罩! (**1**a1營?) ②f2[營] 2.罩a5[魚] 0-0[爲f1,營g2]+! (爲f1[爲f1]+?) 3.**1**b5 ★xb5 e.p.≠.

The Valladao task (the thematic moves are coloured), achieved very economically for a H≠3.

HISTORICAL BACKGROUND

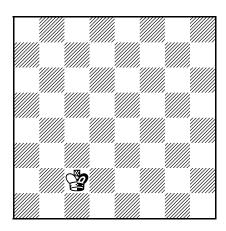
According to David B. Pritchard's book *The Encyclopedia of Chess Variants* (Games & Puzzles Publications, Godalming, Surrey, UK, 1994), p.342: "**WIZARD CHESS** Tony Paletta (1980). ... Kings are Wizards which affect the movement of pieces of either colour adjacent to them. A rook next to a wizard moves like a bishop, a bishop like a rook, a queen like a knight and a knight like a ... queen. Pawns are not influenced. A piece next to both wizards behaves normally ...".

I have appropriated the qualifiers **Auto** (i.e., acting *only* on pieces of the *same* colour as Wizards) and **Oppo** (i.e., acting *only* on pieces of the *opposite* colour to Wizards) from research carried out by Chris Tylor thence published in the journal **Chessics**. I envisage that the 'wizard principle' could be applied also to other (non-Royal) units in identical fashion. Further thought, however, does need to be undertaken concerning precisely how Wizards might act – if at all – on other types of Fairy units... Moreover, I imagine that other cognate 'magi' (such as **Warlocks**? **Shamans**? etc.) will be defined who shall accomplish different patterns of temporary Wizard-like transformations – e.g. cyclical, as opposed to merely reciprocal mutations; 'spells' involving **£**\$\$, etc.

* The Award was published on the **MatPlus** forum (MatPlus.net) on 31.12.2012.

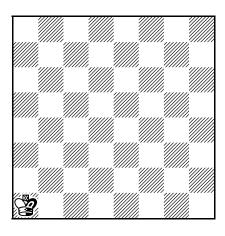
15 Ian Shanahan: 2nd Honourable Mention (Section D), Mark A. Ridley 50 Jubilee Tourney, 2009–2011.* C+

~ To Mark Ridley ~



- (a) Reci-H=5 (0+0+1n) Enemy Sentinels
- (b) Reci-H≠5 Enemy Sentinels
- (a) 1.愛d2(+全c2) 愛c3(+**1**d2) 2.**1**d1 ***** 愛b3(+**1**c3)+ 3.愛b4(+全b3) 愛b5(+**1**b4) 4.*****d8 愛a6(+**1**b5) 5.*****c7= & 5.*****a5+ *****g×a5(+**1**a6)=.
- (b) 1.愛b2(+全c2) 全c3 2.愛c2(+全b2) 愛b3(+全c2) 3.愛a2(+全b3) 全b4 4.全c1營 全b3 5.愛a1(+全a2)≠ & 5.愛a3(+全a2)+ 愛a4(+全a3)≠.
- The *Argentine theme* (i.e., twinning by swapping = with ≠ *only* in the stipulation), in *Wenigsteiner*, using an absolute minimum of initial force (i.e., a *Neutral Rex Solus*). *Enemy-Sentinels-specific (stale)mates* i.e., with 'pinning' (or 'spiking') of the by potential 'sentinels' have been coloured.
- * The Award was published on the **MatPlus** forum (MatPlus.net) on 31.12.2012.

16 Ian Shanahan: **Springaren**, March 2013, {No.12725}. **C+** ~ To Mark Ridley ~

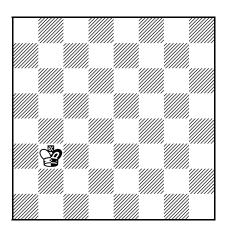


H==5 (0+0+1n) Enemy Sentinels ≤ 6 **1**s

- 1.♚b1 {tempo!} ♚b2 2.♚b3(+☆b2) ♚a3(+іb3)+ 3.♚a4(+☆a3) ♚b5(+іa4)
- 4.♚b6(+⋬b5) ♚a6(+⋬b6)+ 5.♚a5+♚xa4(+⋬a5)==.

[•] The double-stalemate in this **Wenigsteiner** is **Enemy-Sentinels-specific** for **both** sides – i.e., with 'pinning' (or 'spiking') of the **3** by potential 'sentinels' of **both** colours therein; **Neutral Rex Solus** – i.e., an absolute minimum of initial force. (Note also the initial **tempo move** on B1 by the **3**.)

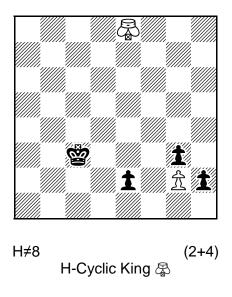
17 Ian Shanahan: **The Problemist**, March 2013, {F3041}. **C+** ~ To Mark Ridley ~



Reci-H=5 2.1.1.1... (0+0+1n) Enemy Sentinels 2[♠]/8**‡**

- ① 1.愛c3(+含b3) 愛b4(+**1**c3) 2.**1**c2 愛b5(+**1**b4) 3.**1**c1營 愛a6(+**1**b5) 4.營c5 愛a5(+**1**a6) 5.營c6(+含c5)= & 5.營b6(+含c5)+ 含xb6=.
- ② 1.愛c2(+☆b3) 愛b2(+**1**c2) 2.愛×b3(+☆b2) 愛b4(+**1**b3) 3.**1**c1世 愛a5(+**1**b4) 4.世c4 愛a4(+**1**a5) 5.世c5(+☆c4)= & 5.世b5(+☆c4)+ ☆×b5=.
- Exact echo stalemates (in two-solution form, (0,1)-translated) in this Wenigsteiner, using an absolute minimum of initial force (i.e., a Neutral Rex Solus). Enemy-Sentinels-specific stalemates i.e., with 'pinning' (or 'spiking') of the graph by potential 'sentinels' have been coloured. (Notice the asymmetry over the first two moves.)

18 Ian Shanahan: Springaren, September 2017, {No.14004}. C?



₩ H-Cyclic Kings move as if the board were a horizontal cylinder. All other units move normally on the standard two-dimensional board.

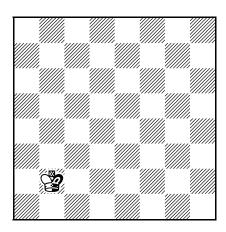
• A *mixed-colour Allumwandlung* [AUW] – the thematic moves of which have all been coloured – with an *excelsior* ending in an *ideal mate*, achieved with the ultimate economy of force.

HISTORICAL BACKGROUND

According to Anthony Dickins's book *A Guide to Fairy Chess* (Dover Publications, New York, 1971), p.49: "CYCLIC PIECES [were] invented by E. W. Bennett, Melbourne; *Fairy Chess Review* 7/18/p.154/Paper 175. These pieces play on an 8x8 plane board but have the same 'move' that they would have on a Vertical Cylinder. They do not have the power of returning to their original starting square ('round the cylinder move'). Some of the pieces on the board my be normal, and some cyclic".

I imagine that other cognates could be defined, such as **V-Cyclic Kings** (moving as if on a *vertical cylinder*), **T-Cyclic Kings** (able to play as if on a *torus*, *double cylinder*, or *anchor ring*) and onwards to exotic analogues involving Möbius boards, Klein bottles, and Real Projective Planes.

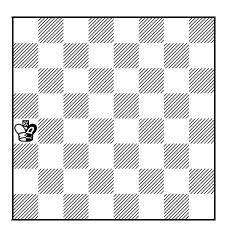
19 Ian Shanahan: **StrateGems**, October 2017, {FB1666}. **C+** ~ To Mark Ridley ~



Reci-H≠5 2.1.1.1... (0+0+1n) Enemy Sentinels

- ① 1.愛c2(+☆b2) 愛c3(+**1**c2)+ 2.愛c4(+☆c3) 愛b5(+**1**c4) 3.**1**c1 🗳 愛a5(+**1**b5) 4. 愛a4(+☆a5)+ 愛a3(+**1**a4)+ 5. 🗳 × b2 ≠ & 5. 愛b3(+☆a3)+ 愛b4(+**1**b3)≠.
- ② 1. 愛b3(+兔b2) 愛c3(+亀b3)+ 2. 愛c2(+兔c3)+ 愛×b3(+亀c2) 3. 愛a2(+兔b3) 兔b4 4. 亀c1 ★ 兔b3 5. 愛a1(+兔a2)≠ & 5. 愛a3(+兔a2)+ 愛a4(+亀a3)≠.
- Quite disparate checkmates (in two-solution form) in this Wenigsteiner, using an absolute minimum of initial force (i.e., a Neutral Rex Solus). Enemy-Sentinels-specific checkmates i.e., with 'pinning' (or 'spiking') of the 👺 by potential 'sentinels' have been coloured.

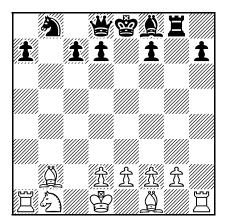
20 Ian Shanahan: **The Problemist**, March 2018, {F3437}. **C+** ~ To Geoff Foster ~



- (a) Reci-H≠5 (0+0+1n) Enemy Sentinels
- (b) **③**a4→d5
- (a) 1.愛b4(+全a4) 愛b5(+**1**b4)+ 2.愛c5(+全b5) 愛c6(+全c5)+ 3.愛c7(+全c6) 愛b7(+全c7)+ 4.愛b6(+全b7)+ 愛a6(+**1**b6)+ 5.愛a5(+全a6)≠ & 5.愛a7(+全b6) 全b8♥≠;
- (b) 1.愛c5(+☆d5) 愛b6(+**1**c5) 2.愛a5(+☆b6) 愛b5(+**1**a5) 3.愛b4(+☆b5)+ 愛b3(+**1**b4) 4.愛b2(+☆b3) 愛a2(+**1**b2) 5.**1**b1 ≠ & 5.愛a3(+☆a2)+ 愛a4(+**1**a3)≠.
- Extremely disparate checkmates (in twinned form) in this Wenigsteiner, using an absolute minimum of initial force (i.e., a Neutral Rex Solus). No moves are repeated anywhere. Enemy-Sentinels-specific checkmates i.e., with 'pinning' (or 'spiking') of the by potential 'sentinels' have been coloured.

CHESS PROBLEMS by Dr Ian Shanahan

RETROANALYTICAL PROBLEMS



Proof Game in 11 moves (10+10)

1. £a4 **1**g5 2. £a5 **1**g4 3. £a6 **1**g3

4.\(\partia\)xb7 \(\partia\)xh2 5.\(\partia\)xa8\(\partia\) \(\partia\)xg1\(\partia\)

6.4b6 ⊌h2 7.4xc8 ⊌e5 8.4xe7 ⊌xb2

9.**②**×g8 **쌀**×c2 10.**②**b2 **쌀**×d1+

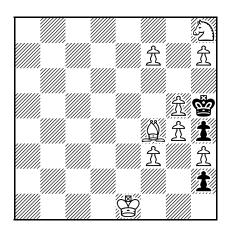
11.營×d1 **ℤ**×g8.

THEMATIC CONTENT

Frolkin x2 [i.e., capture of a promotee]; 'anti-Phoenix' [i.e., capture of a man on its game-array square by its opposite counterpart]; almost a **White home-base position** [i.e., all but one White unit sits upon its game-array square]; almost a **Black home-base position** [i.e., all but one Black unit starts upon its game-array square].

CONSTRUCTIONAL NOTES

2 Ian Shanahan: Australian Chess, March 2007, {No.78}. C?



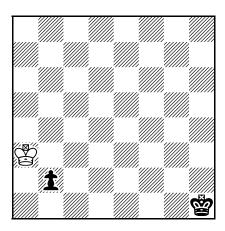
- (a) Checkmate?
- (9+3)

- (b) **쌀**h2
- (a) **No!** The last move by White, obviously, since Black is in check must have been either 全身 g3-g4+ or 全身 g2-g4+. If it were 全身 g3-g4+, then Black's last move did not involve either 九, but might possibly have been made by the ②. So was it ③g4-h5? No: ⑤g4 would be in an impossible ('irreal') double-check from both 全身 and 全身 and 全身 Perhaps it was ⑤gh6-h5 (preceded necessarily by 全身 eg4-g5+)? No: before 全身 eg6-h5 (prior to which White definitely played 全身 eg7×g8 全)+)? Again no: such a 全 configuration and -play requires a minimum of 15 captures, while Black still has 3 units present unattainable! All possible previous ③g-moves are now exhausted, hence the ⑤g and therefore Black had no last move at all: Black is in 'retrostalemate'! Thus White's last move could only have been 全 g2-g4+ (following 1g3×h2); consequently Black can indeed, must reply with 1xg4 e.p.
- (b) **Yes!** If the last move was $\frac{1}{2}$ g2-g4+, then Black is in retrostalemate: $\frac{1}{2}$ h5 and $\frac{1}{2}$ h4 cannot have just moved (for the same reasons as given above); nor could the $\frac{1}{2}$, since she must have arrived at h2 from one of only three squares g1, g3 or h1 from all of which White was in check illegally with Black to play. So White's last move was certainly $\frac{1}{2}$ g3-g4≠ (before which Black played, say, $\frac{1}{2}$ a2-h2) and Black now cannot capture e.p. to relieve the checkmate.

CONSTRUCTIONAL NOTES

• \(\hat{\pi}f7, \(\hat{\pi}h7\) and \(\hat{\pi}h8\) can be replaced by \(\hat{\pi}a2\) and \(\hat{\pi}b1\) – saving a \(\hat{\pi}\), but losing good retroanalytic content.

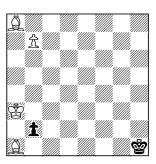
3 Ian Shanahan: The Problemist, July 2008, {R399}. C?



Protean Men: add QQ允 for an Illegal Cluster (1+2)

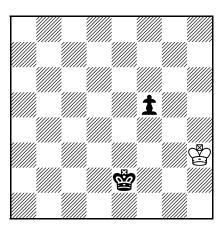
Protean Men: Upon capturing, a unit (including 營營s) takes on the powers of the unit captured, but without changing colour; in the case where a 全立 is captured, its direction of movement is retained. 管營s maintain their royalty, transforming into royal (R) men with other powers.

The solution is:



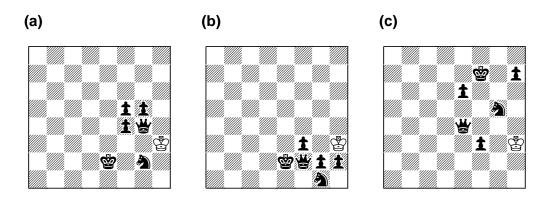
• Notice firstly that \$\frac{1}{2}b2\$ and \$\frac{1}{2}b7\$ stem from (\$\frac{1}{2}b2\$) and (\$\frac{1}{2}b7\$) respectively; they have never moved, but \$\frac{1}{2}b2\$ would move upwards and \$\frac{1}{2}b7\$ downwards. So \$\frac{1}{2}\$ is in check, and Black has just played \$\infty x \frac{1}{2}b2\$ +. The position's illegality, however, arises instead from the two \$\frac{1}{2}s\$, which are both promotees ultimately deriving from (\$\frac{1}{2}a2\$) and (\$\frac{1}{2}a7\$). But these original a-file \$\frac{1}{2}s\$ could never have crossed over one another as Protean Men! Removing any of the four non-royal units renders the position legal, but an interesting scenario ensues when \$\frac{1}{2}b7\$ disappears: it seems initially that the position must still be illegal since \$\frac{1}{2}s\$ and \$\frac{1}{2}s\$ are both apparently in check — yet this is not so, for \$\frac{1}{2}b2\$ must then stem not from (\$\frac{1}{2}b2\$) but from (\$\frac{1}{2}b7\$), and thus moves down the board! Rex Solus \$\times 2\$, in Wenigsteiner.

Dennis K. Hale & Ian Shanahan: StrateGems, July 2012, {R0193}. C?



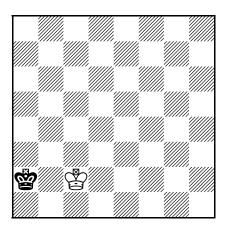
- (a) Add **★1** for an Illegal Cluster (1+2)
- (b) **1**f5→f3
- &(c) **©**e2→f7 in (b)

The solutions are:



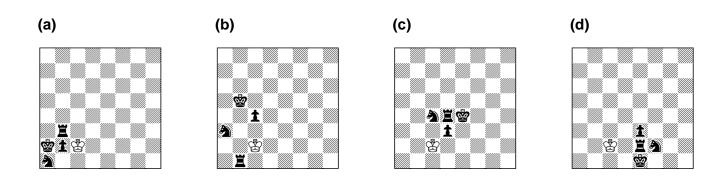
• Dennis swears that this, a brief dabbling into (straightforward) Illegal Clusters, will be his last problem! Dennis composed the lovely part (a), while I added the other two parts – on the basis of my cognate Illegal Clusters. *White Rex Solus*, in *Wenigsteiner*.

[5] Ian Shanahan: 3rd Commendation, **The Problemist**, 2011–2012. **C?** [**The Problemist**, September 2012, {R451}.]



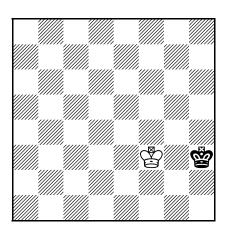
- (a) Add **■** at for an Illegal Cluster (1+1)
- (b) **©**a2→b5
- (c) **©**a2→e4
- (d) **2**a2→e1

The solutions are:



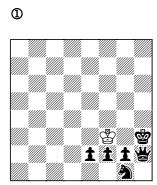
• Each added unit checks the ③ – the ⑤ once as a promotee (in (a), with 1 removed to legalize the position) and once as a non-promotee (in (b)). A fifth phase could be appended: (e) ⑤ c2→d5 in (b); solution + I c5, + ⑥ c6, + 1 c4. However, such an extension unbalances the problem, the twinning is inharmonious, and in any event it is *totally anticipated* (by Narayan Shankar Ram, *feenschach*, 1984: ⑤ f5, ⑥ d5; add □ ⑥ for an Illegal Cluster; solution + □ c5, + ⑥ c4, + ② c6). *Rex Solus* × 2, in *Wenigsteiner*.

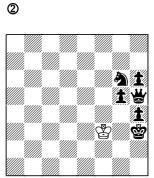
6 Ian Shanahan: 1st Commendation, harmonie-activ, 2013. C? [harmonie-activ, September 2013, {No.1918}.]



Add ***111** for an Illegal Cluster (1+1) 2 solutions

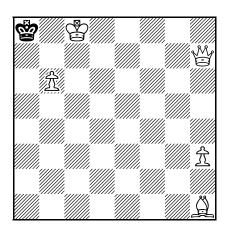
The solutions are:





• Both solutions exhibit **asymmetry**: various reflections of the two piece-arrangements simply fail to solve the problem. **Rex Solus** x2, in **Wenigsteiner**.

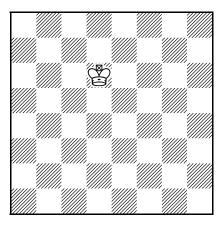
7 Ian Shanahan: **OzProblems** website,* 25.iv.2015, {No.231}. **C?*** http://www.ozproblems.com/home/weekly-probs10/weekly-sols10#WP231,
Accessed 3.xii.2015.



- (a) Checkmate?
- (5+1)

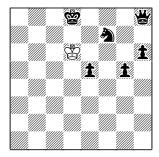
- (b) ≝h7
- (c) $\frac{1}{2}$ h3→e5
- (d) \(\partial h3\)→d6
- (a) **No!** Black is checkmated by the 2h1, but the piece could not have just played to h1. The only way White could have given the checkmate was by playing 2xh3; however, with a n0 on g2, the n0 could never have reached h1. This means that White has no possible last move in the diagram and the position is *illegal*.
- (b) **Yes!** White's last move must have been \(\subseteq b7 \times h7\) (capturing a Black piece, but *not* a **1**). This Black piece had just played to h7, so Black was not at risk of having no possible last move (the \(\subseteq b\) being in retrostalemate). Therefore, the position is *legal*.
- (c) **No!** White's only potential last move was \triangle e4-e5+, but then Black had no legal move prior to that. Black could not have just played **2**a7-a8, because on a7 the **2**a would have been in an impossible *irreal* check from both the \triangle b6 and \triangle h7. So the position is *illegal*.
- (d) **Yes!** White did not necessarily just play 2d5-d6+ (with Black consequently in retrostalemate, as above); but White could have mated with an en-passant capture onto d6! The following retraction-sequence demonstrates how the position could have arisen, thereby 'legalizing' the checkmate-position: $1.265\times d5 = p.\neq !$ \$\frac{1}{2}d7-d5 \, 2.\frac{1}{2}e4-e5+ \frac{1}{2}a7(\times) a8 \, 3.\frac{1}{2}(\times) b6+ etc. Notice how once the uncaptured \$\frac{1}{2}\$ has retracted to d7, it shuts off the \$\frac{1}{2}\$, thereby allowing the \$\frac{1}{2}\$ to retract to a7, where the piece is in check from the \$\frac{1}{2}\$ only. Thus the position is **legal**.
- Black Rex Solus, in miniature.

8 Ian Shanahan: **Springaren**, December 2017, {No.14079**v**}. **C?**



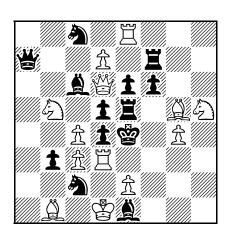
Add ***±11** for an Illegal Cluster

The solution is:



• The only Illegal Cluster with *Rex Solus*?

9a Ian Shanahan: The Problemist, May 2013, {C11127}. C+
9b Ian Shanahan: Springaren, December 2017, {No.14080}. C?
~ To Eugene Rosner ~



(13+13)

(a) ≠2 √

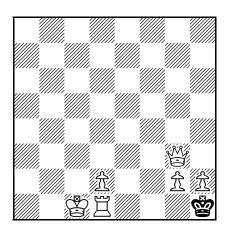
(b) How many Excelsiors must necessarily have occurred? What were their starting and promotion squares?

Try: 1.☆×d4? (>2.□e3) (a) 1...**⊌**×d4 2.□×d4≠. 1...**≜**×d7 2.****\$×d5≠. 1...**≜**d2 2.**⁄**2g3≠. 1...**⊈**f2 2.**②**c3≠. 1...**里**e7 2.**②**×f6≠. 1...**罩**×g5 2.營f4≠. 1... **a**d6, **a**e7 2. **a**(x)d6≠. 1...**≜**×b5! 1...**¤**×e6 2.**¤**×e6≠. 1...**쌀**×d7 2.岚×d4≠. 1...**a**e3+ 2.\(\mathbb{\pi}\xe3≠.

(b) **9a** is **legal** ... just! Here is a list of some attributes of a (shortest) proof-game to the given position: **1**d4 took [允d2] on d6 from c7 (for example); 允c4 is [允b2]; 允d7 is [允f2]; and 允g4 is [允g2] – leaving just [允a2] and [允h2] to be captured; White has eliminated **[1**a7], **[1**g7] and **[1**h7] – all of which must have promoted before being taken somewhere on the c-, d- and e-files by 允c4 and 允d7 respectively; **[1**a7] promoted on a1, without making any captures – after [允a2] was removed by some other Black piece; **[1**g7] took just [允h2] on h6 (for instance), promoting on h1, after which **[1**h7] proceeded to promotion on h1 without capturing at all. So the position is indeed legal – albeit with three obtrusive Black pieces, now disappeared!

So 3 Excelsiors, all Black, have occurred in the retro-play: a7 \rightarrow a1; g7 \rightarrow h1; and h7 \rightarrow h1.

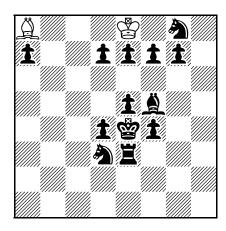
10 Ian Shanahan: ORIGINAL for Springaren, 10 February 2018. C?



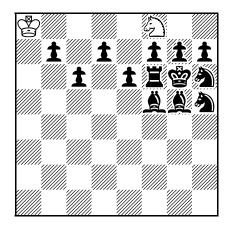
- (a) Checkmate?
- (6+1)

- (b) 含h2
- (a) **No!** The last move by White, obviously, since Black is in check must have been 0-0-0. (In this position, 0-0-0 is the *only* move whereby the Ξ could occupy d1; it could not have moved there any other way.) But for the Ξ to reach h1 from the second rank, the Ξ must have moved in order to let the Ξ through, since none of the Ξ s have ever moved. So White's last move, 0-0-0, is *illegal*, and the position itself likewise is *illegal*, hence not checkmate.
- (b) **Yes!** Again, by identical reasoning, the last move is 0-0-0. But now the **②** could have gone to h1 via h2, without displacing the ③ (or the △). So 0-0-0 is *legal*, and this move checkmates Black.
- A paradox: Black is checkmated with a \(\frac{\pi}{n}\)h2, but not without it!

11 Ian Shanahan: ORIGINAL for StrateGems, 25 February 2018. C?



- (a) Checkmate?
- (2+13)
- (b) 🙎 a7
- (a) **No!** The last move by White, obviously, since Black is in check must have been \(\frac{1}{2}\)b7×a8\(\frac{1}{2}\). Only a \(\frac{1}{2}\) or the \(\frac{1}{2}\) could have been captured on a8 by a \(\frac{1}{2}\)b7; but neither of these Black pieces could have moved to a8 from a square whereby the \(\frac{1}{2}\) was not already in check with Black to move. So the position is *illegal*.
- (b) **Yes!** Again, by identical reasoning, the last move was $2b7 \times a8$ (with a 2 or the 3 being captured on a8, as before). But now Black's previous move could have been 2b8(x)a7+. (Note that this 3 is a promotee, [1a7] or [1b7], because [3b7] was captured having never moved.) Thus the position is *legal*, and Black is checkmated.
- A paradox: Black is checkmated with a **1**a7, but not with a **≜**!



- (a) Checkmate?
- (2+13)

- (b) **쌀**f5
- (a) **No!** The last move by White, obviously, since Black is in check must have been $2 \times 7 \times 18$. Note that 1×15 is a promotee, 1×15 , because 1×15 was captured having never moved. Now 1×15 is either 1×15 or 1×15 , which reached e7 by capturing a 1×15 or the 1×15 on that square. Only the sole remaining unit 1×15 could have been captured on 1×15 but neither of these Black pieces was able to move to 1×15 from a square whereby the 1×15 was not already in check with Black to move. So the position is *illegal*.
- (b) **Yes!** Again, by identical reasoning, the last move was $\triangle e7 \times f8 \triangle$. But now Black's piece captured on f8 could have been a promoted ⓐ or ₤ stemming from [\$\ddag{1}a7]. Therefore the position is *legal*, and Black is checkmated.
- A paradox: Black is checkmated with a ≜f5, but not with a ≝!